



fx-4500PA

User's Guide

Guía del usuario





CASIO *fx-4500PA*

Section 1 Configuration and Operation

Section 2 Manual Calculations

Section 3 Integration Calculation

Section 4 Program Calculation

PROGRAM LIBRARY

Introduction

Thank you for purchasing the Casio fx-4500PA.

This unit is an advanced programmable scientific calculator which features a 2-tier display capable of displaying both formulas and results at the same time. The upper display features a 12-character dot matrix display capable of alphabetic and numeric display. The fx-4500PA also features a large-volume program memory, and is capable of performing integration calculations. A built-in formula memory is handy when performing repeat calculations, and manual calculations can be easily performed by following written formulas.

Before using this unit, be sure to read these instructions thoroughly. When you're finished reading these instructions, be sure to keep this manual where you can refer to it often.

This manual is composed of four sections:

1. Configuration and Operation
2. Manual Calculations
3. Integration Calculation
4. Program Calculation

Section 1 should be read first to become familiar with the nomenclature, handling and cautions concerning this unit.

Section 2, 3 and 4 can then be read in order to master these types of computations through samples and explanations.

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- No part of this manual may be reproduced in any form without the express written consent of the manufacturer.
- The manufacturer assumes no responsibility for claims from third parties for loss or damages arising through the use of this calculator or manual.
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Section 1 Configuration and Operation

Key markings	8
Modes	9
Manual calculation modes	9
Display	11
Two-tier display	11
Display symbols	12
Exponential display	12
Special display functions	13
Handling Precautions	14
Power and Battery Replacement	15
Replacing batteries	15
To replace the memory backup battery	15
To replace the main battery	16
Auto Power-OFF function	17
Nomenclature and Functions	18
Before beginning calculations....	27
Calculation priority sequence	27
Number of stacks	28
Number of input/output digits and calculation digits	28
Overflow and errors	29
Number of input characters	30
Corrections	30

Section 2 Manual Calculations

Basic calculations	34
Arithmetic operations	34
Parenthesis calculations	35
Percentage calculations	36
Specifying the number of decimal places, the number of significant digits and the exponent display	37
Memory	39
(1) Variable memory	39
Array-type memories	41
Deleting memory	43
(2) Independent memories	44
Special functions	46
Answer function	46
Omitting the multiplication sign (\times)	46
Continuous calculation function	47

Replay function	48
Error position display function	49
Multistatement function	50

Scientific function calculations	52
Trigonometric functions and inverse trigonometric functions	52
Logarithmic and exponential functions	53
Performing hyperbolic and inverse hyperbolic functions	54
Coordinate transformation	55
Permutation and combination	56
Other functions ($\sqrt{}$, x^2 , x^{-1} , $x!$, $\sqrt[3]{}$, Ran #)	57
Fractions	58

Engineering symbol calculations	59
---------------------------------------	----

Binary, octal, decimal, hexadecimal calculations	60
Binary and octal block display	61
Binary, octal, decimal, hexadecimal conversions	63
Negative expressions	64
Basic arithmetic operations using binary, octal, decimal and hexadecimal values	65
Logical operations	66

Statistical calculations	67
Standard deviation	67
Regression calculation	70

Formula memory function	77
Purpose of the formula memory function	77

Section 3 Integration Calculation

Input of function $f(x)$ and integration calculation	84
Examples of operation	85
Notes on integration calculation	88

Section 4 Program Calculation

What is a program?	90
Programming	90
Calculation formula	91
Registering filenames	91
Writing programs	92
Program execution	93
Program correction, addition and deletion	95
Inserting lines	95
Inserting a line at the beginning	95

Editing programs	95
Program deletion	100
Program searches	101
Filename sequential search	101
Sequential search of program lines	103
Direct search	104
Scrolling right and left in filenames and program lines	106
Program execution	107
Execution through filename search	107
Execution by pressing SHIFT Prog	108
Aborting execution	109
Program debugging (correcting errors)	109
Convenient program commands	109
Jump commands	109
Subroutines	114
Pause command	117
Variable input command	118
Fixm	118
Remaining program capacity	120
Determining the number of remaining steps	120
Using the unit as a data bank	121
 PROGRAM LIBRARY	
1. Prime factor analysis	126
2. Greatest common measure	128
3. $\Delta \leftrightarrow Y$ transformation	130
4. Minimum loss matching	132
5. Cantilever under concentrated load	134
6. Normal distribution	136
7. Numerical solution of an equation (Newton's law)	138
8. Quadratic equation	140
9. Complex numbers	144
Error messages at-a-glance	154
Input ranges of functions	155
Specifications	158

Section 1 Configuration and Operation

Key markings

Modes

Display

Handling Precautions

Power and Battery Replacement

Nomenclature and Functions
Before beginning calculations....

Section 1 Configuration and Operation

Before using this unit for the first time, be sure to press the ALL RESET button on the back of the unit.

• Flow of Operations (Be sure to read this!)

In contrast to standard electronic calculators, the keys on “scientific” calculators often perform more than one function. The following explains how to use these keys, so it’s a good idea to read this section carefully before using your calculator for the first time.

Key markings

The fx-4500PA uses any given key to perform a number of different functions. For example, the key shown below is used to perform the following 5 functions: ①: $(-)$, ②: $\sqrt[n]{}$, ③: $=$, ④: A , ⑤: Δ .



The function of this key differs depending on the operational mode the calculator is set to (see page 9), however if it is pressed directly, it performs the $(-)$ function. If you press the **SHIFT** key and then press this key, it carries out the second function $\sqrt[n]{}$. If you press the **2ndF** key and then press the $(-)$ key, it acts as the $=$ key. And if you press it after pressing the **ALPHA** key, you can input the radical “A”. Finally, you can use the $(-)$ key while in the BASE-N (see page 60) “HEX” mode to input the hexadecimal “A”. You’ll notice that the key shows marks for each of these functions, which are color coded for easy identification.

Referring back to the $(-)$ key, the function marked in orange is carried out after pressing the **SHIFT** key. After pressing the **2ndF** key, the $(-)$ key operates the function marked in light green. After pressing the **ALPHA** key, the function marked in red is carried out, and in the BASE-N mode, the $(-)$ key operates the function marked in green.

Next, let’s look at the Σx^2 key. Note that the “ Σx^2 ” mark is in blue brackets. The fx-4500PA functions marked in these blue brackets are used for standard deviation (SD mode) and regression (LR mode) calculations.

Functions marked in ORANGE — Accessed by first pressing **SHIFT** key.

Functions marked in LIGHT GREEN — Accessed by first pressing **2ndF** key.

Functions marked in RED — Accessed by first pressing **ALPHA** key.

Functions marked in GREEN — Accessed in BASE-N mode.

Functions marked by BLUE brackets — Accessed in SD mode or LR mode.

Modes

When using the fx-4500PA, it is necessary to select the proper mode to suit your calculation requirements. This can be done by using the **MODE** key in combination with the number keys. (Refer to plate below the display window.)

Manual calculation modes

• Calculation modes

MODE [0]: COMP mode

General calculations, including function calculations.

MODE [1]: BASE-N mode

Binary, octal, decimal, hexadecimal conversion and calculations, as well as logical operations.

MODE [2]: LR mode

Regression calculation. (“LR” symbol appears in display window when this mode is selected.)

MODE [3]: SD mode

Standard deviation calculation. (“SD” symbol appears in display window when this mode is selected.)

*Modes [0] ~ [3] are totally independent, and cannot be used together.

MODE [4]: Eng mode

Engineering symbol calculation. (“Eng” symbol appears in display window when this mode is selected.) (Refer to page 59.)

*The calculation mode last selected is retained in memory when the fx-4500PA’s power is switched OFF.

• Angular measurement modes

MODE [4]: Deg mode

Specifies measurement in “degrees”. (“D” symbol appears in display window when this mode is selected.)

MODE [5]: Rad mode

Specifies measurement in “radians”. (“R” symbol appears in display window when this mode is selected.)

MODE [6]: Gra mode

Specifies measurement in “grads”. (“G” symbol appears in display window when this mode is selected.)

*With the exception of the BASE-N mode, modes [4] ~ [6] can be used in combination with the manual calculation modes.

● Display modes

MODE [7]: Fix mode

Specifies number of decimal places. ("Fix" symbol appears in display window when this mode is selected.)

MODE [8]: Sci mode

Specifies number of significant digits. ("Sci" symbol appears in display window when this mode is selected.)

MODE [9]: Norm mode

Cancels "Fix" and "Sci" specifications.

This operation also changes the range of the exponent display (see page 12).

*With the exception of the BASE-N mode, modes [7] ~ [9] can be used in combination with the manual calculation modes.

The mode last selected is retained in memory when the fx-4500PA's power is switched OFF.

● Program calculation mode

MODE [EXP]: WRT mode

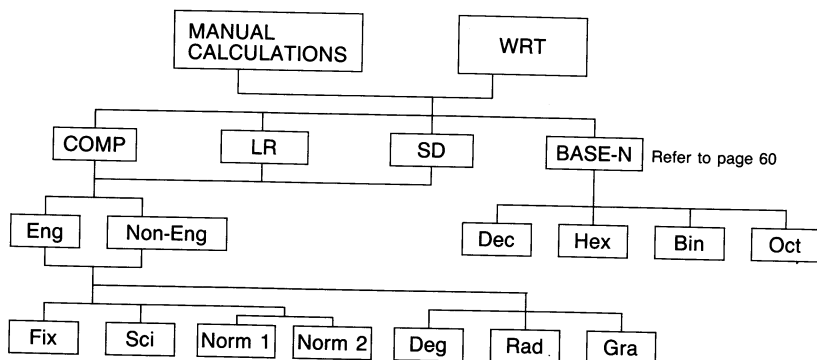
Specified when writing or correcting programs (files). ("WRT" symbol appears in display window when this mode is selected.) Press again to cancel WRT mode.

MODE [Ans]: Defm mode

Press to expand number of memories. ("Defm" appears in display window when this mode is selected.) After specifying this mode, input a value and press the [EXE] key to specify the number of useable memories (see page 41.)

Example **MODE [Ans] 10 [EXE]** — Number of memories expanded by 10.

Mode Hierarchy Diagram



● Abbreviations

COMP	Compute	Dec	Decimal number
LR	Linear regression	Hex	Hexadecimal number
SD	Standard deviation	Bin	Binary number
Eng	Engineering	Oct	Octal number

*To return to standard operation (initialized state) press **MODE [0]** (COMP mode) — **MODE [4]** (Deg mode) — **MODE [9]** (Norm mode)

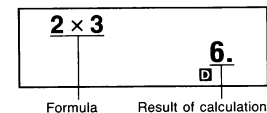
Display

■ Two-tier display

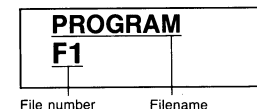
This unit features a two-tier display. The upper tier is a dot display which features an input buffer, for display of up to 12 characters. The lower display is capable of displaying 10 digits for a mantissa, as well as 2 digits for an exponent. When formulas are input, they are displayed on the upper display, and then results are shown on the lower display when the [EXE] is pressed to execute the calculation. This allows both the formula and the result to be displayed simultaneously.

In addition, when filenames are displayed, the file name is shown on the upper display, with the file number shown on the lower display. When programs are displayed, the program data is displayed on the upper display, with the program line number shown on the lower display.

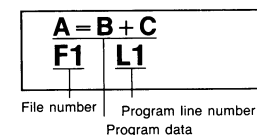
Example $2 \times 3 = 6$



Example **Filename**

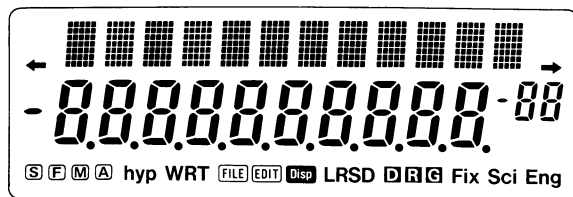


Example **Program**



■ Display symbols

The display window features symbols which light to indicate the present operational status of the fx-4500PA.



- [S]: Indicates **[SHIFT]** key has been pressed.
- [F]: Indicates **[2ndF]** key has been pressed.
- [M]: Indicates **[MODE]** key has been pressed.
- [A]: Indicates **[ALPHA]** key has been pressed.
- hyp: Indicates **[hyp]** key has been pressed.
- WRT: Indicates calculator in the WRT mode.
- [FILE]: Indicates filename or program (file contents) is displayed.
- [EDIT]: Indicates program is being edited in WRT mode.
- [Disp]: Indicates intermediate result is displayed.
- LR: Indicates LR mode has been specified.
- SD: Indicates SD mode has been specified.
- [D]: Indicates angular measurement in units of "Degrees".
- [R]: Indicates angular measurement in units of "Radians".
- [G]: Indicates angular measurement in units of "Grads".
- Fix: Indicates specification of number of decimal places is being executed.
- Sci: Indicates specification of number of significant digits is being executed.
- Eng: Indicates Eng mode has been specified.
- ← →: Indicates number of characters exceeds limitation of screen. Non-displayed characters can be viewed by "scrolling" right or left, as indicated by arrow(s).

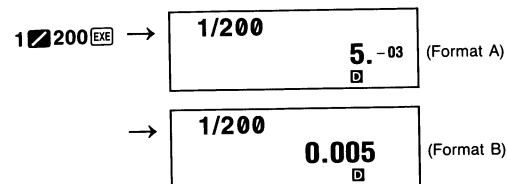
■ Exponential display

During normal calculation, this unit is capable of displaying up to 10 digits. However if calculation results exceed this limit, they are automatically displayed in exponential format. You can choose from two different types of exponential display formats:

(A) $10^{-2}(0.01) > |x|, |x| \geq 10^{10}$: Norm 1 mode

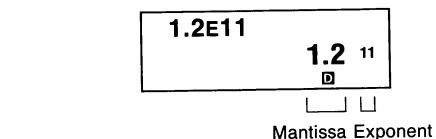
(B) $10^{-9}(0.000000001) > |x|, |x| \geq 10^{10}$: Norm 2 mode

Selection of these modes can be carried out by pressing **[MODE]** **[9]**, when no specification has been made for the number of decimal places or significant digits. The present status is not displayed, so it is necessary to perform the following procedure to specify either display format:

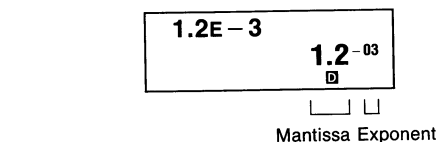


The examples given in this manual shows calculation results in exponential display format "A".

How to view the calculation results in exponential format.



→ 1.2×10^{11} → 120,000,000,000

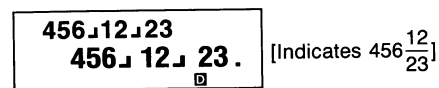


→ 1.2×10^{-3} → 0.0012

■ Special display functions

For fractional, hexadecimal and other special calculations, results are shown on the display as follows:

• Fractions



•Hexadecimal numbers

ABCDEF12
AbCdEf12 ^H [Indicates ABCDEF12₁₆ (= - 1412567278₁₀)]

•Sexagesimal numbers

12.58244
12° 34' 56.78" ^D [Indicates 12°34'56.78"]

Degrees Minutes Seconds

Handling Precautions

- This unit is composed of precision electronic components, and should never be disassembled. Do not drop it or otherwise subject it to sudden impacts, or sudden changes in temperature. Be especially careful to avoid storing the unit or leaving it in areas exposed to high temperature, humidity or large amounts of dust. When exposed to low temperatures, the unit will require more time to display answers and may even fail to operate. The display will return to normal once normal temperature is attained.
- The display will appear blank while the unit is performing calculations. At this time most keys will be inoperative. Because of this, keys should normally be used while confirming proper operation by checking the display.
- Batteries should be replaced every 5 years, even if the unit is not used for extended periods. Never leave dead batteries in the battery compartment. They can leak and damage the unit.
- Avoid using volatile liquids such as thinner or benzene to clean the unit. Wipe it with a soft, dry cloth or a cloth that has been dipped in a neutral detergent solution and wrung out.
- Note that the manufacturer assumes no responsibility for any loss or claims by third parties which may arise from use of this product.
- Note that the manufacturer assumes no responsibility for any damage incurred as a result of data loss caused by malfunction, repairs or battery replacement. The user should prepare physical records of important data to protect against such data losses.
- If this unit should malfunction, be sure to contact your nearest Casio dealer or service center, explaining the problem in detail.

Power and Battery Replacement

Power is supplied to this unit by one CR2032 lithium battery, which is used for normal operations, as well as one CR2032 lithium battery used for memory backup. If both of these batteries are removed at the same time, programs and data will be lost, so avoid replacing them at the same time.

***If both batteries have been removed from the unit for some reason, replace them and press the "All Reset" button after turning the power ON.**

■ Replacing batteries

If batteries become weak, the "Low Battery" indicator appears on the display:

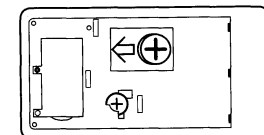
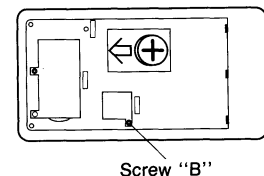
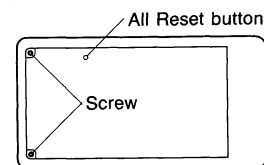
_Low battery

If you continue to use the unit after this display appears, power will turn OFF automatically and operation will become impossible even if you press the **AC** ON key. If this occurs, replace the CR2032 battery as soon as possible. Do not leave dead batteries in the unit. Doing so may result in damage or lost memory contents.

■ To replace the memory backup battery

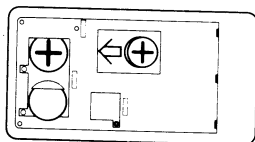
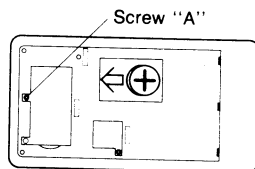
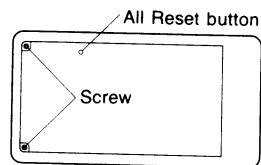
The battery used for memory backup should be replaced every two years.

- ① Press the **OFF** key. Then remove the two screws on the back of the unit and remove the back cover.
- ② Remove the screw holding the battery pressure plate (screw "B") and then remove the battery pressure plate.
- ③ Remove the old battery from the unit.
(This can be done easily by turning the unit so that the battery compartment is facing downwards, and then lightly tapping the unit.)
- ④ Wipe the surfaces of the new battery with a soft, dry cloth and load them into the unit, making sure that the positive **+** side is facing upwards.
- ⑤ Fasten the battery pressure plate in place using the screw.
- ⑥ Replace the back cover and press the **ON** key. Memory contents are protected by the



■ To replace the main battery

- ① Press the **OFF** key. Then remove the two screws on the back of the unit and remove the back cover.
- ② Remove the screw holding the battery pressure plate (screw "A") and then remove the battery pressure plate.
- ③ Remove the old main battery from the unit. (This can be done easily by turning the unit so that the battery compartment is facing downwards, and then lightly tapping the unit.)
- ④ Wipe the surfaces of the new battery with a soft, dry cloth and load them into the unit, making sure that the positive \oplus side is facing upwards.
- ⑤ Fasten the battery pressure plate in place using the screw. Then press the **ON** key.
- ⑥ Replace the back cover. Memory contents are protected by the memory backup battery in this case.







■ Auto Power-OFF function

To preserve battery life, this unit will turn OFF automatically if it is not used for approximately 6 minutes. To restore power, press the **AC** key. Note that memory contents are protected even when power goes OFF.

Avoid changing both batteries at the same time as doing so may result in memory contents being lost.

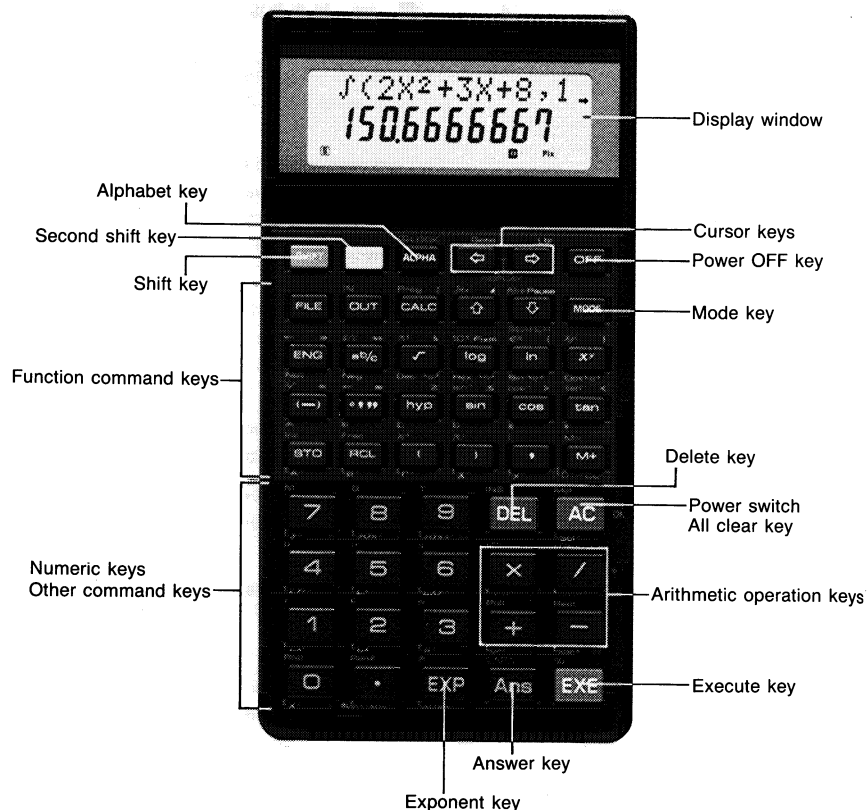
Precautions:

Incorrectly using batteries can cause them to burst or leak, possibly damaging the interior of the unit. Note the following precautions:

- Be sure that the positive \oplus and negative \ominus poles of the battery are facing in the proper direction. 
- Never leave a dead battery in the battery compartment.
- Remove the battery if you do not plan to use the unit for long periods.
- Replace the battery at least once every 5 years, no matter how much the unit is used during that period.
- Never try to recharge the battery supplied with the unit. 
- Do not expose batteries to direct heat, let them become shorted, or try to take them apart.  

Keep batteries out of the reach of small children. If swallowed, consult with a physician immediately.

Nomenclature and Functions



[SHIFT] Shift key

Press when using the function commands and functions marked in orange on the key panel. An "[S]" will appear on the display to indicate that [SHIFT] has been pressed. Pressing [SHIFT] again will cause the "[S]" to disappear from the display and the unit to return to the status it was in before [SHIFT] was originally pressed.

[2ndF] Second shift key

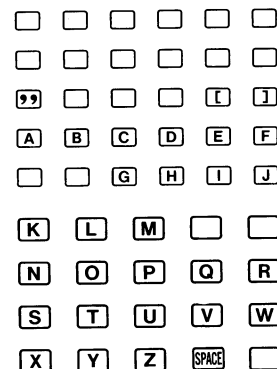
Press when using the function commands and functions marked in light green on the key panel. An "[F]" will appear on the display to indicate that [2ndF] has been pressed. Pressing [2ndF] again will cause the "[F]" to disappear from the display and the unit to return to the status it was in before [2ndF] was originally pressed.

[MODE] Mode key

Press when setting the status of the unit or when specifying the unit of angular measurement. Refer to page 9 for details on modes.

[ALPHA] Alphabet key

Press to input alphabetic characters or special characters. Pressing [ALPHA] displays "[A]" and allows the input of only one character. After the character is input, the unit returns to the status it was in before the [ALPHA] key was originally pressed. Pressing [SHIFT] followed by [ALPHA] will lock the unit in this mode and allow consecutive input of alphabetic characters until [ALPHA] is pressed again.



[0] Numeric keys

- When numeric values or calculation commands are input, they appear on the display window from the left. The "." key is used to indicate the decimal point.
- Depending on the selected mode, the [SHIFT] and [2ndF] keys can be used in combination with the number keys to specify the following functions:

M	G	T	COMP mode (MODE [0]) LR mode (MODE [2]) SD mode (MODE [3])	} Used in combination with [SHIFT] key.
7	8	9		
4	5	6		
1	2	3		
Rnd 0	Ran#			

LR mode (MODE)

Used in combination with key.

SD mode (MODE)

- When the key is pressed in the COMP mode, LR mode or SD mode, the following functions are specified:

Internal rounding

This key operation rounds the internal value (value stored in the Y register) to 10 digits. Note that this also rounds the result that is produced by the Ans function. In the FIX and SCI modes, this key operation changes the internal value to the form specified for value display.

Random number generation

Generates random numbers between 0.000 and 0.999.

For information on other functions, see "Engineering symbol calculations" on page 59.

- The following functions can be specified by pressing in the LR mode or SD mode (only some functions are available).

\bar{x} (Mean of x)

Σx^2 (Sum of squares of x)

Σx (Sum of x)

n (Number of data)

Σy^2 (Sum of squares of y)

Σy (Sum of y)

Σxy (Sum of products of x and y)

\bar{y} (Mean of y)

σy (Standard deviation of y)

σy_{n-1} (Sample standard deviation of y)

σx_n (Standard deviation of x)

These functions are used in standard deviation and regression calculations. For details, see sections on "Standard deviation" (page 67) and "Regression calculation" (page 70).

Exponent/Pi/Standard deviation calculation key

- When using exponents, the key is pressed after the mantissa is input. For example, to input 2.56×10^{34} , press 2.56 34. When inputting exponents into a program, the key is pressed after the value is input.
- When pressed following the key, the value of pi (π) is input.
- When pressed following in LR mode or SD mode, the sample standard deviation of x is calculated.

σx_{n-1} (Sample standard deviation of x) is calculated.

Arithmetic operation/Coordinate transformation/Permutation and combination/Logical operation keys

- When carrying out addition, subtraction multiplication and division, enter the calculation as it is written, from left to right.
- and keys can be used to indicate signs.
- key combinations for the various modes are as follows:

COMP mode,
SD mode or
LR mode

Coordinate transformation; press to transform polar coordinate into rectangular coordinate.

Coordinate transformation; press to transform rectangular coordinate into polar coordinate.

Permutation; press when making permutation calculations.

Combination; press when making combination calculations.

BASE-N mode

or; press when calculating "or" of logical operation.

xor; press when calculating "xor" of logical operation.

and; press when calculating "and" of logical operation.

xnor; press when calculating "xnor" of logical operation.

*For division, the "/" (slash) key is used.

Execute/Percent key

- Press to obtain the result of a calculation. Pressed after data input for a program calculation or to advance to the next execution after a result is obtained.
- Press following key for percentage calculations. Note that percentage calculations

CAPA
ANS
SPACE

Answer/CAPA/Space key

- Press **ANS** followed by **EXE** to recall the last calculation result.
- Hold down following **SHIFT** key to display number of remaining steps in program.
- Press following **ALPHA** key to input a space.

INS
DEL

Delete/Insert key

- Press **DEL** to delete character where cursor is flashing. Deletes character to left of cursor when cursor is to the right of the last input character.
- Press following **SHIFT** key to display the insert cursor (**[]**). Entering a value while the insert cursor is displayed inserts the value in the position immediately preceding the insert cursor location.

MCU
AC ON
LSOL

All clear/Memory clear/Statistical data clear/Power On key

- Press to clear all input characters or formulas. Also, press to clear Error Check message on display.
- Pressing **SHIFT** followed by **AC** clears all data in unit's memory.
- Pressing **2ndF** followed by **AC** clears contents of statistical calculation memory.
- Press when power is OFF to turn power ON.

Goto
LBI
REPLAY

Cursor/Replay/Jump command keys

- Press to move the cursor to the left or right on the display to correct formulas or numeric values.

Pressing **[←]** moves the cursor to the left, while pressing **[→]** moves it to the right. Pressing either key and holding it down will cause continuous movement of the cursor in the respective direction.

- Once a formula or numeric value is input and **EXE** is pressed, these keys become replay keys. Pressing **[←]** displays the formula or numeric value from the end, and pressing **[→]** displays it from the beginning. Pressing **EXE** again will re-execute (see page 48).
- These keys are also used to input "Jump" commands which alter program execution. Pressing **2ndF** followed by **[←]** enters the "Goto" command. Pressing **2ndF** followed by **[→]** enters the "LBI" (Label) command. For details, refer to page 109.

Power OFF key

Press to turn the unit's power OFF. Note that mode setting and memory contents are protected even when power is turned OFF.

File key

Press to recall registered files. For details, refer to page 96.

IN
OUT

Formula memory key

Used when making calculations using registered formulas. For details, refer to page 77.

Prog
CALC

Formula memory/Program/Multistatement key

- Press **CALC** to execute formulas in formula memory. For details, refer to page 77.
- Press **SHIFT** followed by **CALC** and **EXE** to execute programs. For details, refer to page 108.
- Press **2ndF** followed by **CALC** to separate formulas or commands in programmed calculations or consecutive calculations. The result of such combinations is known as a "multistatement". For details, refer to page 50.

File
↑

File line scroll up/Integration/Display key

- Press while file contents are displayed to scroll up to the previous file line.
- Press **SHIFT** followed by **[↑]** when making integrations. For details, refer to page 84.
- Press **2ndF** followed by **[↑]** to display results of program calculations and consecutive calculations.

ABS
Pause
SEARCH

File line scroll down/Absolute value/Pause command/Search key

- Press while file contents are displayed to scroll down to the next file line.
- Press **SHIFT** followed by **[↓]** when making absolute value calculations.
- Press **2ndF** followed by **[↓]** to input "Pause" command. For details, refer to page 117.
- Press to search contents of file using "Search" function. For details, refer to page 105.

ENG
Not

Engineering/Judge command/Not key

- Each press of this key shifts the decimal of the displayed value three decimal places to the right or left. This in effect results in conversion of the value from one metric unit to another, such as 10^{-3} milliseconds, 10^{-6} microseconds, 10^{-12} picoseconds, or 10^3 kilohertz, 10^6 megahertz, 10^9 gigahertz.

Example	12.3456 EXE	12.3456	
	1st time ENG is entered	12.3456 00	
	2nd time ENG is entered	12345.6 -03	
	3rd time ENG is entered	12345600. -06	
	4th time ENG is entered	12345600. -06	(No change)
	12.3456 EXE	12.3456	
	1st time SHIFT ENG is entered	0.0123456 03	
	2nd time SHIFT ENG is entered	0.000012345 06	
	3rd time SHIFT ENG is entered	0.000000012 09	
	4th time SHIFT ENG is entered	0.000000012 09	(No change)

- When pressed after pressing **2ndF** key, "judge" symbol "**=>**", used in executing Jump command, is input. For details, refer to page 112.
- When pressed in BASE-N mode, this key executes "Not" function used in logical operation.



Fractions/Judge command/Negative key

- Used when inputting fractions and mixed numbers.

Example To input $\frac{23}{45}$, press 23 $\frac{\square}{\square}$ 45: To input $2\frac{3}{4}$, press 2 $\frac{\square}{\square}$ 3 $\frac{\square}{\square}$ 4:

- By pressing $\frac{\square}{\square}$ in succession, the displayed value will be converted to the improper fraction.
- When pressed after pressing $\frac{\square}{\square}$ key, “judge” symbol “ $\frac{\square}{\square}$ ”, used in executing Jump command, is input. For details, refer to page 112.
- Press in the BASE-N mode prior to entering a value to obtain the negative of that value. The negative number is the two’s complement of the value entered.



Square root/Square/Judge command/Decimal value key

- Press prior to entering a numeric value to obtain the square root of that value.
- Enter a value, and press this key following $\frac{\square}{\square}$ to obtain the square of the value.
- When pressed after pressing $\frac{\square}{\square}$ key, the “judge” symbol “ $\frac{\square}{\square}$ ”, used in executing Jump command, is input. For details, refer to page 112.
- Press in the BASE-N mode to specify the decimal calculation mode.
- When pressed following $\frac{\square}{\square}$ in the BASE-N mode, the subsequently entered value is specified as a decimal value.



Common logarithm/Exponent of 10/Variable fix command/Hexadecimal key

- Press prior to entering a value to obtain the common logarithm of that value.
- When pressed following the $\frac{\square}{\square}$ key, the subsequently entered value becomes an exponent of 10.
- When pressed following the $\frac{\square}{\square}$ key, “Fixm” is entered. For details, refer to page 118.
- Press in the BASE-N mode to specify the hexadecimal calculation mode.
- When pressed following $\frac{\square}{\square}$ in the BASE-N mode, the subsequently entered value is specified as a hexadecimal value.



Natural logarithm/Exponential/Variable input command/Binary key

- Press prior to entering a value to obtain the natural logarithm of that value.
- When pressed following the $\frac{\square}{\square}$ key, the subsequently entered value becomes an exponent of “e”.
- When pressed following the $\frac{\square}{\square}$ key, the “{” symbol used in executing the variable input command is input. For details, refer to page 118.
- Press in the BASE-N mode to specify the binary calculation mode.
- When pressed following the $\frac{\square}{\square}$ key in the BASE-N mode, the subsequently entered value is specified as a binary value.



Power/Root/Variable input command/Octal key

- Enter x, press this key and then enter y (any number) to calculate x to the power of y.
- To calculate the xth root of y, press after pressing $\frac{\square}{\square}$.
- When pressed following the $\frac{\square}{\square}$ key, the “}” symbol used in executing the variable input command is input. For details, refer to page 118.
- Press in the BASE-N mode to specify the octal calculation mode.
- When pressed following the $\frac{\square}{\square}$ key in the BASE-N mode, the subsequently entered value is specified as an octal value.



Negative/Cube root/Equal key

- Press prior to entering a numeric value to make that value negative.

Example $-123 \rightarrow (-) 123$

- Press following the $\frac{\square}{\square}$ key to obtain the cube root of a subsequently entered numeric value.
- Press following the $\frac{\square}{\square}$ key to enter the “=” sign.



Decimal \leftrightarrow Sexagesimal/Not equal key

- Press to enter sexagesimal value.
(degree/minute/second or hour/minute/second)

Example $78^{\circ}45'12'' \rightarrow 78 \square 45 \square 12 \square$

- When pressed following the $\frac{\square}{\square}$ key, a decimal based value can be displayed in degrees/minutes/seconds.
- Press following the $\frac{\square}{\square}$ key to input the “ \neq ” sign.



Hyperbolic/Relational operator key

- Pressing $\frac{\square}{\square}$ and then $\frac{\square}{\square}$, $\frac{\square}{\square}$ or $\frac{\square}{\square}$ prior to entering a value produces the respective hyperbolic function (sinh, cosh, tanh) for the value.
- Pressing $\frac{\square}{\square}$, then $\frac{\square}{\square}$ and then $\frac{\square}{\square}$, $\frac{\square}{\square}$ or $\frac{\square}{\square}$ prior to entering a value produces the respective inverse hyperbolic function (\sinh^{-1} , \cosh^{-1} , \tanh^{-1}) for the value.
- Press following the $\frac{\square}{\square}$ key to enter the “ \geq ” sign.



Trigonometric function/Inverse trigonometric function/Relational operator keys

- Press one of these keys prior to entering a value to obtain the respective trigonometric function for the value.
- Press $\frac{\square}{\square}$ and then one of these keys prior to entering a value to obtain the respective inverse trigonometric function for the value.
- Press $\frac{\square}{\square}$ and then one of these keys to input the “ \leq ”, “ $>$ ” and “ $<$ ” signs, respectively.

Int

STO Store memory/Integer/Constant term key

- Press prior to inputting alphabet character when inputting calculation results to memory.
- Press **SHIFT** key followed by **STO** key prior to inputting number in order to obtain integer part of that number.
- Press following **2ndF** key in LR mode to calculate constant term "A" in regression formula.
2ndF **STO** **A** Calculation of A (Constant term of regression formula)

Frac

RCL Recall memory/Fraction/Regression coefficient key

- Press prior to inputting alphabet characters to display value input into memory.
- Press **SHIFT** key followed by **RCL** key prior to inputting number in order to obtain fraction part of that number.
- Press following **2ndF** key in LR mode to calculate regression coefficient "B" in regression formula.
2ndF **RCL** **B** Calculation of B (Regression coefficient of regression formula)

 x^{-1} $x/$ $1/x^2$ $1/x^2$ **Parenttheses/Reciprocal/Factorial/Correlation coefficient/Estimated value of x key**

- Press the open parenthesis key and the closed parenthesis key at the position required in a formula.
- Press **SHIFT** followed by **1/x** prior to entering a value to obtain the reciprocal of that value.
- Press **SHIFT** followed by **1/x^2** after entering a value to obtain the factorial of that value.
- In the LR mode, press following the **2ndF** key for coefficient of correlation calculation and estimated value of x in linear regression calculation, respectively.
2ndF **1/x** Calculation of r (correlation coefficient)
2ndF **1/x^2** Calculation of \hat{x} (estimate of value of x)

;

;

, Comma/Semicolon/Estimated value of y key

- Press to enter comma in statistical and other formulas.
- Press following **SHIFT** to enter semicolon.
- In the LR mode, press following the **2ndF** key for the estimated value of y in regression calculation.

M+

M+

M+ Memory plus/Memory minus/Data input/Clear key

- Press to add displayed value to memory. Note that when formula is displayed, results are first derived and then stored into memory.
- Press following **SHIFT** key to subtract displayed value from memory.
- In the LR and SD modes, press to input data.
- In the LR and SD modes, press following the **SHIFT** key to clear data which has been input incorrectly.

Before beginning calculations....**Calculation priority sequence**

This unit employs true algebraic logic to calculate the parts of a formula in the following order:

① Coordinate transformation/integration Pol (x, y), Rec (r, θ), $\int dx$

② Type A functions

These functions are those in which the value is entered and then the function key is pressed.

$x^2, x^{-1}, x!, e^x, \ln, \text{Eng symbols}$

③ Power/root $x^y, \sqrt[n]{x}$

④ Fractions $a^{b/c}$

⑤ Abbreviated multiplication format in front of π , memory or parenthesis $2\pi, 5A, \pi R$, etc.

⑥ Type B functions

These functions are those in which the function key is pressed and then the value is entered.

$\sqrt{}, \sqrt[3]{}, \log, \ln, e^x, 10^x, \sin, \cos, \tan, \sin^{-1}, \cos^{-1}, \tan^{-1}, \sinh, \cosh, \tanh, \sinh^{-1}, \cosh^{-1}, \tanh^{-1}, \text{Int, Frac, Abs, } (-), \text{ (following in BASE-N mode only) d, H, b, o, Neg, Not}$

⑦ Abbreviated multiplication format in front of Type B functions $2\sqrt{3}, A \log 2$, etc.

⑧ Permutation, combination nPr, nCr

⑨ \times, \div

⑩ $+, -$

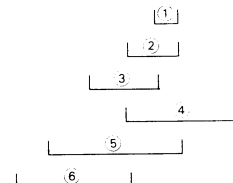
⑪ and

⑫ or, xor, xnor } In BASE-N mode only.

*When functions with the same priority are used in series, execution is performed from right to left for: $e^{\ln \sqrt{120}} \rightarrow e^{\ln(\sqrt{120})}$
 Otherwise, execution is from left to right.

*Everything contained within parentheses receives highest priority.

Example $2 + 3 \times (\log \sin 2\pi^2 + 6.8) = 22.07101691$ (in the "Rad" mode)

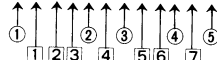


■ Number of stacks

This unit features a memory known as a "stack" for the temporary storage of low priority numeric values and commands (functions, etc.). The numeric value stack has nine levels, while the command stack has 24. If a complex formula is employed that exceeds the stack space available, a stack error (Stk ERROR) message will appear on the display.

Example

$$2 \times ((3 + 4 \times (5 + 4) + 3) \div 5) + 8 =$$



Numeric stack value

①	2
②	3
③	4
④	5
⑤	4
⋮	

Command stack

①	×
②	(
③	(
④	+
⑤	×
⑥	(
⑦	+
⋮	

*Calculations are performed in the order of the highest calculation priority first. Once a calculation is executed, it is cleared from the stack.

■ Number of input/output digits and calculation digits

The allowable input/output range (number of digits) of this unit is 10 digits for a mantissa, and 2 digits for an exponent. Calculations, however, are performed internally with a range of 12 digits for a mantissa and 2 digits for an exponent.

Example $3 \times 10^5 \div 7 =$

3EXP5 7

3EXP5 7

3E5/7
42857.14286
D

3E5/7 - 42857
0.1428571
D

Once a calculation is completed, the mantissa is rounded off to 10 digits and displayed.

Example $3 \times 10^5 \div 7 =$

3EXP5 7

3E5/7
42857.14286

42857.14286 - -
0.14286
D

■ Overflow and errors

If the operational range of the unit is exceeded, or incorrect inputs are made, an error message will appear on the display and subsequent operation will be impossible. This is carried out by the error check function. The following operations will result in errors:

- (1) The answer, whether intermediate or final, or any value in memory exceeds the value of $\pm 9.999999999 \times 10^{99}$.
- (2) An attempt is made to perform function calculations that exceed the input range. (See page 155.)
- (3) Improper operation during statistical calculations. (Ex. Attempting to obtain \bar{x} or σ_{on} without data input.)
- (4) Illegal argument.
(Ex. Negative value specified for Defm)
- (5) The capacity of the numeric value stack or the command stack is exceeded.
(Ex. Entering 23 successive 's followed by
- (6) Input errors are made. (Ex. 5 3
- (7) Even though memory has not been expanded, a memory such as Z [2] is used. (See page 42 for details on memory.)
- (8) When Prog command (see page 114) causes subroutine nesting overflow.
- (9) When no Lbl corresponds to Goto command (see page 111), or when no filename corresponds to Prog command (see page 114).

When error messages appear, most keys will become inoperative. In this case, press the key to return to normal operation. You can also press the key or key, causing the cursor to show the position of the error (see "Error position display function" on page 49).

The following error messages will be displayed for the operations noted above:

- (1) ~ (3) Ma ERROR
- (4) Arg ERROR
- (5) Stk ERROR
- (6) Syn ERROR
- (7) Mem ERROR
- (8) Ne ERROR
- (9) Go ERROR

Ne ERROR and Go ERROR messages mainly occur when using programs. (Refer to the Error Message Table on page 154.)

■ Number of input characters

This unit features a 127-step area for calculation execution.

One function comprises one step. Each press of numeric or \pm , $\frac{\square}{\square}$, \times and \div keys comprise one step. Though such operations as $\text{SHIFT} \text{X}^2$ (X^2 key) require two key operations, they actually comprise only one function, and, therefore, only one step. These steps can be confirmed using the cursor. With each press of the \leftarrow or \rightarrow key, the cursor is moved one step.

Input characters are limited to 127 steps. Usually, the cursor is represented by a blinking “_”, but once the 121st step is reached, the cursor changes to a blinking “■”. If the “■” appears during a calculation, the calculation should be divided at some point and performed in two parts.

*When numeric values or calculation commands are input, they appear on the display from the left. Calculation results, however, are displayed from the right.

■ Corrections

To make corrections in a formula that is being input, use the \leftarrow and \rightarrow keys to move to the position of the error and press the correct keys.

Example To change an input of 122 to 123:

1 2 2

\leftarrow

3

122_

122

123_

Example To change an input of cos60 to sin60:

cos 6 0

$\leftarrow \leftarrow \leftarrow$

sin

cos 60_

cos 60

sin 60

*If, after making corrections, input of the formula is complete, the answer can be obtained by pressing EXE . If, however, more is to be added to the formula, advance the cursor using the \rightarrow key to the end of the formula for input.

•If an unnecessary character has been included in a formula, use the \leftarrow and \rightarrow keys to move to the position of the error and press the DEL key. Each press of DEL will delete one command (one step).

Example To correct an input of $369 \times \times 2$ to 369×2 :

3 6 9 $\times \times$ 2

$\leftarrow \leftarrow \text{DEL}$

369 $\times \times$ 2_

369 \times 2

If a character has been omitted from a formula, use the \leftarrow and \rightarrow keys to move to the position where the character should have been input, and press SHIFT followed by the INS key. Each press of $\text{SHIFT} \text{INS}$ will create a space for input of one command.

Example To correct an input of 2.36^2 to $\sin 2.36^2$:

2 . 3 6 $\text{SHIFT} \text{X}^2$

$\leftarrow \leftarrow \leftarrow \leftarrow \leftarrow$

$\text{SHIFT} \text{INS}$

sin

2.36^2_

2.36^2

2.36^2

sin 2.36^2

*When $\text{SHIFT} \text{INS}$ are pressed, the space that is opened is displayed as “[]”. The function or value assigned to the next key you press will be inserted in the []. To exit from the insertion mode, move the cursors, press $\text{SHIFT} \text{INS}$, or press EXE .

Even after the EXE key has been pressed to calculate a result, it is possible to use this procedure for correction. Press the \leftarrow key to move the cursor to the place where the correction is to be made.

Section 2

Manual Calculations

Basic calculations

Memory

Special functions

Scientific function calculations

Engineering symbol calculations

Binary, octal, decimal, hexadecimal calculations

Statistical calculations

Formula memory function

Section 2 Manual Calculations

Basic calculations

Arithmetic operations

- Arithmetic operations are performed by pressing the keys in the same order as noted in the formula.
- For negative values, press \square before entering the value.

Example	Operation	Display (Lower)
$23 + 4.5 - 53 = -25.5$	$23 \square 4.5 \square 53 \square$	- 25.5
$56 \times (-12) \div (-2.5) = 268.8$	$56 \square \square 12 \square \square 2.5 \square$	268.8
$12369 \times 7532 \times 74103 = 6.903680613 \times 10^{12}$ (6903680613000)	$12369 \square 7532 \square 74103 \square$	6.903680613 12
$(4.5 \times 10^{75}) \times (-2.3 \times 10^{-79}) = -1.035 \times 10^{-3}$ (-0.001035)	$4.5 \square 75 \square \square 2.3 \square \square 79 \square$	- 1.035 -03
$(2+3) \times 10^2 = 500$ *The correct answer cannot be derived by entering $\square \square 2 \square 3 \square \square 2$. Be sure to enter \square 1 between the \square and \square in the above example.	$\square \square 2 \square 3 \square \square 1 \square \square 2 \square$	500.
$(1 \times 10^5) \div 7 = 14285.71429$	$1 \square \square 5 \square 7 \square$	14285.71429
$(1 \times 10^5) \div 7 - 14285 = 0.7142857$ *Internal calculations are calculated in 12 digits for a mantissa, and the result is displayed rounded off to 10 digits. Internally, however, the mantissa is calculated to 12 digits.	$1 \square \square 5 \square 7 \square 14285 \square$	0.7142857

- For mixed basic arithmetic operations, multiplication and division are given priority over addition and subtraction.

Example	Operation	Display (Lower)
$3 + 5 \times 6 = 33$	$3 \square 5 \square 6 \square$	33.
$7 \times 8 - 4 \times 5 = 36$	$7 \square 8 \square 4 \square 5 \square$	36.
$1 + 2 - 3 \times 4 \div 5 + 6 = 6.6$	$1 \square 2 \square 3 \square 4 \square 5 \square 6 \square$	6.6

Parenthesis calculations

Example	Operation	Display (Lower)
$100 - (2 + 3) \times 4 = 80$	$100 \square \square 2 \square 3 \square \square 4 \square$	80.
$2 + 3 \times (4 + 5) = 29$ *Closed parentheses occurring immediately before operation of the \square key may be omitted, no matter how many are required.	$2 \square 3 \square \square 4 \square 5 \square$	29.
$(7 - 2) \times (8 + 5) = 65$ *A multiplication sign \square occurring immediately before an open parenthesis can be omitted.	$\square \square 7 \square 2 \square \square 8 \square 5 \square$	65.
$10 - \{2 + 7 \times (3 + 6)\} = -55$ *Henceforth, abbreviated style will not be used in this manual.	$10 \square \square 2 \square 7 \square \square 3 \square 6 \square$	- 55.
$\frac{2 \times 3 + 4}{5} = (2 \times 3 + 4) \div 5 = 2$	$\square \square 2 \square 3 \square 4 \square \square 5 \square$	2.
$\frac{5 \times 6 + 6 \times 8}{15 \times 4 + 12 \times 3} = 0.8125$	$\square \square 5 \square 6 \square 6 \square 8 \square \square \square 15 \square 4 \square 12 \square 3 \square \square$	0.8125
$(1.2 \times 10^{19}) - \{(2.5 \times 10^{20}) \times \frac{3}{100}\} = 4.5 \times 10^{18}$	$1.2 \square \square 19 \square \square 2.5 \square \square 20 \square 3 \square 100 \square \square$	4.5 18
$\frac{6}{4 \times 5} = 0.3$ *The above is the same as $6 \square 4 \square 5 \square$.	$6 \square \square 4 \square 5 \square$	0.3

■ Percentage calculations

- Premium and discount calculations cannot be performed in the Eng Mode. To perform a premium or discount calculation, first press **MODE** **[]** to exit the Eng Mode. See page 59 for details.

Example	Operation	Display (Lower)
•Percentage 26% of \$15.00	15 × 26 [SHIFT] [%]	3.9
•Premium 15% increase from \$36.20	36.2 × 15 [SHIFT] [%] +	41.63
•Discount 4% discount from \$47.50	47.5 × 4 [SHIFT] [%] -	45.6
•Ratio 75 is what % of 250?	75 ÷ 250 [SHIFT] [%]	30. (%)
•Rate of change 141 is an increase of what % from 120? 240 is a decrease of what % from 300?	141 ÷ 120 [SHIFT] [%] 240 ÷ 300 [SHIFT] [%]	17.5 (%) - 20. (%)

■ Specifying the number of decimal places, the number of significant digits and the exponent display

- To specify the number of decimal places (Fix), press **MODE** followed by **[7]**, and then a value indicating the number of places (0 ~ 9). (The "Fix" indicator will appear on the display.)
- To specify the number of significant digits (Sci), press **MODE** followed by **[8]**, and then a value indicating the number of significant digits (0 ~ 9 to set from 1 to 10 digits with "0" indicating 10 digits). (The "Sci" indicator will appear on the display.)
- Pressing the **ENG** key or **[SHIFT]** followed by **[ENG]** will cause the exponent display for the number being displayed to change in multiples of 3.
- The specified number of decimal places or number of significant digits will not be cancelled until another value or **MODE** **[9]** is specified. (Specified values are not cancelled even if power is switched OFF or another mode (besides **MODE** **[9]**) is specified.)
- **MODE** **[9]** cancels Fix and Sci specifications, however the range of the exponent display can be set.

Each time **MODE** **[9]** is input, operation switches between Norm1 and Norm2.

Norm 1 : All values less than 10^{-2} or greater than 10^9 are automatically expressed as exponents.

Norm 2 : All values less than 10^{-9} or greater than 10^9 are automatically expressed as exponents.

- Even if the number of decimal places and number of significant digits are specified, internal calculations are performed in 12 digits for a mantissa, and the displayed value is stored in 10 digits. To convert these to the specified number of decimal places and significant digits, press **[SHIFT]** followed by **[RND]**.
- This operation is invalid in the BASE-N mode. To make this specification in the BASE-N mode, first press **MODE** followed by **[0]**.

Example	Operation	Display (Lower)
100 ÷ 6 = 16.66666666...	100 ÷ 6 [EXE]	16.66666667
	(Four decimal places specified.) MODE [7] [4]	16.6667 Fix
	(Specification cancelled.) MODE [9]	16.66666667
	(Five significant digits specified.) MODE [8] [5]	1.6667 ⁰¹ Sci
	(Specification cancelled.) MODE [9]	16.66666667
*Values are displayed rounded off to the place specified.		
1 ÷ 1000 = 0.001	(With Norm1 specified.) 1 ÷ 1000 [EXE]	1. ⁻⁰³
= 1×10^{-3}	(Norm2 specified) MODE [9]	0.001

$$200 \div 7 \times 14 = 400$$

200 \square 7 \square 14 \square EXE
(Three decimal places specified.) \square MODE \square 7 \square 3

(Calculation continues with 10 digits.) 200 \square 7 \square EXE

\square X

14 \square EXE

If the same calculation is performed with the specified number of digits:

200 \square 7 \square EXE

(Value stored internally cut off at specified decimal place.) \square SHIFT \square Rnd

\square X

14 \square EXE

(Specification cancelled.) \square MODE \square 9

$$123\text{m} \times 456 = 56088\text{m}$$

$$= 56.088\text{km}$$

123 \square X 456 \square EXE

\square ENG

$$78\text{g} \times 0.96 = 74.88\text{g}$$

$$= 0.07488\text{kg}$$

78 \square X 0.96 \square EXE

\square SHIFT \square ENG

400.

400.000
Fix

28.571
Fix

(Upper) $\rightarrow 8.57142857 \times _$
Fix

400.000
Fix

28.571
Fix

28.571
Fix

(Upper) 28.571 $\times _$
Fix

399.994
Fix

399.994

56088.

56.088 03

74.88

0.07488 03

Memory

This unit contains 26 standard memories. There are two basic types of memories, the <Variable> memories, which are accessed by using the \square STO and \square RCL keys in combination with the 26 letters of the alphabet, and the <Independent> memories, which are accessed by using the \square M+, \square SHIFT \square M-, \square RCL and \square M keys. The variable memory and independent memory utilize the same memory area.

Contents of both of the variable and independent memories are protected even when the power is turned OFF.

(1) Variable memories

Up to 26 values can be retained in memory at the same time, and can be recalled when desired.

Example Inputting 123 into memory "A":

\square AC 123

\square STO \square A

\square AC

\square RCL \square A

123 $_$

A = 123.

—

A = 123.

When formulas are input, the result of the formula's calculation is retained in memory.

Example Inputting the result of 123×456 into memory "B":

\square AC 123 \square X 456

\square STO \square B

\square AC

123 \times 456 $_$

B = 56088

—

RCL B

B =
56088

If a variable expression is entered, the expression is first calculated according to the values stored in the variable memories used in the expression. The result is then stored in the variable memory specified for the result.

Example Inputting the results of $A \times B$ into memory "C":

AC ALPHA A X ALPHA B

A × B _

STO C

C =
6898824.

AC

—

RCL C

C =
6898824.

*Syn ERROR is generated when an attempt is made to input a substitution formula (such as $C = A \times B$) or multistatements (such as $A \times B : C \times D$), and the existing memory contents are retained.

When input is made in a format such as " $S = \log 2$ ", where the variable is equal to the formula, the results of the calculation are input into the specified memory.

Example Executing " $S = \log 2$ ":

AC ALPHA S 2ndF = log 2

S = log 2 _

EXE

S = log 2
0.301029995

AC

—

RCL S

S =
0.301029995

*In the SD mode, variable memories S, T and U are used as statistical memories. In the LR mode, variable memories N, O, P, S, T, and U are used as statistical memories. In addition, G, H, I, J, K, L, and X can be used as integral memories. These variable memories cannot be used simultaneously while making statistical or integral calculations.

■ Array-type memories

Up to this point, all of the memories used have been referred to by single alphabetic characters such as A, B, X, or Y.

With the array-type memory introduced here, a memory name (one alphabetic character from A through Z) is appended with a subscript such as [1] or [2]. *Brackets input by ALPHA [n], ALPHA [x²].

Standard memory	Array memory
A	A[0]
B	A[1]
C	A[2]
D	A[3]

Proper use of the subscripts shortens programs and makes them easier to use.

● Memory expansion

Although there are 26 standard memories (A ~ Z), they can be expanded by changing program storage steps to memory. Memory expansion is performed by converting the 8 steps to one memory.

*See page 90 for information on the number of program steps.

Number of memories	26	27	28	36	100	163
Number of steps	1103	1095	1087	1023	511	7

Memory is expanded in units of one. A maximum of 137 memories can be added for a maximum total of 163. Expansion is performed by pressing **MODE** followed by **Ans**, a value representing the size of the expansion, and then **EXE**.

Example To expand the number of memories by 30 to bring the total to 56:

MODE Ans 30

Defm 30 _

EXE

Defm 30
30.

To check the current number of expanded memories, press **MODE** followed by **Ans** and **EXE**.

MODE **Ans** **EXE**

Defm

30.

To initialize the number of memories (to return the number to 26) enter a zero for the value in the memory expansion sequence outlined above.

MODE **Ans** **0** **EXE**

Defm 0

0.

*Though a maximum of 137 memories can be added, if a program has already been stored and the number of remaining steps is less than the desired expansion, an error (Mem ERROR) will be generated and expansion will be impossible.

*The expansion procedure (**MODE** **Ans** expansion value) can also be stored as a program.

• Using expanded memories

Expanded memories are used in the same manner as standard memories, and are referred to as variable $Z[n]$ through variable $A[n+25]$, etc., as shown below:

$Z[1] = Y[2] = X[3] = \dots = A[26]$ (Defm 1)

$Z[2] = Y[3] = X[4] = \dots = A[27]$ (Defm 2)

\vdots

$Z[n] = Y[n+1] = X[n+2] = \dots = A[n+25]$ (Defm n)

* n is the number of expanded memories.

For example, when two memories are added:

$Z[1] = Y[2] = X[3] = \dots = A[26]$

$Z[2] = Y[3] = X[4] = \dots = A[27]$

These memories are used in the same way as array-type memories, with a subscript being appended to the name.

Example Inputting 123 in $Z[2]$:

MODE **Ans** **2** **EXE**

Defm 2

2.

ALPHA **Z** **ALPHA** **F** **2** **ALPHA** **J** **2ndF**

= **123**

$Z[2] = 123$

EXE

$Z[2] = 123$

123.

Recall memory data.

AC

ALPHA **Z** **ALPHA** **F** **2** **ALPHA** **J**

EXE

$Z[2]$

$Z[2]$

123.

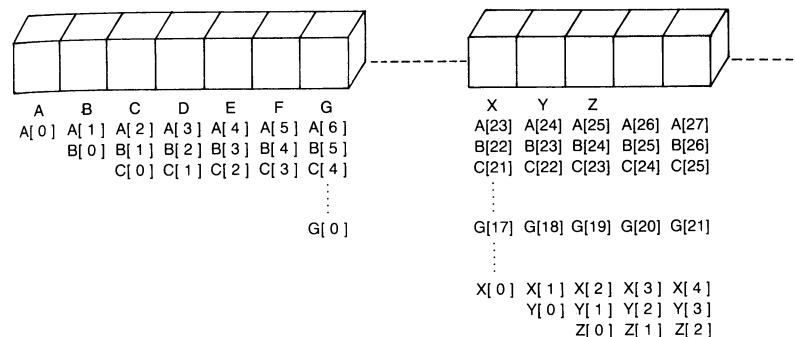
• Cautions when using array-type memories

When using array-type memories, a subscript is appended to an alphabetic character that represents a standard memory from A through Z.

Therefore, care must be taken to prevent overlap of memories.

*The following shows a case in which array-type memories overlap with standard format memories. This situation should always be avoided.

The relation is as follows:



■ Deleting memories

To delete all contents of variable memories (including expanded memories), press **SHIFT** followed by **Mcl** **EXE**.

(2) Independent memories

Addition and subtraction (to and from sum) results can be stored directly in memory. Results can also be totaled in memory, making it easy to calculate sums.

Example Inputting 123 to independent memory:

AC 123

123_

M+

123

123.

Recall memory data.

AC

—

RCL M

M =

123.

Add 25, subtract 12

25 M+ 12 SHIFT M-

(Pressing 25 = 12 M+ provides same result.)

12

12.

Recall memory data.

AC

—

RCL M

M =

136.

*To clear memory contents, press 0 STO M.

*Addition/subtraction to or from sum in memory cannot be carried out with M+, SHIFT and M- keys in SD mode and LR mode.

•Difference between STO M and M+, SHIFT M-.

Both STO M and M+, SHIFT M- can be used to input results into memory, however when the STO M operation is used, previous memory contents are cleared. When M+, SHIFT M- is used, value is added or subtracted to or from present sum in memory.

Example Inputting 456 into memory "M" using STO M procedure. Memory already contains value of 123:

AC 123 STO M

M =

123.

AC 456 STO M

M =

456.

AC

—

RCL M

M =

456.

Example Inputting 456 into memory "M" using M+. Memory already contains value of 123:

AC 123 STO M

M =

123.

AC 456 M+

456

456.

AC

—

RCL M

M =

579.

Special functions

Answer function

This unit has an answer function that stores the result of the most recent calculation. Once a numeric value or numeric expression is entered and **EXE** is pressed, the result (the answer in the case of numeric formulas) is stored by this function.

To recall the stored value, press the **Ans** key. When **Ans** is pressed, "Ans" will appear on the display, and the value can be used in subsequent calculations.

*As the "Ans" function works just like any other memory, it will be referred to as "Ans memory" in subsequent sections of this manual.

Example $123 + 456 = 579$
 $789 - 579 = 210$

AC **1** **2** **3** **+** **4** **5** **6** **EXE**

7 **8** **9** **=** **Ans**

EXE

$123 + 456$
579.

$789 - \text{Ans}$

$789 - \text{Ans}$
210.

Numeric values with 12 digits for a mantissa and 2 digits for an exponent can be stored in the Ans memory. The Ans memory is not erased even if the power of the unit is turned OFF. Each time **EXE**, **SHIFT** **2**, **M+**, **SHIFT** **M-** and **STO** α ($\alpha = A \sim Z$) is pressed, the value in the Ans memory is replaced with the new value produced by the calculation execution. When execution of a calculation results in an error, however, the Ans memory retains its current value.

*Contents of Ans memory are not altered when **RCL** α ($\alpha = A \sim Z$) is used to recall contents of variable memory. Also, contents of Ans memory are not altered when variables are input when the variable input prompt is displayed.

Omitting the multiplication sign (\times)

When inputting a formula as it is written, from left to right, it is possible to omit the multiplication sign (\times) in the following cases:

1) Before the following functions:

\sin , \cos , \tan , \sin^{-1} , \cos^{-1} , \tan^{-1} , \sinh , \cosh , \tanh , \sinh^{-1} , \cosh^{-1} , \tanh^{-1} , \log , \ln , 10^x , e^x , $\sqrt{\quad}$, $\sqrt[3]{\quad}$, $\text{Pol}(x, y)$, $\text{Rec}(r, \theta)$

Ex. $2\sin 30$, $10\log 12$, $2\sqrt[3]{\quad}$, $2\text{Pol}(5, 12)$, etc.

2) Before fixed numbers, variables and memories:

Ex. 2π , $2AB$, 3Ans , etc.

3) Before parentheses:

Ex. $3(5 + 6)$, $(A + 1)(B - 1)$, etc.

Continuous calculation function

Even if calculations are concluded with the **EXE** key, the result obtained can be used for further calculations. In this case, calculations are performed with 10 digits for the mantissa which is displayed.

Example To calculate $\div 3.14$ continuing after $3 \times 4 = 12$:

AC **3** **x** **4** **EXE**

(Continuing) **3.14**

EXE

3×4
12.

$12. / 3.14$

$12. / 3.14$
3.821656051

Example To calculate $1 \div 3 \times 3 =$:

AC **1** **1/3** **x** **3** **EXE**

1 **1/3** **EXE**

(Continuing) **3** **EXE**

$1 / 3 \times 3$
1.

$1 / 3$
0.333333333

0.333333333×3
0.999999999

Calculations performed with 10 digits for mantissa.

This function can be used with Type A functions (x^2 , x^{-1} , $x!$, see page 27), $+$, $-$, x^y , $\sqrt[3]{\quad}$, and \circ° .

Example Squaring the result of $78 \div 6 = 13$:

AC **78** **1/6** **EXE**

$78 / 6$
13.

(Continuing) SHIFT x^2

EXE

$13.^2_$

$13.^2$
169.

■Replay function

This function stores formulas that have been executed. After execution is complete, pressing either the F1 or F2 key will display the formula executed.

Pressing F1 will display the formula from the beginning, with the cursor located under the first character.

Pressing F2 will display the formula from the end, with the cursor located at the space following the last character. After this, using the F1 and F2 to move the cursor, the formula can be checked and numeric values or commands can be changed for subsequent execution.

Example

AC 123×456 EXE

F1

EXE

F2

Example

$4.12 \times 3.58 + 6.4 = 21.1496$

$4.12 \times 3.58 - 7.1 = 7.6496$

AC $4.12 \times 3.58 + 6.4$ EXE

F1

123×456
56088.

123×456

123×456
56088.

$123 \times 456_$

$4.12 \times 3.58 + 6.4 =$
21.1496

$- 12 \times 3.58 + 6.4_$

F1 F2 F3 F4

F1 7.1

EXE

$- 4.12 \times 3.58 + 6.4 =$

$- 12 \times 3.58 - 7.1 =$

$4.12 \times 3.58 - 7.1 =$
7.6496

*As with the number of input characters (see page 30), the replay function can accept input of up to 127 steps.

*The replay function is not cleared even when AC is pressed or when power is turned OFF, so contents can be recalled even after AC is pressed.

Example

AC 123×456 EXE

AC

F1

123×456
56088.

AC

$123 \times 456_$

*Replay function is cleared when mode or operation is switched.

■Error position display function

When an ERROR message appears during operation execution, the error can be cleared by pressing the AC key and the values or formula can be re-entered from the beginning. However, by pressing the F1 or F2 key, the ERROR message is cancelled and the cursor moves to the point where the error was generated.

Example $14 \div 0 \times 2.3$ mistakenly input instead of $14 \div 10 \times 2.3$:

AC $14 \div 0 \times 2.3$ EXE

F1 (or F2)

Ma ERROR

$14 \div 0 \times 2.3$

Cursor indicates where error is

← [SHIFT] [INS] 1

[EXE]

14/1.0 × 2.3

14/10 × 2.3
3.22

■ Multistatement function

- The multistatement function (using colons to separate formulas or statements) available in program calculations can also be used for manual calculations.
- The multistatement function allows formulas to be separated by colons ([2ndF] [:]) to make consecutive, multiple statement calculations possible.
- When [EXE] is pressed to execute a formula input using the multistatement format, the formula is executed in order from the beginning.
- Inputting "▲" ([2ndF] [▲]) in place of the colon ([2ndF] [:]) will display the calculation result up to that point during execution.

Example 6.9 × 123 = 848.7
123 ÷ 3.2 = 38.4375

AC 123 [STD] [A] 6.9 [X] [ALPHA]
[A] [2ndF] [▲] [ALPHA] [A] [3.2] [EXE]

6.9 × A
848.7

↑
Appears on display when "▲" is used.

[EXE]

A/3.2
38.4375

- * Even if "▲" is not input at the end of a formula, the final result will be displayed.
- * Consecutive calculations containing multistatements cannot be performed.

123 × 456 : × 5
Invalid

- Calculations can be performed while an intermediate result is displayed during execution interrupted by "▲".

Example [MODE] 4 5 [X] 6 [2ndF] [▲] 7 [X] 8

[EXE]

5 × 6 ▲ 7 × 8

5 × 6
30.

[sin] [Ans]

[EXE]

sin Ans

[Disp] [D]

sin Ans

0.5

[Disp] [D]

When interrupt operation is completed, press [EXE] once again to execute.

[EXE]

7 × 8

56.

[D]

Scientific function calculations

Trigonometric functions and inverse trigonometric functions

- Be sure to set the unit of angular measurement before performing trigonometric function and inverse trigonometric function calculations.
- The unit of angular measurement (degrees, radians, grads) is set by pressing **MODE** followed by a value from **[4]** to **[6]**.

$$(90^\circ = \frac{\pi}{2} \text{ radians} = 100 \text{ grads})$$

- Once a unit of angular measurement is set, it remains in effect until a new unit is set. Settings are not cleared when power is switched OFF.
- This operation is invalid in the BASE-N mode. When in the BASE-N mode, make setting after pressing **MODE** followed by **[0]**.

Example	Operation	Display (Lower)
$\sin 63^\circ 52' 41'' = 0.897859012$	MODE [4] → “D” SIN 63 52 41 EXE	0.897859012
$\cos\left(\frac{\pi}{3} \text{ rad}\right) = 0.5$	MODE [5] → “R” COS (SHIFT [π] 3) EXE	0.5
$\tan(-35\text{gra}) = -0.612800788$	MODE [6] → “G” TAN (-) 35 EXE	-0.612800788
$2 \cdot \sin 45^\circ \times \cos 65^\circ = 0.597672477$	MODE [4] → “D” 2 × SIN 45 × COS 65 EXE Can be omitted. Can be entered as .5	0.597672477
$\sin^{-1} 0.5 = 30^\circ$ (Determines x for $\sin x = 0.5$)	SHIFT SIN 0.5 EXE Can be entered as .5	30.
$\cos^{-1} \frac{\sqrt{2}}{2} = 0.785398163 \text{ rad}$ $= \frac{\pi}{4} \text{ rad}$	MODE [5] → “R” SHIFT COS (SHIFT [π] 2 2) EXE SHIFT [π] EXE	0.785398163 0.249999999

$$\tan^{-1} 0.741 = 36.53844577^\circ = 36^\circ 32' 18.4''$$

MODE **[4]** → “D”

SHIFT **[TAN]** **0.741** **EXE**
SHIFT **[π]**

36.53844577
36° 32' 18.4

*If the total number of digits for degrees/minutes/seconds exceeds 11 digits, the high-order values (degrees and minutes) are given display priority, and any lower-order values are not displayed. However, the entire value is stored within the unit as a decimal value.

$$2.5 \times (\sin^{-1} 0.8 - \cos^{-1} 0.9) = 68^\circ 13' 13.53''$$

2.5 **×** **(** **SHIFT** **SIN** **0.8** **-** **SHIFT** **COS** **0.9** **)** **EXE** **SHIFT** **[π]**

68° 13' 13.53

Logarithmic and exponential functions

- The following operation is invalid in the BASE-N mode. When in the BASE-N mode, carry out calculation after pressing **MODE** followed by **[0]**.

Example	Operation	Display
$\log 1.23$ ($\log_{10} 1.23$) = 8.9905111×10^{-2}	LOG 1.23 EXE	0.089905111
$\ln 90$ ($\log 90$) = 4.49980967	LN 90 EXE	4.49980967
$\log 456 \div \ln 456$ = 0.434294481 (log/ln ratio = constant M)	LOG 456 ÷ LN 456 EXE	0.434294481
$10^{1.23} = 16.98243652$ (To obtain the anti-logarithm of common logarithm 1.23)	SHIFT [10^x] 1.23 EXE	16.98243652
$e^{4.5} = 90.0171313$ (To obtain the anti-logarithm of natural logarithm 4.5)	SHIFT [e^x] 4.5 EXE	90.0171313
$10^4 \cdot e^{-4} + 1.2 \cdot 10^{2.3}$ = 422.5878667	SHIFT [10^x] 4 × SHIFT [e^x] (-) 4 + 1.2 × SHIFT [10^x] 2.3 EXE	422.5878667
$(-3)^4 = (-3) \times (-3) \times (-3) \times (-3)$ = 81	((-) 3) × ((-) 3) × ((-) 3) × ((-) 3) EXE	81.
$-3^4 = -(3 \times 3 \times 3 \times 3) = -81$	(-) 3 × 3 × 3 × 3 EXE	-81.
$5.6^{2.3} = 52.58143837$	5.6 ↑ 2.3 EXE	52.58143837
$\sqrt[3]{123} (= 123^{\frac{1}{3}})$ = 1.988647795	7 SHIFT [\sqrt{x}] 123 EXE	1.988647795

$(78 - 23)^{-12}$ $= 1.305111829 \times 10^{-21}$	$\boxed{\boxed{78}} \boxed{-} \boxed{23} \boxed{\div} \boxed{x^2} \boxed{(-)} \boxed{12} \boxed{EXE}$	1.305111829
$2 + 3 \times \sqrt[3]{64} - 4 = 10$ $*x^y$ and $\sqrt[n]{}$ given calculation priority over \times and $/$.	$2 \boxed{+} 3 \boxed{\times} 3 \boxed{\sqrt[n]} \boxed{64} \boxed{-} 4 \boxed{EXE}$	10.
$2 \times 3.4^{(5+6.7)} = 3306232.001$	$2 \boxed{\times} 3.4 \boxed{x^y} \boxed{(} \boxed{5} \boxed{+} 6.7 \boxed{)} \boxed{EXE}$	3306232.001

■ Performing hyperbolic and inverse hyperbolic functions

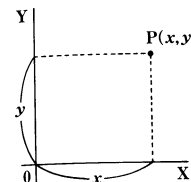
• The following operation is invalid in the BASE-N mode. When in the BASE-N mode, carry out calculation after pressing \boxed{MODE} followed by $\boxed{0}$.

Example	Operation	Display (Lower)
$\sinh 3.6 = 18.28545536$	$\boxed{hyp} \boxed{\sin} \boxed{3.6} \boxed{EXE}$	18.28545536
$\cosh 1.23 = 1.856761057$	$\boxed{hyp} \boxed{\cos} \boxed{1.23} \boxed{EXE}$	1.856761057
$\tanh 2.5 = 0.986614298$	$\boxed{hyp} \boxed{\tan} \boxed{2.5} \boxed{EXE}$	0.986614298
$\cosh 1.5 - \sinh 1.5$ $= 0.22313016$ $= e^{-1.5}$ (Proof of $\cosh x \pm \sinh x = e^{\pm x}$)	$\boxed{hyp} \boxed{\cos} \boxed{1.5} \boxed{-} \boxed{hyp} \boxed{\sin} \boxed{1.5} \boxed{EXE}$ (Continuing) $\boxed{\ln} \boxed{Ans} \boxed{EXE}$	0.22313016 - 1.5
$\sinh^{-1} 30 = 4.094622224$	$\boxed{hyp} \boxed{SHIFT} \boxed{\sin} \boxed{30} \boxed{EXE}$	4.094622224
$\cosh^{-1} \left(\frac{20}{15} \right) = 0.795365461$	$\boxed{hyp} \boxed{SHIFT} \boxed{\cos} \boxed{(} \boxed{20} \boxed{\div} \boxed{15} \boxed{)} \boxed{EXE}$	0.795365461
Determine the value of x when $\tanh 4x = 0.88$ $x = \frac{\tanh^{-1} 0.88}{4}$ $= 0.343941914$	$\boxed{hyp} \boxed{SHIFT} \boxed{\tan} \boxed{0.88} \boxed{\div} \boxed{4} \boxed{EXE}$	0.343941914
$\sinh^{-1} 2 \times \cosh^{-1} 1.5$ $= 1.389388923$	$\boxed{hyp} \boxed{SHIFT} \boxed{\sin} \boxed{2} \boxed{\times} \boxed{hyp} \boxed{SHIFT} \boxed{\cos} \boxed{1.5} \boxed{EXE}$	1.389388923
$\sinh^{-1} \left(\frac{2}{3} \right) + \tanh^{-1} \left(\frac{4}{5} \right)$ $= 1.723757406$	$\boxed{hyp} \boxed{SHIFT} \boxed{\sin} \boxed{(} \boxed{2} \boxed{\div} \boxed{3} \boxed{)} \boxed{+} \boxed{hyp} \boxed{SHIFT} \boxed{\tan} \boxed{(} \boxed{4} \boxed{\div} \boxed{5} \boxed{)} \boxed{EXE}$	1.723757406

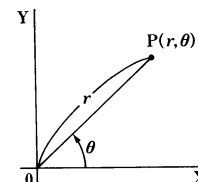
■ Coordinate transformation

• Your scientific calculator lets you convert between rectangular coordinates and polar coordinates.

• Rectangular coordinates



• Polar coordinates



Pol
Rec

• Calculation results are stored in variable memory V and variable memory W. Contents of variable memory V are displayed initially. To display contents of memory W, press $\boxed{RCL} \boxed{W}$.

	V	W
Pol	r	θ
Rec	x	y

• With polar coordinates, θ can be calculated within a range of $-180^\circ < \theta \leq 180^\circ$. (Calculation range is the same with radians or grads.)

• The following operation is invalid in the BASE-N mode. When in the BASE-N mode, carry out calculation after pressing \boxed{MODE} followed by $\boxed{0}$.

Example	Operation	Display (Lower)
If $x = 14$ and $y = 20.7$, what are r and θ° ?	$\boxed{MODE} \boxed{4} \rightarrow \text{"D"}$ $\boxed{SHIFT} \boxed{Pol} \boxed{14} \boxed{\div} \boxed{20.7} \boxed{EXE}$ (Continuing) $\boxed{RCL} \boxed{W} \boxed{SHIFT} \boxed{ON}$	24.98979792 (r) 55° 55' 42.2 (θ)
If $x = 7.5$ and $y = -10$, what are r and θ rad?	$\boxed{MODE} \boxed{5} \rightarrow \text{"R"}$ $\boxed{SHIFT} \boxed{Pol} \boxed{7.5} \boxed{\div} \boxed{(-)} \boxed{10} \boxed{EXE}$ (Continuing) $\boxed{RCL} \boxed{W}$	12.5 (r) - 0.927295218 (θ)
If $r = 25$ and $\theta = 56^\circ$, what are x and y ?	$\boxed{MODE} \boxed{4} \rightarrow \text{"D"}$ $\boxed{SHIFT} \boxed{Rcl} \boxed{25} \boxed{\div} \boxed{56} \boxed{EXE}$ (Continuing) $\boxed{RCL} \boxed{W}$	13.97982259 (x) 20.72593931 (y)
If $r = 4.5$ and $\theta = \frac{2}{3}\pi$ rad, what are x and y ?	$\boxed{MODE} \boxed{5} \rightarrow \text{"R"}$ $\boxed{SHIFT} \boxed{Rcl} \boxed{4.5} \boxed{\div} \boxed{2} \boxed{\div} \boxed{3} \boxed{\times} \boxed{EXE}$ (Continuing) $\boxed{RCL} \boxed{W}$	- 2.25 (x) 3.897114317 (y)

■ Permutation and combination

• Total number of permutations

$${}_nP_r = \frac{n!}{(n-r)!}$$

• Total number of combinations

$${}_nC_r = \frac{n!}{r!(n-r)!}$$

• The following operation is invalid in the BASE-N mode. When in the BASE-N mode, carry out calculation after pressing **MODE** followed by **0**.

Example	Operation	Display (Lower)
Taking any four out of ten items and arranging them in a row, how many different arrangements are possible? ${}_{10}P_4 = 5040$	10 SHIFT nPr 4 EXE	5040.
Using any four numbers from 1 to 7, how many four-digit even numbers can be formed if none of the four digits consist of the same number? ($\frac{3}{7}$ of the total number of permutations will be even.) ${}_7P_4 \times \frac{3}{7} = 360$	7 SHIFT nPr 4 EXE 3 ÷ 7 EXE	360.
If any four items are removed from a total of 10 items, how many different combinations of four items are possible? ${}_{10}C_4 = 210$	10 SHIFT nCr 4 EXE	210.
If 5 class officers are being selected for a class of 15 boys and 10 girls, how many combinations are possible? At least one girl must be included in each group. ${}_{25}C_5 - {}_{15}C_5 = 50127$	25 SHIFT nCr 5 EXE 15 SHIFT nCr 5 EXE	50127.

■ Other functions ($\sqrt{\quad}$, x^2 , x^{-1} , $x!$, $\sqrt[3]{\quad}$, **Ran#**)

• The following operation is invalid in the BASE-N mode. When in the BASE-N mode, carry out calculation after pressing **MODE** followed by **0**.

Example	Operation	Display
$\sqrt{2} + \sqrt{5} = 3.65028154$	✓ 2 ✓ 5 EXE	3.65028154
$2^2 + 3^2 + 4^2 + 5^2 = 54$	2 SHIFT x² + 3 SHIFT x² + 4 SHIFT x² + 5 SHIFT x² EXE	54.
$(-3)^2 = (-3) \times (-3) = 9$	(- 3) SHIFT x² EXE	9.
$-3^2 = -(3 \times 3) = -9$	(- 3 SHIFT x² EXE	-9.
$\frac{1}{\frac{1}{3} - \frac{1}{4}} = 12$	(1 SHIFT x² = 4 SHIFT x²) SHIFT x² EXE	12.
$8! = 1 \times 2 \times 3 \times \dots \times 8 = 40320$	8 SHIFT x! EXE	40320.
$\sqrt[3]{36 \times 42 \times 49} = 42$	SHIFT √ (36 × 42 × 49) EXE	42.
Random number generation (pseudorandom number from 0.000 to 0.999)	SHIFT Ran# EXE	(Ex.) 0.792
$\sqrt{13^2 - 5^2} + \sqrt{3^2 + 4^2} = 17$	✓ (13 SHIFT x² - 5 SHIFT x²) ✓ (3 SHIFT x² + 4 SHIFT x²) EXE	17.
$\sqrt{1 - \sin^2 40^\circ} = 0.766044443 = \cos 40^\circ$	MODE 4 → "D" ✓ (1 - (sin 40)) SHIFT x² EXE	0.766044443
(Proof of $\cos \theta = \sqrt{1 - \sin^2 \theta}$)	(Continuing) SHIFT cos Ans EXE	40.

$$\frac{1}{2!} + \frac{1}{4!} + \frac{1}{6!} + \frac{1}{8!}$$

$$= 0.543080357$$

$$\frac{2}{2!} + \frac{4}{4!} + \frac{6}{6!} + \frac{8}{8!}$$

$$= 0.543080357$$

Fractions

Fractions are input and displayed in the following order: integer, numerator, denominator.

Example	Operation	Display (Lower)
$\frac{2}{5} + 3\frac{1}{4} = 3\frac{13}{20}$ $= 3.65$ *Fractions can be converted to decimals, and then converted back to fractions.	2 2 5 + 3 1 4 EXE (Conversion to decimal) 2	3 1 13 20 . 3.65
$3\frac{456}{78} = 8\frac{11}{13}$ (Reduced) *Fractions and improper fractions which can be reduced become reduced fractions when the calculation command key is pressed. Press SHIFT 1/□ to convert to improper fraction.	3 4 5 6 1/□ 7 8 EXE (Continuing) SHIFT 1/□	8 1 11 13 . 115 13 .
$\frac{1}{2578} + \frac{1}{4572}$ $= 6.066202547 \times 10^{-4}$ *When the total number of characters, including integer, numerator, denominator and delimiter mark exceeds 10, the input fraction is automatically displayed in decimal format.	1 1/□ 2 5 7 8 + 1 4 5 7 2 EXE	6.066202547 $\times 10^{-4}$ (Norm mode)
$\frac{1}{2} \times 0.5 = 0.25$ *Calculations containing both fractions and decimals are calculated in decimal format.	1 1/□ 2 × 0 5 EXE	0.25
$\frac{1}{3} \times (-\frac{4}{5}) - \frac{5}{6} = -1\frac{1}{10}$	1 1/□ 3 × (-) 4 5 1/□ 5 1/□ 6 EXE	-1 1 1 10 .
$\frac{1}{2} \times \frac{1}{3} + \frac{1}{4} \times \frac{1}{5} = \frac{13}{60}$	1 1/□ 2 × 1 1/□ 3 + 1 1/□ 4 × 1 1/□ 5 EXE	13 60 .
$\frac{1}{\frac{2}{3}} = \frac{1}{6}$	1 1/□ 2 1/□ 3 EXE	1 6
$\frac{1}{\frac{1}{3} + \frac{1}{4}} = 1\frac{5}{7}$	1 1/□ (1 1/□ 3 + 1 1/□ 4) EXE	1 5 7

*When parentheses are used in numerators or denominators, it is possible to carry out fractional calculations.

Engineering symbol calculations

- This unit allows engineering calculations utilizing engineering symbols.
- The Eng mode is specified by pressing **MODE** **□** in the COMP mode (**MODE** **0**), LR mode (**MODE** **2**), SD mode (**MODE** **3**) ("Eng" symbol appears on display). To exit from this mode, press **MODE** **□** once again.

Operation	Unit	Unit symbol
SHIFT k (= 6)	10^3	k (kilo)
SHIFT M (= 7)	10^6	M (mega)
SHIFT G (= 8)	10^9	G (giga)
SHIFT T (= 9)	10^{12}	T (tera)
SHIFT m (= 5)	10^{-3}	m (milli)
SHIFT μ (= 4)	10^{-6}	μ (micro)
SHIFT n (= 3)	10^{-9}	n (nano)
SHIFT p (= 2)	10^{-12}	p (pico)
SHIFT f (= 1)	10^{-15}	f (femto)

Example	Operation	Display (Lower)
999k (kilo) + 25k (kilo) = 1.024M (mega)	MODE □ → "Eng" 999 SHIFT k + 25 SHIFT k EXE	1.024 ^M
100m (milli) × 5μ (micro) = 500n (nano)	100 SHIFT m × 5 SHIFT μ EXE	500. ⁿ
9 ÷ 10 = 0.9 = 900m (milli)	9 1/□ 10 EXE SHIFT ENG ENG	900. ^m 0.9 900. ^m

Binary, octal, decimal, hexadecimal calculations

- Binary, octal, decimal and hexadecimal calculations, conversions and logical operations are performed in the BASE-N mode (press **MODE** **1**).
- The number system (2, 8, 10, 16) is set by respectively pressing **BIN**, **OCT**, **DEC** or **HEX**. A corresponding symbol — “b”, “o”, “d” or “h” appears on the display.
- Number systems are specified for specific values by pressing **SHIFT**, then the number system designator (b, o, d, or h), immediately followed by the value.
- General function calculations cannot be performed in the BASE-N mode.
- Only integers can be handled in the BASE-N mode. If a calculation produces a result that includes a decimal value, the decimal portion is cut off.
- If values not valid for the particular number system are used, attach the corresponding designator (b, o, d or h), or an error message will appear.

Number system	Valid values
Binary	0, 1
Octal	0, 1, 2, 3, 4, 5, 6, 7
Decimal	0, 1, 2, 3, 4, 5, 6, 7, 8, 9
Hexadecimal	0, 1, 2, 3, 4, 5, 6, 7, 8, 9, A, B, C, D, E, F

- To distinguish the A, B, C, D, E and F used in the hexadecimal system from standard letters, they appear as shown in the chart below.

Key	Display (Upper)
[A] (= [C-])	/A
[B] (= [C+])	/B
[C] (= [hyp])	/C
[D] (= [sin])	/D
[E] (= [cos])	/E
[F] (= [tan])	/F

- Negative numbers in binary, octal and hexadecimal are expressed as two's complements.
- Number of digits displayed in each number system

Number system	Number of digits displayed
Binary	Up to 32 digits (8 digits × 4 blocks)
Octal	Up to 11 digits (8 digits + 3 digits)
Decimal	Up to 10 digits
Hexadecimal	Up to 8 digits

- Calculation range (in BASE-N mode)

Binary	Positive	$01111111111111111111111111111111 \geq x \geq 0$
	Negative	$11111111111111111111111111111111 \geq x$ $\geq 10000000000000000000000000000000$
Octal	Positive	$1777777777 \geq x \geq 0$
	Negative	$3777777777 \geq x \geq 20000000000$
Decimal	Positive	$2147483647 \geq x \geq 0$
	Negative	$-1 \geq x \geq -2147483648$
Hexadecimal	Positive	$7FFFFFFF \geq x \geq 0$
	Negative	$FFFFFFF \geq x \geq 80000000$

Binary and octal block display

In the binary mode, a maximum of 32 digits are displayed in 4 blocks of 8 digits. In the octal mode, a maximum of 11 digits are displayed in one block of 8 digits, and a second block of 3 digits.

Example In binary mode:

Block 4	Block 3	Block 2	Block 1
10000111	01100101	01000011	00100001
8 digits	8 digits	8 digits	8 digits
32 digits			

In octal mode:

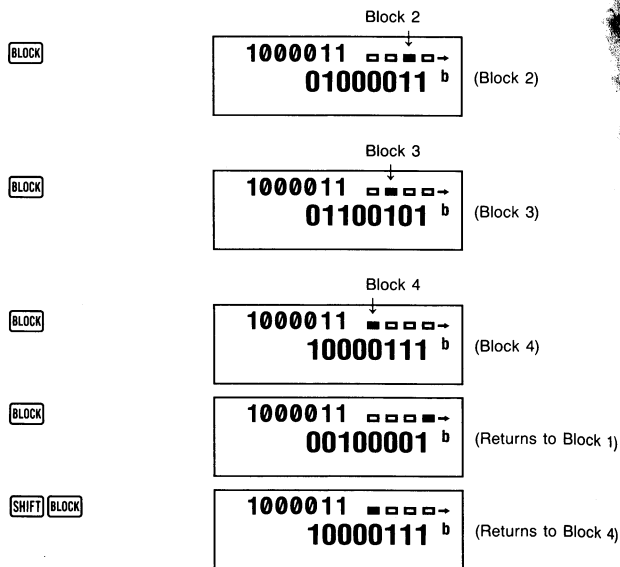
Block 2	Block 1
012	34567012
3 digits	8 digits
11 digits	

- In the binary mode, Block 1 is displayed immediately after calculation. Other blocks are displayed by pressing the **BLOCK** key. The block number increments each time you press the **BLOCK** key. The 4-digit symbol display at the upper right indicates the block presently being displayed. To reverse the order (shift from Block 4 to Block 3, etc.), press **SHIFT** **BLOCK**.

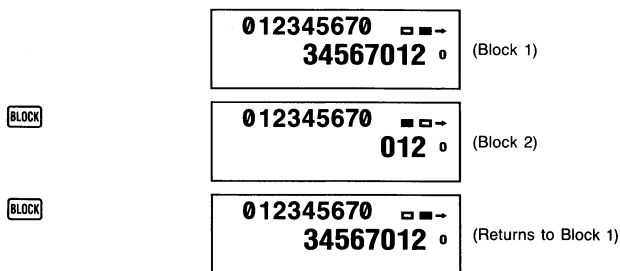
Indicates Block 1 presently displayed

1000011	----
00100001	b

(Block 1)



• In the octal mode, Block 1 is displayed immediately after calculation. Block 2 displayed by pressing the **[BLOCK]** key. The block display switches between Block 1 and Block 2 each time you press the **[BLOCK]** key. The 2-digit symbol display at the upper right indicates the block presently being displayed.



■ Binary, octal, decimal, hexadecimal conversions

There are two ways to perform reciprocal binary, octal, decimal and hexadecimal conversions.

● Conversion using number system specification key

Value from a different number system input when a specific number system mode is being used.

Example	Operation	Display (Lower)
What are the decimal values for $2A_{16}$ and 274_8 ?	[MODE] [1] [Dec] → “d” [SHIFT] [h] 2A [EXE] [SHIFT] [o] 274 [EXE]	^d 42 ^d 188 ^d
What are the hexadecimal values for 123_{10} and 1010_2 ?	[Hex] → “H” [SHIFT] [d] 123 [EXE] [SHIFT] [b] 1010 [EXE]	0000007b ^H 0000000A ^H
What are the octal values for 15_{16} and 1100_2 ?	[Oct] → “o” [SHIFT] [h] 15 [EXE] [SHIFT] [b] 1100 [EXE]	^o 00000025 ^o 00000014 ^o
What are the binary values for 36_{10} and $2C_{16}$?	[Bin] → “b” [SHIFT] [d] 36 [EXE] [SHIFT] [h] 2C [EXE]	^b 00100100 ^b 00101100 ^b

● Conversion using number system mode key

Calculation results can be converted to any specified number system by using the corresponding number system mode key.

Example	Operation	Display (Lower)
How is 22_{10} expressed in binary, octal and hexadecimal number systems?	[MODE] [1] [Dec] → “d” 22 [EXE] [Bin] [Oct] [Hex]	^d 22 ^d ^b 00010110 ^b ^o 00000026 ^o ^H 00000016 ^H

■ Negative expressions

Example	Operation	Display (Lower)
How is 110010_2 expressed as a negative?	MODE [1] Bin → "b" Neg 110010 EXE BLOCK BLOCK BLOCK	11001110 b 11111111 b 11111111 b 11111111 b
How is 72_8 expressed as a negative?	Oct → "o" Neg 72 EXE BLOCK	77777706 o 377 o
How is $3A_{16}$ expressed as a negative?	Hex → "H" Neg 3A EXE	FFFFFC6 H

■ Basic arithmetic operations using binary, octal, decimal and hexadecimal values

Example	Operation	Display (Lower)
$10111_2 + 11010_2 = 110001_2$	MODE [1] Bin → "b" 10111 11010 EXE	00110001 b
$B47_{16} - DF_{16} = A68_{16}$	Hex → "H" B47 DF EXE	0000A68 H
$123_8 \times ABC_{16} = 37AF4_{16}$ $= 228084_{10}$	SHIFT [O] 123 ABC EXE Dec	00037AF4 H 228084 d
$1F2D_{16} - 100_{10} = 7881_{10}$ $= 1EC9_{16}$	SHIFT [h] 1F2D 100 EXE Hex	7881 d 00001EC9 H
$7654_8 \div 12_{10} = 334.3333333_{10}$ $= 516_8$	Dec → "d" SHIFT [O] 7654 12 EXE Oct	334 d 00000516 o
*Calculation results are displayed with the decimal portion cut off.		
$1234_{10} + 1EF_{16} \div 24_8$ $= 2352_8$ $= 1258_{10}$	SHIFT [d] 1234 + SHIFT [h] 1EF 24 EXE Dec	00002352 o 1258 d
*For mixed basic arithmetic operations, multiplication and division are given priority over addition and subtraction.		

■ Logical operations

Logical operations are performed through logical products (and), logical sums (or), negation (Not), exclusive logic sums (xor), and negation of exclusive logical sums (xnor).

Example	Operation	Display (Lower)
19 ₁₆ AND 1A ₁₆ = 18 ₁₆	MODE 1 Hex → "H" 19 SHIFT and 1A EXE	00000018 H
1110 ₂ AND 36 ₈ = 1110 ₂	Bin → "b" 1110 SHIFT and SHIFT 0 36 EXE	00001110 b
23 ₈ OR 61 ₈ = 63 ₈	Oct → "o" 23 SHIFT or 61 EXE	00000063 o
120 ₁₆ OR 1101 ₂ = 12D ₁₆	Hex → "H" 120 SHIFT or SHIFT b 1101 EXE	0000012d H
1010 ₂ AND (A ₁₆ OR 7 ₁₆) = 1010 ₂	Bin → "b" 1010 SHIFT and (SHIFT h A SHIFT or SHIFT h 7) EXE	00001010 b
5 ₁₆ XOR 3 ₁₆ = 6 ₁₆	Hex → "H" 5 SHIFT xor 3 EXE	00000006 H
2A ₁₆ XNOR 5D ₁₆ = FFFFFFFF ₁₆	Hex → "H" 2A SHIFT xnor 5D EXE	FFFFFFFF H
Negation of 1234 ₈	Oct → "o" Not 1234 EXE	77776543 o
Negation of 2FFFD ₁₆	Hex → "H" Not 2FFFD EXE	FFd00012 H

■ Statistical calculations

This unit can be used to make statistical calculations including standard deviation in the SD mode, and regression calculation in the LR mode.

■ Standard deviation

In the SD mode, calculations including 2 types of standard deviation formulas, mean, number of data, sum of data, and sum of squares can be performed.

● Data input

1. Press **MODE** **3** to specify the SD mode.
2. Press **2ndF** **SCD** **EXE** to clear the statistical memories.
3. Input data, pressing **DT** key (= **M+**) each time a new piece of data is entered. For negative values, press **(-)** followed by **DT**.

Example Data: 10, 20, 30
Key operation: 10 **DT** 20 **DT** 30 **DT**

*When multiples of the same data are input, two different entry methods are possible:

Example 1 Data: 10, 20, 20, 30
Key operation: 10 **DT** 20 **DT** **DT** 30 **DT**

The previously entered data is entered again each time the **DT** key is pressed without entering data (in this case 20 is re-entered).

Example 2 Data: 10, 20, 20, 20, 20, 20, 20, 30
Key operation: 10 **DT** 20 **SHIFT** **6** **DT** 30 **DT**

By pressing **SHIFT** and then entering a semicolon followed by a value that represents the number of items the data is repeated (6, in this case) and the **DT** key, the multiple data entries (for 20, in this case) are made automatically.

● Deleting input data

There are various ways to delete value data, depending on how and where it was entered.

Example 1 40 **DT** 20 **DT** 30 **DT** 50 **DT**
To delete 50, press **SHIFT** **CL**.

Example 2 40 **DT** 20 **DT** 30 **DT** 50 **DT**
To delete 20, press 20 **SHIFT** **CL**.

Example 3 30 **DT** 50 **DT** 120 **SHIFT** **7**
To delete 120 **SHIFT** **7**, press **AC**.

Example 4 30 \square DT 50 \square DT 120 \square SHIFT \square 31
To delete 120 \square SHIFT \square 31, press AC.

Example 5 30 \square DT 50 \square DT 120 \square SHIFT \square 31 \square DT
To delete 120 \square SHIFT \square 31 \square DT, press \square SHIFT \square CL.

Example 6 50 \square DT 120 \square SHIFT \square 31 \square DT 40 \square DT 30 \square DT
To delete 120 \square SHIFT \square 31 \square DT, press 120 \square SHIFT \square 31 \square SHIFT \square CL.

Example 7 \square 10 \square DT \square 20 \square DT \square 30 \square DT
To delete \square 20 \square DT, press \square 20 \square EXE \square Ans \square SHIFT \square CL.

Note: You need to press \square EXE \square Ans to delete a calculation result, such as $\sqrt{20}$.

Example 8 \square 10 \square DT \square 20 \square DT \square 30 \square DT
To delete \square 20 \square DT, press \square 20 \square SHIFT \square (-) \square 1 \square DT.

•Performing calculations

The following procedures are used to perform the various standard deviation calculations.

Key operation	Result	
\square 2ndF \square X \square ON \square EXE	Population standard deviation $X\sigma_n$	\square X \square ON \square = \square
\square 2ndF \square X \square ON \square EXE	Sample standard deviation $X\sigma_{n-1}$	\square X \square ON \square = EXP
\square 2ndF \square \bar{x} \square EXE	Mean	\square \bar{x} \square = 0
\square 2ndF \square Σx^2 \square EXE	Sum of squares of data	\square Σx^2 \square = 1
\square 2ndF \square Σx \square EXE	Sum of data	\square Σx \square = 2
\square 2ndF \square \bar{n} \square EXE	Number of data	\square \bar{n} \square = 3

Standard deviation and mean calculations are performed as shown below:

•Standard deviation

$$\sigma_n = \sqrt{\frac{\sum_{i=1}^n (x_i - \bar{x})^2}{n}} = \sqrt{\frac{\Sigma x^2 - (\Sigma x)^2/n}{n}}$$

[Using the entire data of a finite population to estimate the standard deviation for the population.]

$$\sigma_{n-1} = \sqrt{\frac{\sum_{i=1}^n (x_i - \bar{x})^2}{n-1}} = \sqrt{\frac{\Sigma x^2 - (\Sigma x)^2/n}{n-1}}$$

[Using sample data for a population to estimate the standard deviation for the population.]

•Mean

$$\bar{x} = \frac{\sum_{i=1}^n x_i}{n} = \frac{\Sigma x}{n}$$

Example	Operation	Display (Lower)
Data 55, 54, 51, 55, 53, 53, 54, 52	MODE \square 3 \rightarrow "SD" (Memory cleared) \square 2ndF \square SC \square EXE 55 \square DT 54 \square DT 51 \square DT 55 \square DT 53 \square DT 54 \square DT 52 \square DT	52.
*Results can be obtained in any order desired.	(Standard deviation σ_n) \square 2ndF \square X \square ON \square EXE (Standard deviation σ_{n-1}) \square 2ndF \square X \square ON \square EXE (Mean \bar{x}) \square 2ndF \square \bar{x} \square EXE (Number of data n) \square 2ndF \square \bar{n} \square EXE (Sum total Σx) \square 2ndF \square Σx \square EXE (Sum of squares Σx^2) \square 2ndF \square Σx^2 \square EXE (Continuing) \square 2ndF \square X \square ON \square SHIFT \square \bar{x} \square EXE 55 \square 2ndF \square \bar{x} \square EXE 54 \square 2ndF \square \bar{x} \square EXE 51 \square 2ndF \square \bar{x} \square EXE : : : \square 2ndF \square SC \square EXE 110 \square SHIFT \square 10 \square DT 130 \square SHIFT \square 31 \square DT 150 \square SHIFT \square 24 \square DT 170 \square DT \square DT 190 \square DT \square DT \square DT \square 2ndF \square \bar{n} \square EXE \square 2ndF \square \bar{x} \square EXE \square 2ndF \square X \square ON \square EXE	1.316956719 1.407885953 53.375 8. 427. 22805. 1.982142857 1.625 0.625 -2.375 : : : 110. 130. 150. 170. 190. 70. 137.7142857 18.42898069

What is deviation of the unbiased variance, the difference between each datum, and the mean of the above data?

What is \bar{x} and σ_{n-1} for the following table?

Class no.	Value	Frequency
1	110	10
2	130	31
3	150	24
4	170	2
5	190	3

■ Regression calculation

In the LR mode, calculations including linear regression, logarithmic regression, exponential regression, and power regression can be performed.

● Linear regression

Linear regression calculations are carried out using the following formula: $y = A + Bx$.

● Data input

1. Press **MODE** **2** to specify the LR mode.
2. Press **2ndF** **Sci** **EXE** to clear the statistical memories.
3. Input data in the following format:
 $\langle x \text{ data} \rangle$ **▢** $\langle y \text{ data} \rangle$ **DT**

*When multiples of the same data are input, two different entry methods are possible:

Example 1 Data: 10/20, 20/30, 20/30, 40/50

Key operation: 10 **▢** 20 **DT**
 20 **▢** 30 **DT**
DT
 40 **▢** 50 **DT**

The previously entered data is entered again each time the **DT** key is pressed (in this case 20/30 is re-entered).

Example 2 Data: 10/20, 20/30, 20/30, 20/30, 20/30, 20/30, 40/50

Key operation: 10 **▢** 20 **DT**
 20 **▢** 30 **SHIFT** **5** **DT**
 40 **▢** 50 **DT**

By pressing **SHIFT** and then entering a semicolon followed by a value that represents the number of times the data is repeated (5, in this case) and the **DT** key, the multiple data entries (for 20/30, in this case) are made automatically.

● Deleting input data

There are various ways to delete value data, depending on how and where it was entered.

Example 1 10 **▢** 40 **DT**

20 **▢** 20 **DT**
 30 **▢** 30 **DT**
 40 **▢** 50

To delete 40 **▢** 50, press **AC**.

Example 2 10 **▢** 40 **DT**

20 **▢** 20 **DT**
 30 **▢** 30 **DT**
 40 **▢** 50 **DT**

To delete 40 **▢** 50 **DT**, press **SHIFT** **CL**.

Example 3

To delete 20 **▢** 20 **DT**, press 20 **▢** 20 **SHIFT** **CL**.

Example 4

✓ 10 **▢** 40 **DT**
 ✓ 20 **▢** 20 **DT**
 ✓ 30 **▢** 30 **DT**
 ✓ 40 **▢** 50 **DT**

To delete ✓ 20 **▢** 20 **DT**, press ✓ 20 **EXE** **Ans** **▢** 20 **SHIFT** **CL**.

Example 5

To delete ✓ 20 **▢** 20 **DT**, press ✓ 20 **▢** 20 **SHIFT** **;** **(←)** 1 **DT**.

● Performing calculations

The following procedures are used to perform the various linear regression calculations.

Key operation	Result	
2ndF (A) EXE	Constant term of regression A	(A) = STD
2ndF (B) EXE	Regression coefficient B	(B) = RCL
2ndF (r) EXE	Correlation coefficient r	(r) = (C)
2ndF (x̂) EXE	Estimated value of x	(x̂) = (D)
2ndF (ŷ) EXE	Estimated value of y	(ŷ) = ▢

The regression formula is $y = A + Bx$. The constant term of regression A, regression coefficient B, correlation coefficient r, estimated value of x, and estimated value of y are calculated as shown below:

$$A = \frac{\sum y - B \cdot \sum x}{n} \quad B = \frac{n \cdot \sum xy - \sum x \cdot \sum y}{n \cdot \sum x^2 - (\sum x)^2}$$

$$r = \frac{n \cdot \sum xy - \sum x \cdot \sum y}{\sqrt{\{n \cdot \sum x^2 - (\sum x)^2\} \{n \cdot \sum y^2 - (\sum y)^2\}}}$$

$$\hat{y} = A + Bx \quad \hat{x} = \frac{y - A}{B}$$

Example	Operation	Display (Lower)											
<p>•Temperature and length of a steel bar</p> <table><tr><th>Temp.</th><th>Length</th></tr><tr><td>10°C</td><td>1003mm</td></tr><tr><td>15°C</td><td>1005mm</td></tr><tr><td>20°C</td><td>1010mm</td></tr><tr><td>25°C</td><td>1011mm</td></tr><tr><td>30°C</td><td>1014mm</td></tr></table>	Temp.	Length	10°C	1003mm	15°C	1005mm	20°C	1010mm	25°C	1011mm	30°C	1014mm	<p>MODE 2 → “LR” (Memory clear) 2ndF Sci EXE</p> <p>10 1003 DT 10. 15 1005 DT 15. 20 1010 DT 20. 25 1011 DT 25. 30 1014 DT 30.</p> <p>(Constant term A) 2ndF A EXE 997.4 (Regression coefficient B) 2ndF B EXE 0.56 (Correlation coefficient r) 2ndF r EXE 0.982607368 (Length at 18°C) 18 2ndF y EXE 1007.48 (Temperature at 1000mm) 1000 2ndF x EXE 4.642857143 (Critical coefficient) 2ndF r SHIFT x² EXE 0.965517241 (Covariance) 1 2ndF Σxy 2ndF Σ EXE Σ 2ndF Σ Σ 2ndF Σ Σ Σ 1 EXE 35.</p>
Temp.	Length												
10°C	1003mm												
15°C	1005mm												
20°C	1010mm												
25°C	1011mm												
30°C	1014mm												

•Logarithmic regression

Logarithmic regression calculations are carried out using the following formula:
 $y = A + B \cdot \ln x$.

•Data input

- Press MODE [2] to specify the LR mode.
- Press [2ndF] [Sci] [EXE] to clear the statistical memories.
- Input data in the following format:
 [ln] < x data> [→] < y data> [DT]

*To make multiple entries of the same data, follow procedures described for linear regression, however always press [ln] before inputting x data.

•Deleting input data

To delete input data, follow the procedures described for linear regression, but be sure to use the [ln] key when specifying x data for deletion.

Example 1

To delete [ln] 10 [→] 20 [DT], press [ln] 10 [EXE] [ln] 20 [SHIFT] [(-)] 1 [DT].

Example 2

To delete [ln] 10 [→] 20 [DT], press [ln] 10 [→] 20 [SHIFT] [(-)] 1 [DT].

•performing calculations

The following procedures are used to perform the various calculations.

Key operation	Result	
[2ndF] [A] [EXE]	Constant term of regression A	[A] = [STO]
[2ndF] [B] [EXE]	Regression coefficient B	[B] = [RCL]
[2ndF] [r] [EXE]	Correlation coefficient r	[r] = [C]
y [2ndF] [x] [EXE] [SHIFT] [e²] [Ans] [EXE]	Estimated value of x	[x] = [D]
[ln] x [2ndF] [y] [EXE]	Estimated value of y	[y] = [→]

If we assume that $\ln x = x$, the logarithmic regression formula $y = A + B \cdot \ln x$ becomes the linear regression formula $y = a + bx$. Therefore, the formulas for constant term A, regression coefficient B and correlation coefficient r are identical for logarithmic and linear regression.

A number of logarithmic regression calculation results differ from those produced by linear regression. Note the following:

Linear regression	Logarithmic regression
Σx	$\Sigma \ln x$
Σx^2	$\Sigma (\ln x)^2$
Σxy	$\Sigma \ln x \cdot y$

Example	Operation	Display (Lower)												
<table><tr><th>x_i</th><th>y_i</th></tr><tr><td>29</td><td>1.6</td></tr><tr><td>50</td><td>23.5</td></tr><tr><td>74</td><td>38.0</td></tr><tr><td>103</td><td>46.4</td></tr><tr><td>118</td><td>48.9</td></tr></table>	x_i	y_i	29	1.6	50	23.5	74	38.0	103	46.4	118	48.9	<div>MODE 2 → "LR"</div> <div>2ndF Sci EXE</div> <div>ln 29 ▢ 1.6 DT</div> <div>ln 50 ▢ 23.5 DT</div> <div>ln 74 ▢ 38.0 DT</div> <div>ln 103 ▢ 46.4 DT</div> <div>ln 118 ▢ 48.9 DT</div> <div>(Constant term A) 2ndF A EXE</div> <div>(Regression coefficient B) 2ndF B EXE</div> <div>(Correlation coefficient r) 2ndF r EXE</div> <div>(\hat{y} when $x_i = 80$) ln 80 2ndF y EXE</div> <div>(\hat{x} when $y_i = 73$)</div> <div>73 2ndF x EXE SHIFT e^x Ans EXE</div>	<div>3.36729583</div> <div>3.912023005</div> <div>4.304065093</div> <div>4.634728988</div> <div>4.770684624</div> <div>- 111.1283976</div> <div>34.02014749</div> <div>0.994013946</div> <div>37.94879482</div> <div>224.1541314</div>
x_i	y_i													
29	1.6													
50	23.5													
74	38.0													
103	46.4													
118	48.9													

Through logarithmic regression of the above data, the regression formula and correlation coefficient are obtained. Furthermore, respective estimated values \hat{y} and \hat{x} can be obtained for $x_i = 80$ and $y_i = 73$ using the regression formula.

● Exponential regression

Exponential regression calculations are carried out using the following formula:
 $y = A \cdot e^{B \cdot x}$ ($\ln y = \ln A + Bx$)

● Data input

1. Press **MODE** **(2)** to specify the LR mode.
2. Press **2ndF** **(Scl)** **(EXE)** to clear the statistical memories.
3. Input data in the following format:
 $\langle x \text{ data} \rangle$ **(,)** **(ln)** $\langle y \text{ data} \rangle$ **(DT)**

*To make multiple entries of the same data, follow procedures described for linear regression, however always press **(ln)** before inputting y data.

● Deleting input data

To delete input data, follow the procedures described for linear regression, but be sure to use the **(ln)** key when specifying y data for deletion.

Example 1

To delete 10 **(,)** **(ln)** 20 **(DT)**, press **(ln)** 20 **(EXE)** 10 **(,)** **(Ans)** **(SHIFT)** **(C/L)**.

Example 2

To delete 10 **(,)** **(ln)** 20 **(DT)**, press 10 **(,)** **(ln)** 20 **(SHIFT)** **(\div)** **(\leftarrow)** 1 **(DT)**.

● Performing calculations

The following procedures are used to perform the various calculations.

Key operation	Result	
(SHIFT) (e^x) (2ndF) (A) (EXE)	Constant term of regression A	(A) = (STO)
(2ndF) (B) (EXE)	Regression coefficient B	(B) = (RCL)
(2ndF) (r) (EXE)	Correlation coefficient r	(r) = (\angle)
(ln) y (2ndF) (\hat{x}) (EXE)	Estimated value of x	(\hat{x}) = (\angle)
x (2ndF) (\hat{y}) (EXE) (SHIFT) (e^x) (Ans) (EXE)	Estimated value of y	(\hat{y}) = (\angle)

If we assume that $\ln y = y$ and $\ln A = a$, the exponential regression formula $y = A \cdot e^{B \cdot x}$ ($\ln y = \ln A + Bx$) becomes the linear regression formula $y = a + bx$. Therefore, the formulas for constant term A, regression coefficient B and correlation coefficient r are identical for exponential and linear regression.

A number of exponential regression calculation results differ from those produced by linear regression. Note the following:

Linear regression	Exponential regression
Σy	$\Sigma \ln y$
Σy^2	$\Sigma (\ln y)^2$
Σxy	$\Sigma x \cdot \ln y$

Example	Operation	Display (Lower)												
<table><tr><td>x_i</td><td>y_i</td></tr><tr><td>6.9</td><td>21.4</td></tr><tr><td>12.9</td><td>15.7</td></tr><tr><td>19.8</td><td>12.1</td></tr><tr><td>26.7</td><td>8.5</td></tr><tr><td>35.1</td><td>5.2</td></tr></table>	x_i	y_i	6.9	21.4	12.9	15.7	19.8	12.1	26.7	8.5	35.1	5.2	<div>MODE 2 → "LR"</div> <div>2ndF Sci EXE</div> <div>6.9 ▾ ln 21.4 DT</div> <div>12.9 ▾ ln 15.7 DT</div> <div>19.8 ▾ ln 12.1 DT</div> <div>26.7 ▾ ln 8.5 DT</div> <div>35.1 ▾ ln 5.2 DT</div> <div>(Constant term A) SHIFT e^x 2ndF A EXE</div> <div>(Regression coefficient B) 2ndF B EXE</div> <div>(Correlation coefficient r) 2ndF r EXE</div> <div>(\hat{y} when $x_i = 16$) 16 2ndF \hat{y} EXE SHIFT e^x Ans EXE</div> <div>(\hat{x} when $y_i = 20$) ln 20 2ndF \hat{x} EXE</div>	<div></div> <div>6.9</div> <div>12.9</div> <div>19.8</div> <div>26.7</div> <div>35.1</div> <div>30.49758742</div> <div>− 0.049203708</div> <div>− 0.997247351</div> <div>13.87915739</div> <div>8.574868046</div>
x_i	y_i													
6.9	21.4													
12.9	15.7													
19.8	12.1													
26.7	8.5													
35.1	5.2													

● Power regression

Power regression calculations are carried out using the following formula: $y = A \cdot x^B$
 $(\ln y = \ln A + B \ln x)$

● Data input

1. Press **MODE** **(2)** to specify the LR mode.
2. Press **2ndF** **(Scl)** **(EXE)** to clear the statistical memories.
3. Input data in the following format:
(ln) $\langle x \text{ data} \rangle$ **(,)** **(ln)** $\langle y \text{ data} \rangle$ **(DT)**

*To make multiple entries of the same data, follow procedures described for linear regression, however always press **(ln)** before inputting x data and y data.

● Deleting input data

To delete input data, follow the procedures described for linear regression, but be sure to use the **(ln)** key when specifying x and y data for deletion.

Example 1

To delete **(ln)** 10 **(,)** **(ln)** 20 **(DT)**, press **(ln)** 10 **(STO)** **(A)** **(ln)** 20 **(EXE)** **(ALPHA)** **(A)** **(,)** **(Ans)** **(SHIFT)** **(C/L)**.

Example 2

To delete **(ln)** 10 **(,)** **(ln)** 20 **(DT)**, press **(ln)** 10 **(,)** **(ln)** 20 **(SHIFT)** **(\div)** **(\leftarrow)** 1 **(DT)**.

•Performing calculations

The following procedures are used to perform the various calculations.

Key operation	Result	
$\text{SHIFT} [\text{C}^2] [\text{2ndF}] [\text{A}] [\text{EXE}]$	Constant term of regression A	$[\text{A}] = [\text{STO}]$
$[\text{2ndF}] [\text{B}] [\text{EXE}]$	Regression coefficient B	$[\text{B}] = [\text{RCL}]$
$[\text{2ndF}] [\text{r}] [\text{EXE}]$	Correlation coefficient r	$[\text{r}] = [\text{C}]$
$[\text{In}] \text{y} [\text{2ndF}] [\text{X}] [\text{EXE}] [\text{SHIFT}] [\text{C}^2] [\text{Ans}] [\text{EXE}]$	Estimated value of x	$[\text{X}] = [\text{D}]$
$[\text{In}] \text{x} [\text{2ndF}] [\text{Y}] [\text{EXE}] [\text{SHIFT}] [\text{C}^2] [\text{Ans}] [\text{EXE}]$	Estimated value of y	$[\text{Y}] = [\text{D}]$

If we assume that $\text{In} y = y$, $\text{In} A = a'$ and $\text{In} x = x$, the power regression formula $y = A \cdot x^a$ ($\text{In} y = \text{In} A + B \text{In} x$) becomes the linear regression formula $y = a + bx$. Therefore, the formulas for constant term A, regression coefficient B and correlation coefficient r are identical for power and linear regression.

A number of power regression calculation results differ from those produced by linear regression. Note the following:

Linear regression	Power regression
Σx	$\Sigma \text{In} x$
Σx^2	$\Sigma (\text{In} x)^2$
Σy	$\Sigma \text{In} y$
Σy^2	$\Sigma (\text{In} y)^2$
Σxy	$\Sigma \text{In} x \cdot \text{In} y$

Example	Operation	Display (Lower)												
<table><tr><th>x_i</th><th>y_i</th></tr><tr><td>28</td><td>2410</td></tr><tr><td>30</td><td>3033</td></tr><tr><td>33</td><td>3895</td></tr><tr><td>35</td><td>4491</td></tr><tr><td>38</td><td>5717</td></tr></table>	x_i	y_i	28	2410	30	3033	33	3895	35	4491	38	5717	<p>MODE 2 → "LR"</p> <p>2ndF Sci EXE</p> <p>In 28 ▸ In 2410 DT</p> <p>In 30 ▸ In 3033 DT</p> <p>In 33 ▸ In 3895 DT</p> <p>In 35 ▸ In 4491 DT</p> <p>In 38 ▸ In 5717 DT</p> <p>(Constant term A) SHIFT C² 2ndF A EXE</p> <p>(Regression coefficient B) 2ndF B EXE</p> <p>(Correlation coefficient r) 2ndF r EXE</p> <p>(\hat{y} when $x_i = 40$)</p> <p>In 40 2ndF Y EXE SHIFT C² Ans EXE</p> <p>(\hat{x} when $y_i = 1000$)</p> <p>In 1000 2ndF X EXE SHIFT C²</p> <p>Ans EXE</p>	<p>3.33220451</p> <p>3.401197382</p> <p>3.496507561</p> <p>3.555348061</p> <p>3.63758616</p> <p>0.238801082</p> <p>2.771866148</p> <p>0.998906256</p> <p>6587.674743</p> <p>20.26225659</p>
x_i	y_i													
28	2410													
30	3033													
33	3895													
35	4491													
38	5717													

Through power regression of the above data, the regression formula and correlation coefficient are obtained. Furthermore, the regression formula is used to obtain the respective estimated values of \hat{y} and \hat{x} , when $x_i = 40$ and $y_i = 1000$.

Formula memory function

■Purpose of the formula memory function

This unit has a built-in formula memory that allows consecutive execution of the same formula, using different variables. The memory function keys ($[\text{IN}]$, $[\text{OUT}]$, $[\text{CALC}]$) are used to operate this memory.

$[\text{SHIFT}] [\text{IN}]$: Inputs displayed formula into memory.

$[\text{OUT}]$: Displays formula retained in memory.

$[\text{CALC}]$: Used to calculate results of formula when variable is input.

There is only a single formula memory (formulas connected as multistatements are counted as a single formula). The maximum formula length is 127 steps. Calculation modes are retained in memory along with the formula, so the mode is recalled along with the formula in memory. Execution of the formula stored in memory is carried out by pressing the $[\text{CALC}]$ key.

Example 1 To memorize, display and calculate the following formula:

$$Y = X^2 + 3X - 12$$

Formula input

$[\text{ALPHA}] [\text{Y}] [\text{2ndF}] [=] [\text{ALPHA}] [\text{X}] [\text{SHIFT}] [\text{X}^2] [+]$
 $3 [\text{ALPHA}] [\text{X}] [-] 12$

$$Y = X^2 + 3X - 12$$

D

Formula stored into memory

$[\text{SHIFT}] [\text{IN}]$

—

D

Check formula

$[\text{OUT}]$

$$Y = X^2 + 3X - 12$$

D

Calculation

$[\text{CALC}]$

X? 0.

D

Value input for variable

7 **EXE**

EXE *

8 **EXE**

* Press **CALC** key in place of **EXE** key to execute calculation.

When formula is displayed, corrections or alterations can also be made.

Example 2 Changing $[Y = X^2 + 3X - 12]$ to $[Y = X^2 + 5X - 12]$:

Formula displayed

OUT

Move cursor to position where correction is to be made.

← ← ← ← ←

Make correction

5

Input into memory

SHIFT **IN**

Check formula

OUT

$$Y = X^2 + 3X - 12$$

58.

$$X?$$

7.

$$Y = X^2 + 3X - 12$$

76.

$$Y = X^2 + 3X - 12$$

$$Y = X^2 + 3X - 12$$

$$Y = X^2 + 5X - 12$$

$$Y = X^2 + 5X - 12$$

$$Y = X^2 + 5X - 12$$

Using formula memory in creating tables

By inserting a "▲", it is possible to write multiple formulas. This makes it easy to create tables, such as the one shown below.

Example 3 Complete the following table:

A	B	$P = A \times B$	$Q = A/B$
4.27	1.17		
8.17	6.48		
6.07	9.47		
2.71	4.36		
1.98	3.62		

Solution)

ALPHA **P** **2ndF** **=** **ALPHA** **A** **×** **ALPHA** **B**
2ndF **▲** **ALPHA** **Q** **2ndF** **=** **ALPHA** **A** **÷**
ALPHA **B**
SHIFT **IN**

CALC (Calculation started)

4.27 **EXE** (Input A)

1.17 **EXE** (Input B)

EXE

EXE

8.17 **EXE** (Input A)

6.48 **EXE** (Input B)

$$P = A \times B \quad \blacktriangle \quad Q = A/B$$

$$—$$

$$A?$$

0.

$$B?$$

0.

$$P = A \times B$$

4.9959

$$Q = A/B$$

3.64957265

$$A?$$

4.27

$$B?$$

1.17

$$P = A \times B$$

52.9416

To clear the contents of the formula memory, press **AC** followed by **SHIFT** **IN**

EXE

$$Q = A/B$$

$$1.260802469$$

EXE

$$A?$$

$$8.17$$

(Continuation omitted)

< NOTES >

- (1) A maximum of 127 steps can be input into the formula memory, using the $\boxed{\text{IN}}$ key.
- (2) Memory contents are protected even when power is turned OFF (or when auto power OFF function turns power OFF). However, when a new formula is input into memory, the previous formula is deleted.
- (3) Array variables cannot be used in formulas input into memory. If used, it will be impossible to input variables into formula on display.
- (4) Variable memories can hold only one variable each.

Example: $A \times BC$ NO! $A \times B \times C$ YES!

- (5) Consecutive calculations using $\boxed{+}$, $\boxed{-}$, $\boxed{\times}$, $\boxed{\div}$, and $\boxed{\text{SHIFT}} \boxed{\text{X}^2}$ can be performed utilizing formula calculation answers.

• Text display

Using double quotation marks, it is possible to assign names to variables in memory.

Example Write formula [A "UNIT PRICE" \times B] to memory:

Formula input

 $\boxed{\text{SHIFT}} \boxed{\text{ALPHA}} \boxed{A} \boxed{\text{SHIFT}} \boxed{\text{UNIT}} \boxed{\text{SPACE}}$
 $\boxed{\text{PRICE}} \boxed{\text{SHIFT}} \boxed{\text{ALPHA}} \boxed{\times} \boxed{\text{ALPHA}} \boxed{B}$
 $\boxed{\text{SHIFT}} \boxed{\text{IN}}$ $\boxed{\text{CALC}}$ 100 $\boxed{\text{EXE}}$ - IT PRICE" \times B_

—

UNIT PRICE?
0.B?
0.5 $\boxed{\text{EXE}}$ A" UNIT PRICE -
500.

Text which is over 12 characters in length is shown from the left and followed by a "?". To view the all of the text, use the $\boxed{\leftarrow}$ and $\boxed{\rightarrow}$ key to scroll left and right.

Example Write formula [A "SINGLE UNIT PRICE" \times B] to memory:
 $\boxed{\text{SHIFT}} \boxed{\text{ALPHA}} \boxed{A} \boxed{\text{SHIFT}} \boxed{\text{S}} \boxed{\text{I}} \boxed{\text{N}} \boxed{\text{G}} \boxed{\text{L}} \boxed{\text{E}}$
 $\boxed{\text{SPACE}} \boxed{\text{U}} \boxed{\text{N}} \boxed{\text{I}} \boxed{\text{T}} \boxed{\text{SPACE}} \boxed{\text{P}} \boxed{\text{R}} \boxed{\text{I}} \boxed{\text{C}}$
 $\boxed{\text{E}} \boxed{\text{SHIFT}} \boxed{\text{ALPHA}} \boxed{\times} \boxed{\text{ALPHA}} \boxed{B}$
 $\boxed{\text{SHIFT}} \boxed{\text{IN}}$ $\boxed{\text{CALC}}$ $\boxed{\rightarrow}$ $\boxed{\rightarrow}$ $\boxed{\rightarrow}$ $\boxed{\rightarrow}$ $\boxed{\rightarrow}$ $\boxed{\rightarrow}$ $\boxed{\leftarrow}$ - IT PRICE" \times B_SINGLE UNIT? -
0.- INGLE UNIT ? -
0.- NGLE UNIT P? -
0.- GLE UNIT PR? -
0.- LE UNIT PRI? -
0.- E UNIT PRIC? -
0.- UNIT PRICE?
0.- E UNIT PRIC? -
0.

Text can be assigned to a variable memory used in a substitution formula by enclosing the text in double quotation marks. Then when the formula is executed, the text appears on the display.

Example Write [A "ANSWER" = 123 × 456]:

SHIFT ALPHA A → ANSWER
→ 2ndF = 123 × 456

SHIFT IN

CALC

- ER"=123×456_

—

ANSWER =
56088.

Text which is over 12 characters in length is shown from the left and followed by a " =".

Example Write [A "ABCDEFGHJKLMN" = 123] to memory:

SHIFT ALPHA A → ABCDEF
GHIJKLMN → 2ndF
= 123



SHIFT IN

CALC

- IJKLMN"=123_

—

ABCDEFGHIJK = -
123.

*You can use the  and  key to scroll the text left and right while execution is stopped by a "Disp" symbol.

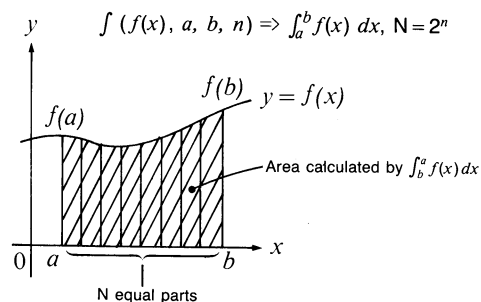
Section 3 Integration Calculation

Input of function $f(x)$ and integration calculation

Section 3 Integration Calculation

- Integration calculation can be carried out by entering the integral calculus formula in the following format:

$\text{[SHIFT] [}\int dx\text{]} f(x) \text{[] } a \text{[] } b \text{[] } n \text{[] }$
 Value of n when number of divisions $N=2^n$
 Ending point
 Starting point



- Integration calculation is performed using Simpson's rule to determine function $f(x)$. Because of this, partition of the integrated area is necessary, however if the number of divisions is not specified, the unit automatically sets N according to the formula. To specify the number of divisions for $N=2^n$, n can be an integer from 1 ~ 9.

Input of function $f(x)$ and integration calculation

- Press $\text{[SHIFT] [}\int dx\text{]}$ to specify integration calculation.
- Input the formula for the function $f(x)$, then input integral partitions $[a, b]$.
 $f(x)$ can use the X variable only. Anything other than X (A ~ W, Y, Z or array variables) is treated as a constant, and its memory contents are applied.
- Next input n (number of divisions for $N=2^n$, n being an integer between 1 and 9) and finish by inputting a parenthesis.
- Input of n (number of divisions for $N=2^n$) and parenthesis can be omitted. When input is omitted, N is automatically set.
- Press [EXE] to execute calculation.

*Results are displayed in a few seconds or a number of minutes (mantissa is number of significant digits). Note that following integration data is input in memories G ~ L:

Memory	G	H	I	J	K	L
Data	a	b	2^n	$\int_a^b f(x) dx$	$f(a)$	$f(b)$

Examples of operation

Example 1 Calculate the following: $\int_1^5 (2x^2 + 3x + 4) dx$

[MODE] [4] (Specify "D")

$\text{[SHIFT] [}\int dx\text{] } 2 \text{[ALPHA] [X] [SHIFT] [X^2] [+/-] 3$
 $\text{[ALPHA] [X] [+/-] 4 \text{[] } (f(x) \text{ input)}$

$1 \text{[] } 5 \text{[] } (a, b \text{ input)}$

$6 \text{[] } (n \text{ input)}$

[EXE] (Calculation executed)

[RCL] [G]

[RCL] [H]

[RCL] [I]

[RCL] [J]

[RCL] [K]

[RCL] [L]

—

$\int (2X^2 + 3X + 4, \text{—})$

$- 2 + 3X + 4, 1, 5, \text{—}$

$- 3X + 4, 1, 5, 6) \text{—}$

$\int (2X^2 + 3X + 4, 1 -$
 134.6666667

G = 1.

H = 5.

I = 64.

J = 134.6666667

K = 9.

L = 69.

Answer displayed in approximately 15 seconds

a

b

N

$\int_a^b f(x) dx$

$f(a)$

$f(b)$

Example 2 Calculate the following, omitting specification of the number of divisions: $\int_1^3 (\log x) dx$

MODE **4** (Specify "D")

SHIFT **∫dx** **log** **ALPHA** **X** **↵**
(f(x) input)

1 **↵** **3** **↵** (a, b input)

EXE (Calculation executed)

RCL **G**

RCL **H**

RCL **I**

RCL **J**

RCL **K**

RCL **L**

—

∫ (log X,

- log X, 1, 3) _

∫ (log X, 1, 3) →
0.56277

G =
1.

H =
3.

I =
32.

J =
0.56277

K =
0.

L =
0.477121254

Answer displayed
in approximately 8
seconds

a

b

N (n = 5)

$\int_a^b f(x) dx$

f(a)

f(b)

• Application of integration calculation

• Integrals or results of integration calculations can be used in arithmetic calculations.

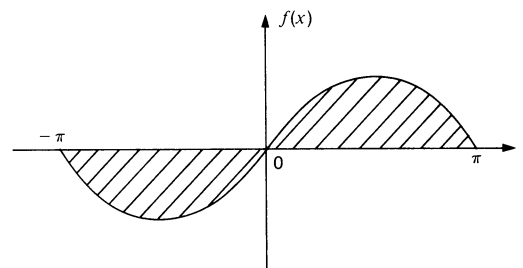
Example $\int_a^b f(x) dx + \int_c^d g(x) dx, 2 \times \int_a^b f(x) dx$, etc.

• Results of integration calculation cannot be used in integration calculation formulas.

• When calculating area, Abs (absolute value) should be inserted into formula:

$$\int (\text{Abs } f(x), a, b, n) \Rightarrow \int_a^b |f(x)| dx$$

Example 3



Calculate the $[-\pi, \pi]$ areas of $f(x) = \sin x$. Omit input of number of divisions.

MODE **5** (Specify "R")

SHIFT **∫dx** **SHIFT** **Abs** **sin** **ALPHA** **X** **↵**
(f(x) input)

(-) **SHIFT** **π** **↵** **SHIFT** **π** **↵**
(a, b input)

EXE (Calculation executed)

RCL **G**

RCL **H**

—

- Abs sin X, _

- sin X, -π, π) _

∫ (Abs sin X, -
4.

G =
-3.141592654

H =
3.141592654

Answer displayed
in approximately 20
seconds

a

b

RCL I

RCL J

RCL K

RCL L

I = 64. N

J = 4. $\int_a^b f(x)dx$

K = 0. $f(a)$

L = 0. $f(b)$

■ Notes on integration calculation

- Press **AC** key during integration calculation (when display is blank) to abort calculation.
- Integration of trigonometric functions carried out in “**□**” mode (**MODE** **5**).
- This unit utilizes Simpson’s rule for integration calculation. As number of significant digits is increased, extended calculation time is required. In some cases, calculation results may be erroneous even after considerable time expires in calculation. In particular, when significant digits are less than 1, an ERROR (Ma ERROR) sometimes occurs. In these cases, use the following methods to shorten calculation time and improve accuracy:
 1. If integration value varies widely with slight changes in the integration range, divide integration areas to obtain solutions individually.
 2. If some periodic functions or integration values are positive and some are negative, divide according to periods or divide positive and negative values and calculate individually.

Section 4 Program Calculation

What is a program?

Program correction, addition and deletion

Program searches

Program execution

Convenient program commands

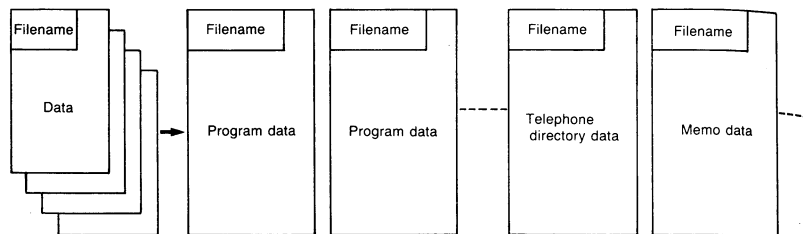
Remaining program capacity

Using the unit as a data bank

Section 4 Program Calculation

What is a program?

This unit has a built-in program function that facilitates repeat calculations. As with the "multistatement function", the program function lets you execute series calculations in a series. In addition, the programs entered using this program function are stored in memory as individual files, under filenames. This system lets you search for and edit programs quickly and easily. Any number of programs can be written, provided the total program memory capacity of 1103 steps is not exceeded. In place of programs, this memory can also be used to store telephone numbers or memos, much in the same way Casio Data Bank entries are made. Each line may contain up to 127 steps.

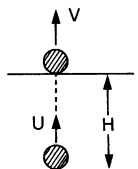


Programming

The following are practical examples of how the program function can be used.

Example 1 Entering formulas

(Problem 1) An object is thrown straight up at an initial velocity of 50 meters per second. How fast will it be travelling after 1 second, and how high will it be? After 3 seconds? After 5 seconds?



Time (T)	Velocity (V)	Height (H)
1 second	()m/second	()m
3 seconds	()m/second	()m
5 seconds	()m/second	()m

Calculation formula

The following formulas are used to calculate velocity "V" after "T" seconds, as well as height "H" after "T" seconds, with "U" representing initial velocity, "T" representing time, and "G" representing gravitational acceleration.

$$V = U - GT, H = UT - \frac{1}{2}GT^2$$

Registering filenames

To carry out filename registration, press **MODE****EXP** to specify the WRT mode. The "Filename?" prompt then appears on the display. After the filename is input, press the **EXE** key to register it to memory.

MODE**EXP**

Filename?
F1
WRT
File No.

*Up to 127 steps can be used to store filenames. In addition to the actual number of steps in a name, 2 steps are used each time a filename is registered.

Example Input the filename "GOING UP":

MODE**EXP**

Filename?
F1
WRT

SHIFT**ALPHA****G****O****I****N****G****SPACE****U****P**

GOING UP
F1
WRT

EXE

GOING UP
F1
WRT

*The calculation mode specified at the time a filename is registered is also held in memory. (Programmed calculation is carried out in mode specified at this time.)

■ Writing programs

When the filename is displayed in the WRT mode, press the key (or key) to display the first line of the program, and begin writing the program.

 (or)

GOING UP
F1 WRT **D**

F1 **L1**
WRT **D**

Indicates program line number

When you've finished inputting the first line, press the **[EXE]** key to register to first line.

Example Input `[V = U - GT ▲]` as the first line in the program:

ALPHA V 2ndF = ALPHA U — SHIFT ALPHA
G T 2ndF ▲

EXE

F1 L1
WRT **D**

$$V = U - GT \quad \blacktriangle \quad _$$

$$F1 \quad L1$$

$$WRT \quad \square$$

$$V = U - GT \quad \blacktriangle$$

If you want to input a second line, programming automatically moves to the second line.

Example Input $[H = UT - \frac{1}{2}GT^2]$ as the second line in the program:

ALPHA H

2ndF = SHIFT ALPHA U T ALPHA - (

1 / 2) SHIFT ALPHA G T SHIFT x^2

EXE

$$V = U - GT \quad \blacktriangle$$

H_ F1 L2 WRT D

$$\begin{array}{c} \text{UT} - (1/2)GT^2 \\ \text{F1} \quad \text{L2} \\ \text{WRT} \quad \text{D} \end{array}$$

$$H = UT - (1/2)GT^2$$

$$F1 \quad L2$$

$$WRT \quad D$$

Program execution

Press **[MODE]****[EXP]** to cancel the WRT mode, then press the **[FILE]** key to call up the filename, and press the **[EXE]** key to execute the program.

MODE **EXP**

SHIFT Mcl EXE

FILE

EXE

50 **EXE**

9.8 EXE

1 EXE

EXE

EXE

EXE

EXE

3 EXE

A schematic diagram of a rectangular domain. A horizontal line divides the rectangle into two equal halves. The top half is labeled 'D' and the bottom half is labeled 'D-bar'. The horizontal line itself is labeled 'D-bar' on the left side and 'D' on the right side. The left vertical boundary is labeled 'D' and the right vertical boundary is labeled 'D-bar'.

Mcl 0.
D

GOING UP
F1

FILE **D**

U? 0.
D

G? 0.

T? 0.

$$V = U - GT$$

$$H = UT - (1/2)GT \rightarrow 45.1$$

U? 50.

G? **9.8**

T?

1.

D

$$V = U - GT$$

20.6

*A maximum of 127 steps can be input into a single line. In addition to the actual number

EXE

EXE

EXE

EXE

5 EXE

EXE

$$H = UT - (1/2)GT$$

105.9

$$U?$$

50.

$$G?$$

9.8

$$T?$$

3.

$$V = U - GT$$

1.

$$H = UT - (1/2)GT$$

127.5

Program correction, addition and deletion

Inserting lines

To insert a line between two existing lines, display the line just before the place you want to insert the new line. After inputting the desired program, press the **EXE** key.

Inserting a line at the beginning

To insert a line at the beginning, display first line by pressing the **↑** key and then press the **↑** key once again. After inputting the desired program, press the **EXE** key.

Example Insert $[S = GT]$, a program to determine the displacement velocity in the problem previously presented:

↑

ALPHA S 2ndF = SHIFT ALPHA G T
2ndF ↗

EXE

↓

$$V = U - GT$$

F1 L1
WRT

$$F1 L1$$

WRT

$$S = GT$$

F1 L1
WRT

$$S = GT$$

F1 L1
WRT

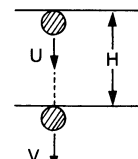
$$V = U - GT$$

F1 L2
WRT

Editing programs

To understand how editing is carried out, work through the following exercise.

(Problem 2) An object is dropped at an initial velocity of 50 meters per second. How fast will it be travelling after 1 second, and how far will it have travelled? After 3 seconds? After 5 seconds?



Time (T)	Velocity (V)	Distance (H)
1 second	()m/second	()m
3 seconds	()m/second	()m
5 seconds	()m/second	()m

• Registering filename

As the object is dropped in this problem (instead of being thrown up, as in Problem 1 presented previously), input "COMING DOWN" as the filename.

• Calculation formula

The following formulas are used to calculate the velocity "V" after "T" seconds, as well as the distance travelled "H" after "T" seconds, with "U" representing the initial velocity when the object is dropped, "T" representing time, and "G" representing gravitational acceleration.

$$V = U + GT, H = UT + \frac{1}{2}GT^2$$

• Programming

As with Problem 1 presented previously, programming is carried out in a manner similar to manual calculation:

Speed: $\alpha V \text{ 2ndF} = \alpha U + \text{SHIFT } \alpha G T$ V
 Distance: $\alpha H \text{ 2ndF} = \text{SHIFT } \alpha U T \alpha + (1 \text{ 2ndF})$ H
 $\text{SHIFT } \alpha G T \text{ SHIFT } \alpha x^2$

When programmed, this formula is input as follows:

$\alpha V \text{ 2ndF} = \alpha U + \text{SHIFT } \alpha G T \text{ 2ndF } \alpha$
 $\alpha H \text{ 2ndF} = \text{SHIFT } \alpha U T \alpha + (1 \text{ 2ndF})$
 $\text{SHIFT } \alpha G T \text{ SHIFT } \alpha$

As this program is similar to that used in Problem 1, we can simply "edit" the program already input.

• Editing filenames

When in the RUN mode, press MODE/EXP to specify the WRT mode. Then press the FILE key to display the desired filename. Next press the \leftarrow key (or \rightarrow key) to move the cursor to the beginning (or end) of the filename (EDIT symbol appears on display). After editing the filename, press the EXE key to register the new (altered) filename.

Example Change "GOING UP" to "COMING DOWN":

MODE/EXP

FILE

Filename?
F2

WRT

GOING UP
F1

WRT

\rightarrow

$\text{SHIFT } \alpha C O M I N G \text{ SPACE } D$
 $\alpha O W N$

EXE

GOING UP
F1

WRT

COMING DOWN
F1

WRT

COMING DOWN
F1

WRT

*Note that edited filenames are not registered in memory until EXE key is pressed. If EXE key has not been pressed, previously registered name will still be held in memory.

• Program editing

Press MODE/EXP to specify the WRT mode. Then press the FILE key to display the desired filename. Next press the \leftarrow key (or \rightarrow key) to move to the beginning (or end) of the line you want to edit. Then use the \rightarrow and \leftarrow keys to move to the exact point you want to edit. While in the editing mode, the EDIT symbol appears on the display. After editing the program, press the EXE key to register the edited program.

Example Change the Problem 1 program, which determines speed and height, to the Problem 2 program, which determines speed and distance:

MODE/EXP

FILE

$\uparrow \downarrow$

\rightarrow

$\rightarrow \rightarrow \rightarrow +$

EXE

Filename?
F2

WRT

COMING DOWN
F1

WRT

$V = U - GT$
F1 L2

WRT

$V = U - GT$
F1 L2

WRT

$V = U + GT$
F1 L2

WRT

$V = U + GT$
F1 L2

WRT



EXE

*Note that edited programs are not registered in memory until **EXE** key is pressed. If **EXE** key has not been pressed, the previously registered program will still be held in memory.

MODE EXP

FILE

EXE

EXE

1 EXE

EXE

EXE

EXE

$$H = UT - (1/2)GT -$$

F1 L3
WRT D

$$H = UT - (1/2)GT -$$

F1 L3
WRT EDIT D

$$H = UT + (1/2)GT -$$

F1 L3
WRT D

$$H = UT + (1/2)GT -$$

F1 L3
WRT D

—
D

COMING DOWN
F1
FILE D

G?
9.8
D

T?
5.
D

S = GT
9.8
D

U?
50.
D

V = U + GT
59.8
D

H = UT + (1/2)GT -
54.9
D

EXE

EXE

3 EXE

EXE

EXE

EXE

EXE

EXE

5 EXE

EXE

EXE

EXE

G?
9.8
D

T?
1.
D

S = GT
29.4
D

U?
50.
D

V = U + GT
79.4
D

H = UT + (1/2)GT -
194.1
D

G?
9.8
D

T?
3.
D

S = GT
49.
D

U?
50.
D

V = U + GT
99.
D

H = UT + (1/2)GT -
372.5
D

■Program deletion

Press **MODE****EXP** to specify the WRT mode. As with program editing, display the line containing the program you want to delete and set the unit for editing (**EDIT** symbol appears on display). Next press the **AC** key or **DEL** key and then the **EXE** key. The displayed line will be deleted.

Example Delete the **[S = GT]** line from the “COMING DOWN” program:

MODE**EXP**

FILE

AC

EXE

Filename?
F2
WRT

COMING DOWN
F1
WRT

S = GT
F1 L1
WRT

S = GT
F1 L1
WRT **EDIT**

F1 L1
WRT **EDIT**

V = U + GT
F1 L1
WRT

*Note that after a line is deleted, the succeeding line is displayed. When the last line is deleted, however, the line before it is displayed.

●Deleting filenames (programs)

Press **MODE****EXP** to specify the WRT mode. Press the **FILE** key to display the filename you want to delete and set the unit for editing (**EDIT** symbol appears on display). Next press the **AC** key or **DEL** key and then the **EXE** key. The displayed filename (and program) will be deleted.

Example Delete the **[PROGRAM]** file from the list of files to the right:

F1	GOING UP
F2	COMING DOWN
F3	PROGRAM
F4	FORMULA

MODE**EXP**

FILE**FILE****FILE**

AC

EXE

Filename?
F5
WRT

PROGRAM
F3
WRT

PROGRAM
F3
WRT

F3
WRT **EDIT**

FORMULA
F3
WRT

*Note that after a filename is deleted, the succeeding filename is displayed. When the last line is deleted, however, the filename listed before it is displayed.

■Program searches

This unit features a program search function which allows you to search for filenames and program lines using either of the following methods:

- 1. Sequential search (search according to numerical order from beginning)
- 2. Direct search (search of all filenames or program lines which match input specifications)

■Filename sequential search

a. In the RUN mode:

When in the WRT mode, press **MODE****EXP** to specify the RUN mode. Then press the **FILE** key. File number 1 (F1) will be called up. Each time you press the **FILE** key, the file number will be incremented, and the succeeding filename will be called up. To go back to previous filenames, press **SHIFT****FILE**.

Example Search for the **[PROGRAM]** file from the filenames listed at the right:

F1	GOING UP
F2	COMING DOWN
F3	PROGRAM
F4	FORMULA

AC FILE

FILE FILE

GOING UP
F1
FILE D

PROGRAM
F3
FILE D

*Note that if you press the **FILE** key when the last filename is displayed, the last filename remains displayed. Also, if you press **SHIFT** **FILE** when the first filename is displayed, it remains displayed.

*You can specify the RUN mode after the display has been cleared (by pressing the **MC** key), during display of a calculation result, during input of a value for a variable, or while text is displayed.

*If you press the **AC** key while a filename is displayed, filename display disappears and unit enters "Manual calculations" status.

b. In the WRT mode:

Press **MODE** **EXP** to specify the WRT mode. At this time, the "Filename ?" prompt appears on the display. Press the **FILE** key to display filenames sequentially.

If you press the **FILE** key when the last filename is displayed, filename input becomes possible, and the display returns to the first filename. Press **SHIFT** **FILE** to display names in reverse order.

Example Search for the [PROGRAM] file:

MODE EXP

FILE

FILE FILE

Filename?
F5
WRT D

GOING UP
F1
WRT D

PROGRAM
F3
WRT D

*Note that if you press **SHIFT** **FILE** when the first filename is displayed, it remains displayed.

*If you press the **AC** key while a filename is displayed, "Filename?" prompt appears on the display.

AC

Filename?
F5
WRT D

Sequential search of program lines

a. In the RUN mode:

When in the WRT mode, press **MODE** **EXP** to specify the RUN mode. Then call up the filename of the program you want to search. Press the **↓** key to scroll down through program lines. Press the **↑** to scroll up through program lines.

Example In File 1, we programmed the "GOING UP" program. Search for the 2nd line in this program:

AC FILE

↓ ↓

GOING UP
F1
FILE D

H=UT-(1/2)GT -
F1 L2
FILE D

*Note that if you press the **↓** key when the last program line is displayed, the last program line remains displayed. Also, if you press **↑** when the first program line is displayed, it remains displayed.

*If **AC** is pressed when program is displayed, file display disappears and unit enters "Manual calculations" status.

b. In the WRT mode:

Press **MODE** **EXP** to specify the WRT mode. Then call up the filename containing the program you want to search. Press the **↓** key to scroll down through program lines. If you press the **↓** key when the last filename is displayed, input of additional lines becomes possible. Press the **↑** key to scroll up through program lines. If you press the **↑** key when the first program line is displayed, it becomes possible to insert additional lines at the first of the file.

Example As in the previous example, search for the 2nd line in the "GOING UP" program:

MODE EXP

FILE

↓ ↓

Filename?
F5
WRT D

GOING UP
F1
WRT D

H=UT-(1/2)GT -
F1 L2
FILE D



*If **AC** is pressed when program is displayed, the last line is automatically displayed and input of new lines becomes possible.



■ Direct search

● Direct search of filename

By inputting the first character or characters of a filename (up to 127 steps) and pressing the **FILE** key, it is possible to search for an individual filename directly.

● In the RUN mode:

Example Search "COMING DOWN" from the filenames at the right:



F1	GOING UP
F2	COMING DOWN
F3	PROGRAM
F4	FORMULA

C_

COMING DOWN
F2

*Character input for search must be carried out in "Manual calculations" status or when filenames are displayed.

*If the filename cannot be found, operation returns to "Manual calculations" status.

F1 L3
WRT

F1 L1
WRT

F1 L3
WRT

● In the WRT mode:

Example Search for "COMING DOWN":



Filename?
F5
WRT

C_
F5
WRT

COMING DOWN
F2
WRT

*Character input for search must be carried out while the "Filename?" prompt is displayed or when filenames are displayed.

*If the filename cannot be found, the "Filename?" prompt appears on the display.

● Direct search of program lines

By inputting the first character or characters of a line (up to 127 steps) when the corresponding filename is displayed and pressing the **□** key (or **□** key), it is possible to search for an individual program line directly. The same procedure is used in both the RUN mode and WRT mode.

● In the RUN mode:

Example In File 2, we programmed the "COMING DOWN" program. Search for the 2nd line in this program:



COMING DOWN
F2
FILE

H_
F1
FILE

H=UT+(1/2)GT -
F1 L2
FILE

*Press the **□** key repeatedly to continue direct search. After initial direct search, press the **□** key to abort search.

*If the specified line is not found, the last line is automatically displayed and input of new lines becomes possible. If no program has been entered, input becomes possible from the first line.

Notes on Direct search function

- The “C” in nCr and “C” used in the BASE-N mode cannot be searched simultaneously. The same is true for the P of “Pol (” and the letter “P”.

■Scrolling right and left in filenames and program lines

When filenames or program lines contain more than 12 characters, use the and keys to scroll to the right or left.

*In the WRT mode, the cursor flashes allowing editing of the filename or program.

Example Check contents of 2nd line of program below:

F1	HELON
L1	$L = (A + B + C) / 2$
L2	$S = \sqrt{L(L - A)(L - B)(L - C)}$

AC

HELON	
F1	
$L = (A + B + C) / 2$	
F1 L1	
$S = \sqrt{L(L - A)(L - B)(L - C)}$	
F1 L2	
$= \sqrt{L(L - A)(L - B)(L - C)}$	
F1 L2	
$= \sqrt{L(L - A)(L - B)(L - C)}$	
F1 L2	
$= \sqrt{L(L - A)(L - B)(L - C)}$	
F1 L2	

Program execution

programs can be executed in two different ways:

■Execution through filename search

After specifying the RUN mode, press the key. The first filename (F1) is displayed. Search the desired filename and press the key to execute the program.

Example Execute the “GOING UP” program:

AC

50

9.8

1

(Continuation omitted)

MCI	0.
GOING UP	
F1	
U?	0.
G?	0.
T?	0.
V = U - GT	40.2
H = UT - (1/2)GT	45.1
U?	50.

■ Execution by pressing **SHIFT** **Prog**

After pressing **SHIFT** **Prog**, input the filename and press the **EXE** key to execute the program.

Example Execute the “COMING DOWN” program:

AC **SHIFT** **MCI** **EXE**

SHIFT **Prog**

SHIFT **ALPHA** **C** **O** **M** **I** **N** **G** **SPACE**
D **O** **W** **N**

EXE

50 **EXE**

9.8 **EXE**

1 **EXE**

EXE

EXE

(Continuation omitted)

To have the final formula in a program (executed by **SHIFT** **Prog**) remain on the upper display, include a “▲” as the last command in the program, after the final formula.

*By inputting “Prog” and then the filename, the filename can be used as a subroutine in the program (see page 114 for details).

MCI	0.
Prog _	
- COMING DOWN	
U?	0.
G?	0.
T?	0.
V = U + GT	59.8
	54.9
U?	50.

■ Aborting execution

Press the **FILE** key to abort execution while a program is being executed. The first filename then appears on the display. By pressing the **AC** key in place of the **FILE** key, execution is aborted and operation returns to the “Manual calculations” status.

■ Program debugging (correcting errors)

After a program has been created and input, it will sometimes generate error messages when it is executed, or it will produce unexpected results. This indicates that there is an error somewhere within the program that needs to be corrected. Such programming errors are referred to as “bugs”, while the process of correcting them is called “debugging”.

When an error message is displayed, press the **←** or **→** key to move the cursor to the place where the error is generated (see page 49), and correct the program. For details, see the error message table on page 154.

When an incorrect or unusual result is generated, press **MODE** **EXP** to enter the WRT mode, then press the **FILE** key to display the filename corresponding to the program you want to correct. (See page 97 for details on program editing.)

■ Convenient program commands

The programs for this unit are made based upon manual calculations. Special program commands, however, are available to allow the selection of the formula, and repetitive execution of the same formula.

Here, some of these commands will be used to produce more convenient programs.

■ Jump commands

Jump commands are used to change the flow of program execution. Programs are executed in the order that they are input until the end of the program is reached. This system is not very convenient when there are repeat calculations to be performed, or when it is desirable to transfer execution to another formula. It is in these cases, however, that the jump commands are very effective. There are two types of jump commands: a simple unconditional jump to a branch destination and a conditional jump that decides the branch destination by determining whether a certain condition is true or not.

• Unconditional jump

The unconditional jump is composed of “Goto” and “Lbi”. When program execution reaches the statement “Goto” and a label name, execution then jumps to the same “Lbi” [label] label name listed with the “Goto” command. The unconditional jump is often used in simple programs to return execution to the beginning for repetitive calculations, or to repeat calculations from a point within a program.

*Label names can contain alphabetic characters, numbers, functional commands (cos, etc.), etc., however they may not contain delimiter codes (: , Δ , \Rightarrow , \Leftarrow , ∇ , etc.).
 *Label names may be comprised of up to 126 steps.

Example Rewrite the program used in Problem 1 using the “Goto 0” and “Lbl 0” commands to allow repeat calculations:

The program used in Problem 1 (presented previously) is shown to the right. Add “Goto 0” to the end of the program, and add “Lbl 0” to the beginning of the program which is the branch destination. If this is simply left the way it is, however, the height will not be displayed and only the initial velocity will be displayed. To prevent this, insert the display command “ Δ ” at the end of the formula that calculates height H.

F1	GOING UP
L1	$V = U - GT \Delta$
L2	$H = UT - (1/2)GT^2$

The program is still not complete, because after the first execution, the unit will retain the first value of T that you enter, so repeat calculation using different values for T will not be possible (values for U and G are fixed). Here, we will add the variable input command “{ T }” (see page 118) to tell the program to prompt for a new input for variable T each time the program is executed.

F1	GOING UP
L1	Lbl 0
L2	{ T }
L3	$V = U - GT \Delta$
L4	$H = UT - (1/2)GT^2 \Delta$
L5	Goto 0

With this, we will execute the program:

AC FILE

EXE

50 EXE

9.8 EXE

1 EXE

GOING UP
F1
U?
G?
T?
$V = U - GT$

EXE

EXE

3 EXE

EXE

EXE

5 EXE

EXE

$H = UT - (1/2)GT -$
45.1
T?
1
$V = U - GT$
20.6
$H = UT - (1/2)GT -$
105.9
T?
3.
$V = U - GT$
1.
$H = UT - (1/2)GT -$
127.5

In this way, an unconditional jump is made in accordance with “Goto” and “Lbl”, and the flow of program operation is changed. When there is no “Lbl [label name]” to correspond to the “Goto [label name]” command, an error (Go ERROR) appears on the display.

• Conditional jump

The conditional jump compares a numeric value with a constant or another numeric value in memory. If the condition is true, the statement following " \Rightarrow " is executed up to the next " \nRightarrow " or " Δ ". If the condition is not true, execution skips the statement following " \nRightarrow " up to the next " Δ ". In either case, execution continues from the above following the jump end code " Δ ".

Conditional jumps are formed in the following ways:

1. Left side Relational operator Right side \Rightarrow Statement { : } \nRightarrow Statement { : } Δ Statement

2. Left side Relational operator Right side \Rightarrow Statement { : } Δ Statement

One variable (A ~ Z), constant or variable formula ($A \times 2$, $D - E$, etc.) is used for the left side and one for the right side.

The relational operator is a comparison symbol. There are 6 types of relational operators: =, \neq , \geq , \leq , $>$, $<$.

Left side = right side (left side equals right side)

Left side \neq right side (left side does not equal right side)

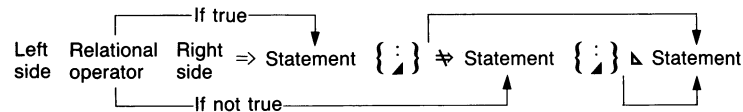
Left side \geq right side (left side greater than or equal to right side)

Left side \leq right side (left side less than or equal to right side)

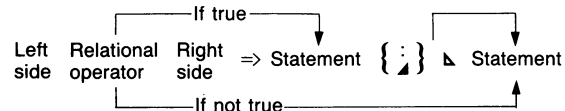
Left side $>$ right side (left side greater than right side)

Left side $<$ right side (left side less than right side)

The " \Rightarrow " is displayed when $\text{2ndF} \Rightarrow$ are pressed. If the condition is true, execution advances to the next statement. The " \nRightarrow " is displayed when $\text{2ndF} \nRightarrow$ are pressed. If the condition is not true, execution advances to the next statement. After this, if $\text{2ndF} \Delta$ are pressed, execution continues from the next " Δ ".



*If statement following " \nRightarrow " is unnecessary, flow of operations is as follows:



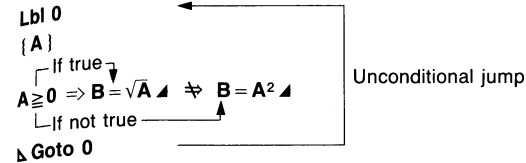
*For statements following " \Rightarrow " and " \nRightarrow ", multistatements can also be used.

Example

If an input numeric value is greater than or equal to zero, calculate the square root of that value. If the value is less than zero, display the square of that value:

Program must be written as follows.

In the following program, A representing input numeric value, B representing calculation result.



In this formula, a value is input for variable A. If this value is equal to or greater than zero, the statement between " \Rightarrow " and " Δ " is executed. If it is less than zero, the statement between " \nRightarrow " and " Δ " is executed. When "Goto 0" is reached, execution returns to "Lbl 0", for repeated calculation.

Input the filename [VALUE] and execute the program:

AC ALPHA V FILE

EXE

2 EXE

EXE

0 EXE

EXE

-2 EXE

VALUE
F5
FILE D

A?
0.
D

B = sqrt(A)
1.414213562
D

A?
2.
D

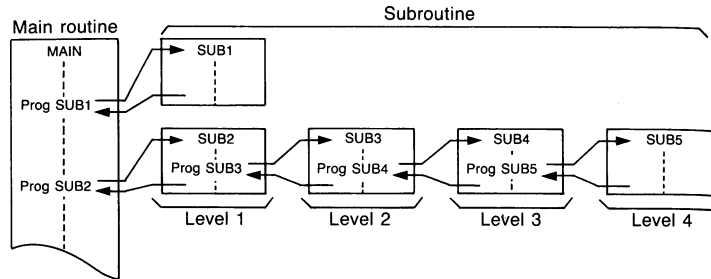
B = sqrt(A)
0.
D

A?
0.
D

B = A^2
4.
D

■ Subroutines

A program contained in a single program area is called a "main routine". Often used program segments stored in other program areas are called "subroutines". Subroutines can be used in a variety of ways to help make calculations easier. They can be used to store formulas for repeat calculations as one block to be jumped to each time, or to store often used formulas or operations for call up as required.



The subroutine command is "Prog", followed by a filename which is used to specify a program area.

Example Prog ABC — Jump to program area [ABC]:

After the jump is performed using the Prog command, execution continues from the beginning of the program stored in the specified program area. After execution reaches the end of the subroutine, the program returns to the statement following the Prog name command in the original program area. Jumps can be performed from one subroutine to another, and this procedure is known as "nesting". Nesting can be performed to a maximum of 9 levels, and attempts to exceed this level will cause an error (Ne ERROR) to be generated. Attempting to use Prog to jump to a filename in which there is no program stored will also result in an error (Go ERROR).

Example Simultaneously execute the two previously presented programs (Problem 1 and Problem 2) to determine the speed and height of an object which is tossed straight up, and the speed and distance of an object which is dropped:

This example employs the two programs previously presented:

F1	GOING UP	F2	COMING DOWN
L1	Lbl 0	L1	Lbl 0
L2	{ T }	L2	{ T }
L3	$V = U - GT \blacktriangle$	L3	$V = U + GT \blacktriangle$
L4	$H = UT - (1/2)GT^2 \blacktriangle$	L4	$H = UT + (1/2)GT^2 \blacktriangle$
L5	Goto 0	L5	Goto 0

When these two programs are compared, it is evident that lines 1, 2 and 5 are identical. If these portions are incorporated into a common routine, the programs are simplified and the number of steps required is decreased. Also, if it is possible to choose which calculation is going to be carried out when this program is executed, the calculation becomes even easier. For this, the conditional jump command is used in the main routine in the following way:

F3	MAIN
L1	Lbl 0
L2	{ T, N }
L3	N "GOING UP:0, COMING DOWN:1"
L4	$N = 1 \Rightarrow \text{Prog COMING DOWN} : \Rightarrow N = 0 \Rightarrow \text{Prog GOING UP} \blacktriangle \blacktriangle$
L5	Goto 0

The portions of the program which are not identical are as follows:

F1	GOING UP	F2	COMING DOWN
L1	$V = U - GT \blacktriangle$	L1	$V = U + GT \blacktriangle$
L2	$H = UT - (1/2)GT^2 \blacktriangle$	L2	$H = UT + (1/2)GT^2 \blacktriangle$

If the program is written in this way, after the program assigned to the filename "MAIN" is executed, zero is input to jump to the "GOING UP" subroutine to calculate the velocity and height of the object tossed in the air, with an unconditional jump from "Goto 0" to "Lbl 0". If a value of 1 is input for N, execution jumps to the "COMING DOWN" subroutine to calculate the velocity and distance of the object which is dropped.

Actual programming and execution:

AC SHIFT Mcl EXE

ALPHA M FILE

EXE

EXE

50 EXE

Mcl 0.

MAIN F3

GOING UP:0,? - 0.

U? 0.

G? 0.

9.8 EXE

1 EXE

EXE

EXE

1 EXE

EXE

EXE

EXE

(Continuation omitted)

In this way, subroutines can be used to isolate the common portions of two original programs and store them in separate program areas. Steps are shortened, and programs take on a clearer configuration.

T?	0.
V = U - GT	40.2
H = UT - (1/2)GT	45.1
GOING UP: 0, ?	0.
T?	1.
V = U + GT	59.8
H = UT + (1/2)GT	54.9
GOING UP: 0, ?	1.

■ Pause command

By inputting [Pause n (n = an integer between 0 and 9)] in the program, execution can be interrupted (paused) for up to 4.5 seconds.

While in the pause state, the answer from the previous line's calculation and the formula (or text) are displayed.

Example Perform a calculation wherein a value of 1 is added consecutively to variable A. In this case, variable A's initial value is 1:

For this case, the program is as follows:

Lbl 0

A = A + 1

Pause 3 (Displayed for approximately 1.5 seconds)

Goto 0

Unconditional jump

When a value is input for variable A, "Pause 3" causes a pause of 1.5 seconds, after which "Goto 0" causes execution to return to "Lbl 0", with the formula [A = A + 1] calculated repeatedly.

Here, we will insert the name "ADDITION" and execute the program:

AC SHIFT Mcl EXE

ALPHA A FILE

EXE

1 EXE

Mcl	0.
ADDITION F6	
A?	0.
A = A + 1	2.
A = A + 1	3.
⋮	
A = A + 1	12.

(After approximately 1.5 seconds)

(After approximately 15 seconds)

AC

—
D

The amount of time (approximate) corresponding to "Pause n " (" n " being an integer between 0 and 9) is as follows:

n	0	1	2	3	4	8	9
Pause time (seconds)	0	0.5	1	1.5	2	4	4.5

*"Pause n " is treated as a single statement.

Variable input command

When a value is input for a variable in a program, that value is stored in memory as a defined value. If it becomes necessary to input a new value for that variable, the variable input command $\text{2ndP}[\text{X}], \text{2ndP}[\text{Y}]$ can be used to return the variable to its undefined status. This is done by inputting the variable ($A \sim Z$) in brackets "{ }".

Example {A} Variable A returned to undefined status.
 {AB} {A, B} {A B} Variables A and B returned to undefined status.

*"{ }" is treated as a single statement.

*Array variables cannot be used as variables.

Fixm

When $\text{2ndP}[\text{Fixm}]$ is input in a program, all values for variables ($A \sim Z$) after the command are treated as defined values. When the program is executed, the program does not wait for entry of values for variables, but completes calculation using values which have already been input.

Example Input "Fixm" in the first line of the program written for Problem 2 (see page 95):

The program written for Problem 2 is as shown at the right. We will assume that the following values have been input: $U = 50$, $G = 9.8$, $T = 1$.

F2	COMING DOWN
L1	Fixm
L2	$V = U + GT \blacktriangleleft$
L3	$H = UT + (1/2)GT^2$

AC FILE FILE

COMING DOWN F2
FILE D

EXE

EXE

EXE

$V = U + GT$ 59.8
D

$H = UT + (1/2)GT^2$ 54.9
D

$V = U + GT$ 59.8
D

In this case, the calculation was carried out using only the values which had already been entered, so the results did not vary. If the variable input command "{ }" is contained in the same program where "Fixm" is used, the "{ }" command takes priority.

Example Input the "{ }" command into the Problem 2 program which contains "Fixm":

In this program, variables U and G are calculated using the defined values already input. Variable T , however is called up, and a value is input. Here, we will input the value and execute the program:

F2	COMING DOWN
L1	Fixm
L2	$U = 50 : G = 9.8$
L3	{T}
L4	$V = U + GT \blacktriangleleft$
L5	$H = UT + (1/2)GT^2$

AC FILE FILE

EXE

EXE

EXE

EXE

COMING DOWN F2
FILE D

T?
1.
D

$V = U + GT$ 59.8
D

$H = UT + (1/2)GT^2$ 54.9
D

T?
1.
D

3 **EXE**

EXE

(Continuation omitted)

*"Fixm" is treated as a single statement.

Remaining program capacity

The program capacity of this unit is 1103 steps. The number of steps indicates the amount of storage space available, and it will decrease as programs are input. The number of remaining steps will also be decreased when steps are converted to memories. (See page 41.)

*Basically, one function requires a single step, but there are some commands where one function requires two steps.

- One function/one step: sin, cos, tan, log, (,), :, A, B, 1, 2, 3, etc.
- One function/two steps: Lbl "label name", Goto "label name", Prog "filename", etc.

*When the step capacity is exceeded, a "Mem ERROR" is generated.

Determining the number of remaining steps

Hold down **SHIFT** **CAPA** to display the current remaining number of steps. Display returns to normal when keys are released.

Example

SHIFT **CAPA**

(Indicates 847 steps available)

Free

847.

$$V = U + GT$$

79.4

$$H = UT + (1/2)GT^2$$

194.1

Using the unit as a data bank

In place of data or programs, it is possible to store often used formulas or even telephone numbers in this unit, using it much like a data bank. Here, we will input a list of telephone numbers.

Filename: TEL DATA

Data:	Listing No.	Numbers
	1	Robert Jones 03-012-3456
	2	Samuel Stevens 03-023-4567
	3	John Smith 0425-034-5678
	4	Henry White 0425-045-6789
	5	Jane Bell 0473-056-7890

a. Inputting data

Press **MODE** **EXP** to specify WRT mode. Specify this telephone list as "File 5":

MODE **EXP**

Filename?
F5

WRT

Input the filename:

SHIFT **ALPHA** **T** **E** **L** **SPACE**
D **A** **T** **A** **EXE**

TEL DATA
F5

WRT

Press **↓** key to input listing number 1:

↓

F5 **L1**

WRT

Input data for listing number 1:

SHIFT **ALPHA** **R** **O** **B** **E** **R** **T** **SPACE**
J **O** **N** **E** **S** **SPACE** **ALPHA** **0** **3** **-**
0 **1** **2** **-** **3** **4** **5** **6**
EXE

- 03-012-3456
F5 **L1**

WRT

ROBERT JONES -
F5 **L1**

WRT

Other listings are input in the same way.

b. Recalling data

First, call up the filename "TEL DATA". The direct search function can be used as shown below:

AC ALPHA T FILE

TEL DATA
F5
FILE D

Next, call up the data for "Samuel Stevens":

ALPHA S

S_
F5
D

↕

SAMUEL STEVE -
F5 L2
FILE D

⇒

- AMUEL STEVEN -
F5 L2
FILE D

⇒

- MUEL STEVENS -
F5 L2
FILE D

Use the ⇐ and ⇒ keys to scroll to the left or right:

⇐ ⇐ ⇐ ⇐ ⇐ ⇐ ⇐ ⇐ ⇐ ⇐
⇐ ⇐

- 03-023-4567
F5 L2
FILE D

As a space is inserted before entering the telephone number, listings can also be searched according to number:

AC ALPHA T FILE

TEL DATA
F5
FILE D

Search using the prefix "03":

03 ↕

- 03-012-3456
F5 L1
FILE D

press the ↕ key until the listing you're searching for appears:

↕

- 03-023-4567
F5 L2
FILE D

Use the ⇐ and ⇒ keys to scroll to the left or right:

⇐ ⇐ ⇐ ⇐ ⇐ ⇐ ⇐ ⇐ ⇐ ⇐
⇐ ⇐

UEL STEVENS -
F5 L2
FILE D



PROGRAM LIBRARY

1. Prime factor analysis
2. Greatest common measure
3. $\Delta \leftrightarrow Y$ transformation
4. Minimum loss matching
5. Cantilever under concentrated load
6. Normal distribution
7. Numerical solution of an equation
(Newton's law)
8. Quadratic equation
9. Complex numbers

CASIO PROGRAM SHEET

Program for **Prime factor analysis** No. **1**

Description

Prime factors of arbitrary positive integers are produced.

For $1 < m < 10^{10}$

prime numbers are produced from the lowest value first. "END" is displayed at the end of the program.

< Overview >

m is divided by 2 and by all successive odd numbers ($d = 3, 5, 7, 9, 11, 13, \dots$) to check for divisibility.

Where d is a prime factor, $m_i = m_{i-1} / d$ is assumed, and division is repeated until

$$\sqrt{m_i} + 1 \leq d.$$

Example

<1>

$$119 = 7 \times 17$$

<2>

$$630 = 2 \times 3 \times 3 \times 5 \times 7$$

<3>

$$987654321 = 3 \times 3 \times 17 \times 17 \times 379721$$

Preparation and operation

- Store the program written on the next page.
- Execute the program as shown below.

Step	Key operation	Display	Step	Key operation	Display
1	AC [SHIFT] [MC] [EXE]	MCl 0.	11	[EXE]	PRIME FACTOR 5.
2	[FILE]	PRIME FACTOR → F1	12	[EXE]	PRIME FACTOR 7.
3	[EXE]	M? 0.	13	[EXE]	END 630.
4	119 [EXE]	PRIME FACTOR → 7.	14	[EXE]	M? 7.
5	[EXE]	PRIME FACTOR → 17.	15	987654321 [EXE]	PRIME FACTOR 3.
6	[EXE]	END 119.	16	[EXE]	PRIME FACTOR 3.
7	[EXE]	M? 17.	17	[EXE]	PRIME FACTOR 17.
8	630 [EXE]	PRIME FACTOR → 2.	18	[EXE]	PRIME FACTOR 17.
9	[EXE]	PRIME FACTOR → 3.	19	(After approx. 1.5 minutes) [EXE]	PRIME FACTOR 379721.
10	[EXE]	PRIME FACTOR → 3.	20	[EXE]	END 987654321.

No. **1**

Line	MODE	EXP	Program													Notes	Number of steps
F1	P	R	I	M	E		F	A	C	T	O	R					14
L1	Lbl	0	:	{	A	}	:	A	"	M	"	:	N	=	A		
	:	Goto	2	▴													34
2	Lbl	1	:	B	=	2	:	"	P	R	I	M	E		F		
	A	C	T	O	R	"	▲	A	=	A	/	2	:	A	=		
	1	=>	Goto	9	▴												70
3	Lbl	2	:	Frac	(A	/	2)	=	0	=>	Goto	1	▴		
	B	=	3														89
4	Lbl	3	:	C	=	√	A	+	1								99
5	Lbl	4	:	B	≥	C	=>	Goto	8	▴	Frac	(A	/	B		
)	=	0	=>	Goto	6	▴										122
6	Lbl	5	:	B	=	B	+	2	:	Goto	4	▴					135
7	Lbl	6	:	(A	/	B)	B	-	A	=	0	=>	Goto		
	7	▴	Goto	5													155
8	Lbl	7	:	B	:	"	P	R	I	M	E		F	A	C		
	T	O	R	"	▲	A	=	A	/	B	:	Goto	3	▴			185
9	Lbl	8	:	A	:	"	P	R	I	M	E		F	A	C		
	T	O	R	"	▲												206
10	Lbl	9	:	N	:	"	E	N	D	"	▲	Goto	0				220
11																	
12																	
13																	
14																	
15																	
16																	
17																	
18																	
19																	
Memory contents	A	m_i				H					O					V	
	B	d				I					P					W	
	C	$\sqrt{m_i} + 1$				J					Q					X	
	D					K					R					Y	
	E					L					S					Z	
	F					M					T						
	G					N	m				U						

CASIO PROGRAM SHEET

Program for

Greatest common measure

No.

2

Description

Euclidean general division is used to determine the greatest common measure for two integers a and b .

For $|a|, |b| < 10^9$, positive values are taken as $< 10^{10}$

< Overview >

$$n_0 = \max(|a|, |b|)$$

$$n_1 = \min(|a|, |b|)$$

$$n_k = n_{k-2} - \left[\frac{n_{k-2}}{n_{k-1}} \right] n_{k-1}$$

$$k = 2, 3, \dots$$

If $n_k = 0$, then the greatest common measure (c) will be n_{k-1} .

Example

When

<1>

$$a = 238$$
$$b = 374$$

$c = 34$

〈2〉

$$a = 23345$$
$$b = 9135$$

$c = 1015$

〈3〉

$$a = 522952$$
$$b = 3208137866$$
$$c = 998$$

Preparation and operation

- Store the program written on the next page.
- Execute the program as shown below.

Step	Key operation	Display	Step	Key operation	Display
1	AC SHIFT MCl EXE	MCl 0. D	11	3208137866 EXE	C 998. D
2	FILE	COMMON MEASU → F1 FD D			
3	EXE	A? 0. D			
4	238 EXE	B? 0. D			
5	374 EXE	C 34. D			
6	EXE	A? 102. D			
7	23345 EXE	B? 34. D			
8	9135 EXE	C 1015. D			
9	EXE	A? 4060. D			
10	522952 EXE	B? 1015.			

No.

2

Line	Program															Notes	Number of steps
F1	C	O	M	M	O	N		M	E	A	S	U	R	E		16	
L1	Lbl	1														19	
2	{	A	,	B	}											25	
3	A	=	Abs	A	:	B	=	Abs	B							35	
4	B	>	A	=>	C	=	A	:	A	=	B	:	B	=	C		
	▴															52	
5	Lbl	2														55	
6	C	=	-	(Int	(A	/	B)	×	B	-	A)	71	
7	C	≠	0	=>	A	=	B	:	B	=	C	:	Goto	2	▴	87	
8	B	:	"	C	"	▴	Goto	1								96	
9																	
10																	
11																	
12																	
13																	
14																	
15																	
16																	
17																	
18																	
19																	
20																	
21																	
22																	
23																	
24																	
25																	
26																	
Memory contents	A	a, n_0				H					O					V	
	B	b, n_1				I					P					W	
	C	n_k				J					Q					X	
	D					K					R					Y	
	E					L					S					Z	
	F					M					T						
	G					N					U						

CASIO PROGRAM SHEET

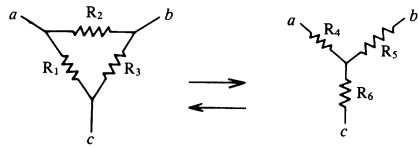
Program for

$\Delta \leftrightarrow Y$ transformation

No.

3

Description



1) $\Delta \rightarrow Y$

2) $Y \rightarrow \Delta$

$$R_4 = \frac{R_1 \cdot R_2}{R_1 + R_2 + R_3}$$

$$R_1 = \frac{R_4 R_5 + R_5 R_6 + R_6 R_4}{R_5}$$

$$R_5 = \frac{R_2 \cdot R_3}{R_1 + R_2 + R_3}$$

$$R_2 = \frac{R_4 R_5 + R_5 R_6 + R_6 R_4}{R_6}$$

$$R_6 = \frac{R_3 \cdot R_1}{R_1 + R_2 + R_3}$$

$$R_3 = \frac{R_4 R_5 + R_5 R_6 + R_6 R_4}{R_4}$$

Example

<1>

$$R_1 = 12 \text{ } (\Omega)$$
$$R_2 = 47 \text{ } (\Omega)$$
$$R_3 = 82 \text{ } (\Omega)$$

〈2〉

$$R_4 = 100 \text{ } (\Omega)$$
$$R_5 = 150 \text{ } (\Omega)$$
$$R_6 = 220 \text{ } (\Omega)$$

Preparation and operation

- Store the program written on the next page.
- Execute the program as shown below.

Step	Key operation	Display	Step	Key operation	Display
1	AC SHIFT [MCl] EXE	MCl 0.	11	2 EXE	R4? 4.
2	[FILE]	TRANSFORMATION F1	12	100 EXE	R5? 27.33333333
3	[EXE]	D⇒Y:1,Y⇒D:2? 0.	13	150 EXE	R6? 6.978723404
4	1 EXE	R1? 0.	14	220 EXE	R1 = 466.6666667
5	12 EXE	R2? 0.	15	[EXE]	R2 = 318.1818182
6	47 EXE	R3? 0.	16	[EXE]	R3 = 700.
7	82 EXE	R4 = 4.			
8	[EXE]	R5 = 27.33333333			
9	[EXE]	R6 = 6.978723404			
10	[EXE]	D⇒Y:1,Y⇒D:2? 1.			

No.

3

Notes

Number of steps	Time (min)	Distance (m)	Speed (m/s)
1	10	10	1.0
2	20	20	1.0
3	30	30	1.0
4	40	40	1.0
5	50	50	1.0
6	60	60	1.0
7	70	70	1.0
8	80	80	1.0
9	90	90	1.0
10	100	100	1.0

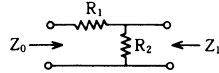
Line	MODE	EXP	Program														Notes	Number of steps
F1	T		R	A	N	S	F	O	R	M	A	T	I	O	N		16	
L1	Lbl	1															19	
2	{	N	}	:	N	"	D	=>	Y	:	1	,	Y	=>	D			
	:	2	"														38	
3	N	=	2	=>	Goto:	2	:	≠	N	≠	1	=>	Goto:	1	▴		54	
4	{	A	}	:	A	"	R	1	"	:	{	B	}	:	B			
	"	R	2	"	:	{	C	}	:	C	"	R	3	"			84	
5	D	=	A	+	B	+	C										92	
6	E	"	R	4	"	=	A	B	/	D	▴						104	
7	F	"	R	5	"	=	B	C	/	D	▴						116	
8	G	"	R	6	"	=	C	A	/	D	▴						128	
9	Goto:	1															131	
10	Lbl	2															134	
11	{	E	}	:	E	"	R	4	"	:	{	F	}	:	F			
	"	R	5	"	:	{	G	}	:	G	"	R	6	"			164	
12	H	=	E	F	+	F	G	+	G	E							175	
13	A	"	R	1	"	=	H	/	F	▴							186	
14	B	"	R	2	"	=	H	/	G	▴							197	
15	C	"	R	3	"	=	H	/	E	▴							208	
16	Goto:	1															211	
17																		
18																		
19																		
20																		
21																		
22																		
23																		
24																		
Memory contents	A	R ₁				H	R ₄ R ₅ + R ₅ R ₆ + R ₆ R ₄				O					V		
	B	R ₂				I					P					W		
	C	R ₃				J					Q					X		
	D	R ₁ + R ₂ + R ₃				K					R					Y		
	E	R ₄				L					S					Z		
	F	R ₅				M					T							
	G	R ₆				N	For judgement				U							

CASIO PROGRAM SHEET

Program for **Minimum loss matching** No. **4**

Description

Calculate R_1 and R_2 which match Z_0 and Z_1 with loss minimized. ($Z_0 > Z_1$)



$$R_1 = Z_0 \sqrt{1 - \frac{Z_1}{Z_0}} \quad R_2 = \frac{Z_1}{\sqrt{1 - \frac{Z_1}{Z_0}}}$$

$$\text{Minimum loss } L_{\min} = 20 \log \left(\sqrt{\frac{Z_0}{Z_1}} + \sqrt{\frac{Z_0}{Z_1} - 1} \right) [\text{dB}]$$

Example

Calculate the values of R_1 , R_2 and L_{\min} for $Z_0 = 500\Omega$ and $Z_1 = 200\Omega$.

Preparation and operation

- Store the program written on the next page.
- Execute the program as shown below.

Step	Key operation	Display	Step	Key operation	Display
1	AC SHIFT [MC] [EXE]	MC 0.			
2	[F1]	LOSS MATCHIN F1			
3	[EXE]	Z0 ? 0.			
4	500 [EXE]	Z1? 0.			
5	200 [EXE]	R1 = 387.2983346			
6	[EXE]	R2 = 258.1988897			
7	[EXE]	LMIN = 8.961393328			

No. **4**

Line	Program													Notes	Number of steps	
F1	L	O	S	S		M	A	T	C	H	I	N	G			15
L1	Y	"	Z	0	"	:	Z	"	Z	1	"					27
2	A	=	√	(1	-	Z	/	Y)	:	B	=	Y	/	
	Z															44
3	R	"	R	1	"	=	Y	A	▲							54
4	S	"	R	2	"	=	Z	/	A	▲						65
5	T	"	L	M	I	N	"	=	2	0	log	(√	B	+	
	√	(B	-	1))	▲								89
6																
7																
8																
9																
10																
11																
12																
13																
14																
15																
16																
17																
18																
19																
20																
21																
22																
23																
24																
25																
Memory contents	A	$\sqrt{1 - \frac{Z_1}{Z_0}}$				H					O			V		
	B	$\frac{Z_0}{Z_1}$				I					P			W		
	C					J					Q			X		
	D					K					R	R_1	Y	Z_0		
	E					L					S	R_2	Z	Z_1		
	F					M					T	L_{min}				
	G					N					U					

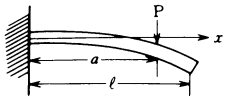
CASIO PROGRAM SHEET

Program for **Cantilever under concentrated load**

No.

5

Description



E : Young's modulus [kg/cm²]

I : Geometrical moment of inertia [cm^4]

a : Distance of concentrated load from support [cm]

P : Load [kg]

x : Distance of point of interest from the support [cm]

Deflection y [cm], Angle of deflection s [°], Bending moment M [kg·cm]

① $\ell > x > a$

$$y = \frac{Pa^3}{6EI} - \frac{Pa^2}{2EI} x$$

$$s = \tan^{-1} \left[-\frac{Pa^2}{2EI} \right]$$

$M = 0$ (shearing load $W_s = 0$)

② $x \leq a$

$$y = \frac{P}{6EI} x^3 - \frac{Pa}{2EI} x^2$$

$$s = \tan^{-1} \left[\frac{Px}{2EI} (x - 2a) \right]$$

$$M = P(x - a) \text{ (shearing load } W_s = P)$$

Example

 $E = 2,100,000 \text{ kg/cm}^2$
$$I = 700 \text{ cm}^4$$
 $a = 50 \text{ cm}$

$P = 100 \text{ kg}$

What are deflection, angle of deflection, bending moment and shearing load at $x = 40$ cm and $x = 60$ cm?

Preparation and operation

- Store the program written on the next page.
- Execute the program as shown below.

Step	Key operation	Display	Step	Key operation	Display
1	AC SHIFT [Mcl] [EXE]	Mcl 0.	11	[EXE]	X? 40.
2	[FILE]	CANTILEVER F1 0.	12	60 [EXE]	$Y = PA^2/2EI \times I$ - 0.003684807
3	[EXE]	E? 0.	13	[EXE]	$S = \tan^{-1}(-PA^2)$ - 0.00487209
4	2100000 [EXE]	I? 0.	14	[EXE]	M = 0 0.
5	700 [EXE]	A? 0.			
6	50 [EXE]	P? 0.			
7	100 [EXE]	X? 0.			
8	40 [EXE]	$Y = PX^2/2EI \times X$ - 0.001995464			
9	[EXE]	$S = \tan^{-1}(PX/2)$ - 0.004677206			
10	[EXE]	M = P(X - A) - 1000.			

No.

5

Program

Notes

Number of steps	Time (min)	Distance (m)	Speed (m/s)
1	10	10	1.0
2	20	20	1.0
3	30	30	1.0
4	40	40	1.0
5	50	50	1.0
6	60	60	1.0
7	70	70	1.0
8	80	80	1.0
9	90	90	1.0
10	100	100	1.0

Line	MODE	EXP	Program													Notes	of steps
F1	C	A	N	T	I	L	E	V	E	R							12
L1	Deg																14
2	Lbl	1															17
3	E	:	I	:	A	:	P	:	{	X	}						29
4	X	≡	A	⇒	Goto	2	▴										37
5	Y	=	P	A	x^2	/	2	E	I	×	(A	/	3	-		
	X)	▲														56
6	S	=	\tan^{-1}	(-	P	A	x^2	/	2	E	I)	▲			71
7	M	=	0	▲													76
8	Goto	1															79
9	Lbl	2															82
10	Y	=	P	X	x^2	/	2	E	I	×	(X	/	3	-		
	A)	▲														101
11	S	=	\tan^{-1}	(P	X	/	2	E	I	×	(X	-	2		
	A))	▲													121
12	M	=	P	(X	-	A)	▲								131
13	Goto	1															134
14																	
15																	
16																	
17																	
18																	
19																	
20																	
21																	
22																	
23																	
24																	
Memory contents	A	a				H	O				V						
	B	I				I	P				W						
	C	J				K	Q				X	x					
	D	K				L	R				Y	y					
	E	E				L	S				Z						
	F	M				M	T										
	G	N				N	U										

CASIO PROGRAM SHEET

Program for	
-------------	--

Normal distribution

No.

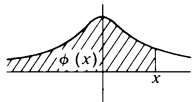
6

Description

Obtain normal distribution function $\phi(x)$ (by Hastings' best approximation).

$$\phi(x) = \int_{-\infty}^x \phi(t) dt$$

$$\phi t = \frac{1}{\sqrt{2\pi}} e^{-\frac{x^2}{2}}$$



$$\text{Put } t = \frac{1}{1 + Px}$$

$$\phi(x) \doteq 1 - \phi t (c_1 t + c_2 t^2 + c_3 t^3 + c_4 t^4 + c_5 t^5)$$

P = 0.2316419

$$C_1 = 0.31938153$$

$$C_2 = -0.356563782$$

$$C_3 = 1.78147937$$

$$C_4 = -1.821255978$$

$$C_5 = 1.330274429$$

Example

Calculate the values of $\phi(x)$ at $x=1.18$ and $x=0.7$.

Preparation and operation

- Store the program written on the next page.
- Execute the program as shown below.

Step	Key operation	Display	Step	Key operation	Display
1	AC SHIFT MCI EXE	MCI 0. D			
2	FILE	DISTRIBUTION → F1 DEL D			
3	EXE	X? 0. D			
4	1.18 EXE	PX = 0.880999696 DnD D			
5	EXE	X? 1.18 D			
6	0.7 EXE	PX = 0.758036136 DnD D			

No.

6

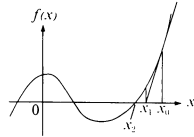
Line	Program															Notes	Number of steps
F1	D	I	S	T	R	I	B	U	T	I	O	N					14
L1	Lbl	0															17
2	{	X	}														21
3	T	=	1	/	(1	+	0	.	2	3	1	6	4	1		
	9	X)														
4	Q	=	1	/	$\sqrt{\quad}$	2	π	\times	e^x	(-	X	x^2	/	2		40
)																
5	A	=	0	.	3	1	9	3	8	1	5	3					57
6	B	=	(-)	0	.	3	5	6	5	6	3	7	8	2			70
7	C	=	1	.	7	8	1	4	7	9	3	7					85
8	D	=	(-)	1	.	8	2	1	2	5	5	9	7	8			98
9	E	=	1	.	3	3	0	2	7	4	4	2	9				113
10	P	"	P	X	"	=	1	-	Q	(A	T	+	B	T		127
	x^2	+	C	T	x^y	3	+	D	T	x^y	4	+	E	T	x^y		
	5)	\blacktriangle														
11	Goto:	0															161
12																	164
13																	
14																	
15																	
16																	
17																	
18																	
19																	
20																	
21																	
22																	
23																	
Memory contents	A	C ₁				H					O					V	
	B	C ₂				I					P	$\phi(x)$				W	
	C	C ₃				J					Q	ϕt				X	x
	D	C ₄				K					R					Y	
	E	C ₅				L					S					Z	
	F					M					T	t					
	G					N					U						

CASIO PROGRAM SHEET

Program for
Numerical solution of an equation (Newton's law) No. **7**

Description

Using Newton's law to calculate x so that $f(x) = 0$ in $y = f(x)$



Parameters:

x_0 ... Initial value

h ... Micro interval in direction of x axis when numeric differential is performed for points $(x, f(x))$

ε ... Convergent condition of solution (" ε " used to continue calculation until inequality in $\varepsilon > |x_{n+1} - x_n|$ is developed).

$$x_{n+1} = x_n - \frac{f(x_n)}{f'(x_n)}$$

$$f'(x) = \frac{f(x+h) - f(x)}{h}$$

x_n is root for $|x_{n+1} - x_n| < \varepsilon$

Example

Write a program for the following: $f(x) = ax^3 + bx^2 + cx + d$

$$f(x) = 2x^3 + 3x^2 - x - 5$$

$$x_0 = 1, \varepsilon = 1 \times 10^{-5}, h = 0.001$$

Note: If solution does not appear after an extended period, no root exists.

In this case, press **AC** to abort execution and re-execute with a different value for x_0 .

Preparation and operation

- Store the program written on the next page.
- Execute the program as shown below.

Step	Key operation	Display	Step	Key operation	Display
1	AC SHIFT (MC) EXE	MCl 0.	11	0.001 EXE (After approx. 9 seconds)	CALCULATING 0.
2	FILE	NEWTON F1 0.	12		ANSWER = 1.084900341 0.
3	EXE	AX³ + BX² + CX 0.			
4	(After approx. 1 second)	A? 0.			
5	2 EXE	B? 0.			
6	3 EXE	C? 0.			
7	(-) 1 EXE	D? 0.			
8	(-) 5 EXE	EPSILON? 0.			
9	1 EXP (-) 5 EXE	X0 ? 0.			
10	1 EXE	H? 0.			

No. **7**

Line	MODE	EXP	Program													Notes	Number of steps	
F1	N	E	W	T	O	N											8	
L1	"	A	X	x^y	3	+	B	X	x^2	+	C	X	+	D	=			
	0	"	:	Pause	2												29	
2	A	:	B	:	C	:	D										37	
3	E	"	E	P	S	I	L	O	N	"	:	P	"	X	0			
	"	:	H														56	
4	"	C	A	L	C	U	L	A	T	I	N	G	"				70	
5	Lbl	1															73	
6	S	=	P	:	N	=	2										81	
7	Lbl	2															84	
8	Y	=	A	P	x^2	P	+	B	P	x^2	+	C	P	+	D		100	
9	P	=	P	+	H	:	N	=	N	-	1						112	
10	N	\neq	0	\Rightarrow	Z	=	Y	:	Goto	2	\blacktriangle						124	
11	Y	=	(Y	-	Z)	/	H								134	
12	Z	=	S	-	Z	/	Y										142	
13	Abs	(Z	-	S)	\geq	E	\Rightarrow	P	=	Z	:	Goto	1			
	\blacktriangle																159	
14	S	:	"	A	N	S	W	E	R	=	"	\blacktriangle					172	
15																		
16																		
17																		
18																		
19																		
20																		
21																		
22																		
23																		
24																		
Memory contents	A	a				H	h				O					V		
	B	b				I					P	x_0				W		
	C	c				J					Q					X		
	D	d				K					R					Y	ax^3+bx^2+cx+d	
	E	ε				L					S	x_n				Z	x_{n+1}	
	F					M					T							
	G					N	n				U							

CASIO PROGRAM SHEET

Program for

Quadratic equation

No.

8

Description

$$ax^2 + bx + c = 0 \quad \begin{cases} \text{(Condition)} \\ a \neq 0 \text{ Accuracy to 6 significant digits.} \end{cases}$$

By inputting coefficients a , b , and c in the above formula, solutions for α and β can be determined.

The root formula is used as shown below:

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

When it is considered that $d = b^2 - 4ac$:

i) When $d > 0$, real roots of α and β exist $\alpha = \frac{-b + \sqrt{d}}{2a}, \beta = \frac{-b - \sqrt{d}}{2a}$

ii) When $d = 0$, the real root of α exists $\alpha = \frac{-b}{2a}$

iii) When $d < 0$, imaginary roots of α and β exist $\alpha = \frac{-b}{2a} + \frac{\sqrt{-d}}{2a}i, \beta = \frac{-b}{2a} - \frac{\sqrt{-d}}{2a}i$

Example

Determine solutions for the following quadratic equations:

1) $2x^2 - x - 15 = 0$

2) $4x^2 - 12x + 9 = 0$

3) $x^2 + x + 1 = 0$

Preparation and operation

- Store the program written on the next page.
- Execute the program as shown below.

Step	Key operation	Display	Step	Key operation	Display
1	AC SHIFT MC EXE	MCl 0.	12	(-) 12 EXE	C? -15.
2	FILE	QUADRATIC F1	13	9 EXE	X = 1.5
3	EXE	AX ² + BX + C = 0 0.	14	EXE	AX ² + BX + C = 0 1.5
4	(After approx. 1 second)	A? 0.	15	(After approx. 1 second)	A? 4.
5	2 EXE	B? 0.	16	1 EXE	B? -12.
6	(-) 1 EXE	C? 0.	17	1 EXE	C? 9.
7	(-) 15 EXE	X1 = 3.	18	1 EXE	X1 : REAL P. -0.5
8	EXE	X2 = -2.5	19	EXE	IMAGINARY P. 0.866025
9	EXE	AX ² + BX + C = 0 -2.5	20	EXE	X2 : REAL P. -0.5
10	(After approx. 1 second)	A? 2.	21		IMAGINARY P. -0.866025
11	4 EXE	B? -1.			

														No.	8					
Line	MODE	EXP	Program												Notes	Number of steps				
F1	Q	U	A	D	R	A	T	I	C						11					
L1	Lbl	R	T	N											16					
2	"	A	X	x^2	+	B	X	+	C	=	0	"	:	Pause: 2	32					
3	Lbl	0	:	{	A	B	C	}							41					
4	A	=	0	=>	"	A	≠	0	"	:	Pause: 1	:	Goto: 0							
	▴														58					
5	B	:	C												62					
6	D	=	B	x^2	-	4	A	C							71					
7	D	>	0	=>	Prog:	S	U	B	1	:	Goto:	R	T	N	▴	87				
8	D	=	0	=>	Prog:	S	U	B	2	:	Goto:	R	T	N	▴	103				
9	Prog:	S	U	B	3										109					
10	Goto:	R	T	N											114					
F2	S	U	B	1											6					
L1	((-)	B	+	√	D)	/	2	A					17					
2	Prog:	R	N	D											22					
3	P	"	X	1	"	=	Ans	▲							31					
4	((-)	B	-	√	D)	/	2	A					42					
5	Prog:	R	N	D											47					
6	Q	"	X	2	"	=	Ans	▲							56					
F3	S	U	B	2											6					
L1	(-)	B	/	2	A										12					
2	Prog:	R	N	D											17					
3	P	"	X	"	=	Ans:	▲								25					
F4	S	U	B	3											6					
L1	(-)	B	/	2	A										12					
Memory contents	A	a				H					O					V				
	B	b				I					P	$\frac{-b+\sqrt{d}}{2a}, \frac{-b}{2a}$				W				
	C	c				J					Q	$\frac{-b-\sqrt{d}}{2a}, \frac{\sqrt{-d}}{2a}$				X				
	D	$b^2 - 4ac$				K					R					Y				
	E					L					S					Z				
	F					M					T									
	G					N					U									

CASIO PROGRAM SHEET

Program for	Quadratic equation	No.	8
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Step	Key operation	Display	Step	Key operation	Display
1			11		
2			12		
3			13		
4			14		
5			15		
6			16		
7			17		
8			18		
9			19		
10			20		

No. 8

Line	MODE	EXP	Program	Notes	Number of steps
2	Prog	R N D			17
3	P	= Ans			21
4	$\sqrt{\square}$	(-) D / 2 A			28
5	Prog	R N D			33
6	Q	= Ans			37
7	P	: " X 1 : R E A L P "			53
8	Q	: " I M A G I N A R Y P "			
	"	▲			71
9	P	: " X 2 : R E A L P "			87
10	(-) Q	: " I M A G I N A R Y P "			
	"	▲			106
F5	R N D				5
L1	Sci 6	: Rnd : Norm			12
2					
3					
4					
5					
6					
7					
8					
9					
10					
11					
12					
13					
14					
15					
Memory contents	A	a	H	O	V
	B	b	I	P	$\frac{-b+\sqrt{d}}{2a}, \frac{-b-\sqrt{d}}{2a}$ W
	C	c	J	Q	$\frac{-b+\sqrt{d}}{2a}, \frac{-b-\sqrt{d}}{2a}$ X
	D	$b^2 - 4ac$	K	R	Y
	E		L	S	Z
	F		M	T	
	G		N	U	

CASIO PROGRAM SHEET

Program for

Complex numbers

No.

9

Description

$$Z_1 = x_1 + iy_1 \quad r_1 = \sqrt{x_1^2 + y_1^2} \quad \theta_1 = \tan^{-1} \frac{y_1}{x_1}$$

$$Z_2 = x_2 + iy_2 \quad r_2 = \sqrt{x_2^2 + y_2^2} \quad \theta_2 = \tan^{-1} \frac{y_2}{x_2}$$

Example

$$Z_1 = 2 + \sqrt{3}i$$

$$Z_2 = 4 - i$$

- Sum, difference $Z_1 \pm Z_2 = (x_1 \pm x_2) + i(y_1 \pm y_2)$
- Product $Z_1 \times Z_2 = (x_1 x_2 - y_1 y_2) + i(x_1 y_2 + x_2 y_1)$
- Quotient
$$\frac{Z_1}{Z_2} = \frac{(x_1 x_2 + y_1 y_2) + i(x_2 y_1 - x_1 y_2)}{x_2^2 + y_2^2} \begin{cases} \text{(Condition)} \\ Z_2 \neq 0 \\ x_2 \neq 0, y_2 \neq 0 \end{cases}$$
- n-th power $Z_1^n = r^n \cdot e^{in\theta} = (r^n \cos n\theta) + i(r^n \sin n\theta)$
- $x, y \rightarrow r, \theta$
- $r, \theta \rightarrow x, y$

Preparation and operation

- Store the program written on the next page.
- Execute the program as shown below.

Note: • If "Mem ERROR" appears on the display while executing the program, press **MODE** **AM** **0** **EXE**.

- When the message "1: + 2: - 3: x ?" appears on the display, you can input any of the following values to specify the type of operation to be performed.

1..... $Z_1 + Z_2$ 2..... $Z_1 - Z_2$ 3..... $Z_1 \times Z_2$ 4..... $Z_1 \div Z_2$ 5..... Z_1^n
 6..... $x, y \rightarrow r, \theta$ 7..... $r, \theta \rightarrow x, y$ 8..... Z_1, Z_2 input 9..... Quit

You should input the full message as follows:

1: + 2: - 3: x 4: / 5: Z_1^n N 6: \rightarrow POL 7: \rightarrow REC 8: INPUT 9: QUIT

While this message is displayed, use the **←** and **→** keys to scroll left and right to view the parts of the message that don't fit on the display.

Step	Key operation	Display	Step	Key operation	Display
1	AC SHIFT MC EXE	MC 0.	11	EXE	1: + 2: - 3: x ? 1.
2	FILE	COMPLEX F1	12	(Calculate product) 3 EXE	REAL = 9.732050808
3	EXE	1: + 2: - 3: x ? 0.	13	EXE	IMAGE = 4.92820323
4	(Input data of complex numbers) 8 EXE	X1(Z1)? 0.	14	EXE	1: + 2: - 3: x ? 3.
5	2 EXE	Y1(Z1)? 0.	15	9 EXE	END OF JOB 0.
6	✓ 3 EXE	X2(Z2)? 0.			
7	4 EXE	Y2(Z2)? 0.			
8	(←) 1 EXE	1: + 2: - 3: x ? 8.			
9	(Calculate sum) 1 EXE	REAL = 6.			
10	EXE	IMAGE = 0.732050807			

													No.	9					
Line	MODE		EXP		Program													Notes	Number of steps
F1	C	O	M	P	L	E	X											9	
L1	Rad:																		11
2	Defm:	:	N	=	Ans													17	
3	Defm:	N	+	6														22	
4	Lbl	M	E	N	U													28	
5	{	O	}	:	O	"	1	:	+		2	:	-		3				
	:	x		4	:	/		5	:	Z	x^y	N		6	:				
	-	>	P	O	L		7	:	-	>	R	E	C		8				
	:	I	N	P	U	T		9	:	Q	U	I	T	"				88	
6	O	=	1	=>	Prog	+												95	
7	\neq	O	=	2	=>	Prog	-											103	
8	\neq	O	=	3	=>	Prog	x											111	
9	\neq	O	=	4	=>	Prog	/											119	
10	\neq	O	=	5	=>	Prog	N											127	
11	\neq	O	=	6	=>	Prog	P	O	L									137	
12	\neq	O	=	7	=>	Prog	R	E	C									147	
13	\neq	O	=	8	=>	Prog	I	N	P	U	T							159	
14	\neq	O	=	9	=>	Goto	E	N	D	Δ	Δ	Δ	Δ	Δ	Δ	Δ			
	Δ	Δ	Δ															178	
15	Goto:	M	E	N	U													184	
16	Lbl	E	N	D														189	
17	Defm:	N																192	
18	"	E	N	D		O	F		J	O	B	"						205	
F2	+																	3	
Memory contents	A					H					O	For judgement				V	r, x		
	B					I					P	$x^2 + y^2$				W	θ, y		
	C					J					Q					X			
	D					K					R	n				Y			
	E					L					S					Z			
	F					M					T								
	G					N	Expanded memories				U								
Expanded memories	Z[N+1]		x_1		Z[N+3]		x_2		Z[N+5]		x								
	Z[N+2]		y_1		Z[N+4]		y_2		Z[N+6]		y								

No. 9																				
Line	MODE	EXP	Program												Notes	Number of steps				
L1	Z	[N	+	5]	"	R	E	A	L	"	=	Z	[
	N	+	1]	+	Z	[N	+	3]	▲							31	
2	Z	[N	+	6]	"	I	M	A	G	E	"	=	Z					
	[N	+	2]	+	Z	[N	+	4]	▲						60	
F3	-																	3		
L1	Z	[N	+	5]	"	R	E	A	L	"	=	Z	[
	N	+	1]	-	Z	[N	+	3]	▲							30	
2	Z	[N	+	6]	"	I	M	A	G	E	"	=	Z					
	[N	+	2]	+	Z	[N	+	4]	▲						59	
F4	x																	3		
L1	Z	[N	+	5]	"	R	E	A	L	"	=	Z	[
	N	+	1]	Z	[N	+	3]	-	Z	[N	+					
	2]	Z	[N	+	4]	▲									43		
2	Z	[N	+	6]	"	I	M	A	G	E	"	=	Z					
	[N	+	1]	Z	[N	+	4]	+	Z	[N					
	+	2]	Z	[N	+	3]	▲								84		
F5	/																	3		
L1	P	=	Z	[N	+	3]	x^2	+	Z	[N	+	4					
]	x^2																21		
2	Z	[N	+	5]	"	R	E	A	L	"	=	(Z					
	[N	+	1]	Z	[N	+	3]	+	Z	[N					
	+	2]	Z	[N	+	4])	/	P	▲					65		
Memory contents	A					H					O	For judgement				V	r, x			
	B					I					P	$x^2 + y^2$				W	θ, y			
	C					J					Q					X				
	D					K					R	n				Y				
	E					L					S					Z				
	F					M					T									
	G					N	Expanded memories				U									
Expanded memories	Z[N+1]		x_1		Z[N+3]		x_2		Z[N+5]		x									
	Z[N+2]		y_1		Z[N+4]		y_2		Z[N+6]		y									

															No. 9						
Line	MOD	EXP	Program													Notes	Number of steps				
3			Z	[N	+	6]	"	I	M	A	G	E	"	=	(
			Z	[N	+	3]	Z	[N	+	2]	-	Z	[
			N	+	1]	Z	[N	+	4])	/	P	▲			110		
F6			N																3		
L1			Lbl	0																6	
2			Prog	S	E	L														11	
3			Q	=	9	=>	Goto	E	N	D	▲									21	
4			Pol(Z	[N	+	Q]	,	Z	[N	+	Q	+	1				
)																	39	
5			{	R	}																43
6			Z	[N	+	5]	"	R	E	A	L	"	=	V	x^y				
			R	"	N	"	cos	R	W	▲									67		
7			Z	[N	+	6]	"	I	M	A	G	E	"	=	V				
			x^y	R	sin	R	W	▲												89	
8			Goto	0																92	
9			Lbl	E	N	D														97	
F7			P	O	L																5
L1			Lbl	0																8	
2			Prog	S	E	L														13	
3			Q	=	9	=>	Pol(Z	[N	+	Q]	,	Z	[N				
			+	Q	+	1])												35	
4			V	:	"	R	=	"	▲											43	
5			W	:	"	T	H	E	T	A	=	"	▲							55	
Memory contents	A					H					O	For judgement				V	r, x				
	B					I					P	$x^2 + y^2$				W	θ, y				
	C					J					Q					X					
	D					K					R	n				Y					
	E					L					S					Z					
	F					M					T										
	G					N	Expanded memories				U										
Expanded memories	Z[N+1]	x_1				Z[N+3]	x_2				Z[N+5]	x									
	Z[N+2]	y_1				Z[N+4]	y_2				Z[N+6]	y									

No. 9

Line	MODE	EXP	Program	Notes	Number of steps
6	Goto	0			59
F8	I	N P U T			7
L1	S	= Z [N + 1] : { S } : Z [
	N + 1] = S "	X 1 (Z 1) "			37
2	S	= Z [N + 2] : { S } : Z [
	N + 2] = S "	Y 1 (Z 1) "			67
3	S	= Z [N + 3] : { S } : Z [
	N + 3] = S "	X 2 (Z 2) "			97
4	S	= Z [N + 4] : { S } : Z [
	N + 4] = S "	Y 2 (Z 2) "			127
F9	S	E L			5
L1	Lbl	0			8
2	{	Q } : Q " 1 : Z 1 2 : Z 2			
	9 : Q U I T "				32
3	Q ≠ 1 ⇒ Q ≠ 2 ⇒ Q ≠ 9 ⇒	Goto: 0			
					50
4	Q = 2 ⇒ Q = 3				59
F10	R	E C			5
L1	Lbl	0			8
2	Prog	S E L			13
3	Q ≠ 9 ⇒ Rec(Z [N + Q] , Z [N			
	+ Q + 1])				35
Memory contents	A		H	O For judgement	V r, x
	B		I	P $x^2 + y^2$	W θ, y
	C		J	Q	X
	D		K	R n	Y
	E		L	S	Z
	F		M	T	
	G		N Expanded memories	U	
Expanded memories	Z[N + 1]	x_1	Z[N + 3]	x_2	Z[N + 5] x
	Z[N + 2]	y_1	Z[N + 4]	y_2	Z[N + 6] y

No. 9

Line	MODE	EXP	Program	Notes	Number of steps
4	V	:	" X = " ▲		43
5	W	:	" Y = " ▲		51
6	Goto	0			55
7					
8					
9					
10					
11					
12					
13					
14					
15					
16					
17					
18					
19					
20					
21					
22					
23					
24					
25					
26					
27					
28					
Memory contents	A		H	O For judgement	V r, x
	B		I	P $x^2 + y^2$	W θ, y
	C		J	Q	X
	D		K	R n	Y
	E		L	S	Z
	F		M	T	
	G		N Expanded memories	U	
Expanded memories	Z[N + 1]	x_1	Z[N + 3]	x_2	Z[N + 5] x
	Z[N + 2]	y_1	Z[N + 4]	y_2	Z[N + 6] y

CASIO PROGRAM SHEET

Program for

No.

No.

Program

Notes

Number of steps	Time (min)	Distance (m)	Speed (m/s)
1	10	10	1.0
2	20	20	1.0
3	30	30	1.0
4	40	40	1.0
5	50	50	1.0
6	60	60	1.0
7	70	70	1.0
8	80	80	1.0
9	90	90	1.0
10	100	100	1.0

Line

MODE EXP

Memory contents

A
B
C
D
E
F
G

	H
	I
	J
	K
	L
	M
	N

	O
	P
	Q
	R
	S
	T
	U

V
W
X
Y
Z

CASIO PROGRAM SHEET

Program for			No.		
Step	Key operation	Display	Step	Key operation	Display
1			11		
2			12		
3			13		
4			14		
5			15		
6			16		
7			17		
8			18		
9			19		
10			20		

[illegible]

■ Error messages at-a-glance

Message	Meaning	Countermeasure
Ma ERROR	<ol style="list-style-type: none"> ① Calculation exceeds range of operation. ② Calculation is performed outside the input range of a function. ③ Illogical operation (division by zero, etc.) 	<ol style="list-style-type: none"> ① ② ③ Check the input numeric value and correct it. When using memories, check that the numeric values stored in memories are correct.
Arg ERROR	<ul style="list-style-type: none"> •Argument input incorrectly. Ex. Negative value input for Defm, value other than 1~9 input for n in integration calculation, etc. 	<ul style="list-style-type: none"> •Re-enter argument correctly.
Stk ERROR	<ul style="list-style-type: none"> •Execution of calculations that exceed the capacity of the stack for numeric values or stack for calculations. 	<ul style="list-style-type: none"> •Simplify the formulas to keep stacks within 9 levels for numeric values and 24 levels for calculations. •Divide the formula into two or more parts.
Syn ERROR	<ol style="list-style-type: none"> ① Calculation formula contains an error. ② Formula in a program contains an error. 	<ol style="list-style-type: none"> ① ② Use cursor keys to display the point where the error was generated and correct it.
Mem ERROR	<ul style="list-style-type: none"> •Memory expansion exceeds level remaining in program. •Attempt to use a memory such as Z[5] when no memory has been expanded. •Program written although no memory remains for program. 	<ul style="list-style-type: none"> •Press MODE Ans (Defm) to expand memory to necessary level. •Use memories within the current number of memories. •Simplify program to fit within current available memory or delete unnecessary programs.
Ne ERROR	<ul style="list-style-type: none"> •Nesting of subroutines by execution exceeds 10-level limit. 	<ul style="list-style-type: none"> •Ensure that Prog (filename) is not used to return from subroutines to main routine. If used, delete any unnecessary Prog (filename). •Trace subroutine jump destinations and ensure that no jumps are made back to the original program area. Ensure that returns are made correctly.
Go ERROR	<ol style="list-style-type: none"> ① No corresponding Lbl (label name) to Goto (label name). ② No program stored in specified Prog (filename). 	<ol style="list-style-type: none"> ① Correctly input an Lbl corresponding to Goto. ② Store a program in program area Prog (filename) or delete the Prog (filename) if unnecessary.

■ Input ranges of functions

Function	Input range	Internal digits	Accuracy	Notes
sin cos tan	(Deg) $ x < 9 \times 10^{99}$ (Rad) $ x < 5 \times 10^7 \pi \text{rad}$ (Gra) $ x < 1 \times 10^{10} \text{grad}$	12 digits	As a rule, accuracy is ± 1 at the 10th digit.	However, for tan x : $ x \approx 90(2n+1)$: Deg $ x \approx \pi/2(2n+1)$: Rad $ x \approx 100(2n+1)$: Gra
\sin^{-1} \cos^{-1} \tan^{-1}	$ x \leq 1$ $ x < 1 \times 10^{100}$	"	"	
sinh cosh	$ x \leq 230.2585092$	"	"	Note: For sinh and tanh, when $x=0$, errors are cumulative and accuracy is affected at a certain point.
tanh	$ x < 1 \times 10^{100}$			
\sinh^{-1} \cosh^{-1} \tanh^{-1}	$ x < 5 \times 10^{99}$ $1 \leq x < 5 \times 10^{99}$ $ x < 1$	"	"	
log ln	$1 \times 10^{-99} \leq x < 1 \times 10^{100}$	"	"	
10^x e^x	$-1 \times 10^{100} < x < 100$ $-1 \times 10^{100} < x \leq 230.2585092$	"	"	
$\sqrt{\quad}$ x^2	$0 \leq x < 1 \times 10^{100}$ $ x < 1 \times 10^{50}$	"	"	
x^{-1} $\sqrt[3]{\quad}$	$ x < 1 \times 10^{100}, x \neq 0$ $ x < 1 \times 10^{100}$	"	"	
$x!$	$0 \leq x \leq 69$ (x is an integer)	"	"	
nPr nCr	Result $< 1 \times 10^{100}$ n, r (n and r are integers) $0 \leq r \leq n$, $n < 1 \times 10^{10}$	"	"	
Pol (x, y)	$\sqrt{x^2 + y^2} < 1 \times 10^{100}$	"	"	
Rec (r, θ)	$0 \leq r < 1 \times 10^{100}$ (Deg) $ \theta < 9 \times 10^{99}$ (Rad) $ \theta < 5 \times 10^7 \pi \text{rad}$ (Gra) $ \theta < 1 \times 10^{10} \text{grad}$	"	"	However, for tan x : $ x \approx 90(2n+1)$: Deg $ x \approx \pi/2(2n+1)$: Rad

Function	Input range	Internal digits	Accuracy	Notes
\circ° " " \leftarrow " " \circ° " "	$ a , b, c < 1 \times 10^{100}$ $0 \leq b, c$	12 digits	As a rule, accuracy is ± 1 at the 10th digit.	
	$ x < 1 \times 10^{100}$ Hexadecimal display: $ x \leq 27777.77777$			
x^y	$x > 0$: $-1 \times 10^{100} < y \log x < 100$ $x = 0$: $y > 0$ $x < 0$: $y = n, \frac{1}{2n+1}$ (n is an integer) However; $-1 \times 10^{100} < \frac{1}{y} \log x $ < 100	"	"	
$\sqrt[n]{x}$	$x > 0$: $y \neq 0$ $-1 \times 10^{100} < \frac{1}{y} \log x < 100$ $x = 0$: $y > 0$ $x < 0$: $y = 2n + 1, \frac{1}{n}$ ($n \neq 0, n$ is an integer) However; $-1 \times 10^{100} < \frac{1}{y} \log x $ < 100	"	"	
$a^{b/c}$	<ul style="list-style-type: none"> Results Total of integer, numerator and denominator must be within 10 digits (includes division marks). <ul style="list-style-type: none"> Input Result displayed as a fraction for integer when integer, numerator and denominator are less than 1×10^{10} .	"	"	
SD (LR)	$ x < 1 \times 10^{50}$ $ y < 1 \times 10^{50}$ $ n < 1 \times 10^{100}$ $x\sigma_n, y\sigma_n, \bar{x}, \bar{y}, A, B, r$: $n \neq 0$ $x\sigma_n = 1, y\sigma_n = 1$: $n \neq 0, 1$	"	"	

[illegible]

*Errors may be cumulative with internal continuous calculations such as x^y , $\sqrt[y]{y}$, $x!$, $\sqrt[3]{x}$ sometimes affecting accuracy.

■ Specifications

Model:

fx-4500PA

Calculations

Basic calculation functions:

Negative numbers, exponents, parenthetical addition/subtraction/multiplication/division (with priority sequence judgement function — true algebraic logic).

Built-in functions:

Trigonometric/inverse trigonometric functions (units or angular measurement: degrees, radians, grads), hyperbolic/inverse hyperbolic functions, logarithmic/exponential functions, reciprocals, factorials, square roots, cube roots, powers, roots, squares, decimal-sexagesimal conversions, binary-octal-hexadecimal conversions/calculations, coordinate transformations, permutations/combinations, π , random numbers, absolute values, integers, fractions.

Statistical calculation functions:

Standard deviation—number of data, sum, sum of squares, mean, standard deviation (two types)

Linear regression—number of data, sum of x , sum of y , sum of squares of x , sum of squares of y , mean of x , mean of y , standard deviation of x (two types), standard deviation of y (two types), constant term, regression coefficient, correlation coefficient, estimated value of x , estimated value of y .

Integration calculation: using Simpson's rule.

Memories:

26 standard (163 maximum)

Calculation range:

$\pm 1 \times 10^{-99} \sim \pm 9.999999999 \times 10^{99}$ and 0. Internal operation uses 12-digit mantissa.

Rounding:

Performed according to the specified number of significant digits or the number of specified decimal places.

Exponential display:

Norm 1 — $10^{-2} > |x|$, $|x| \geq 10^{10}$

Norm 2 — $10^{-9} > |x|$, $|x| \geq 10^{10}$

Programs

Number of steps: 1,103 maximum

Jump function:

Unconditional jump (Goto, Lbl)

Conditional jump ($=$, \neq , $>$, $<$, \geq , \leq)

Subroutines Prog: 10 routines

Number of stored programs: As many files as total memory capacity allows

Check function: Program checking, debugging, deletion, addition, etc.

Common section

Display system and contents:

Liquid crystal display, dot 12 digits, 10-digit mantissa and 2-digit exponent, binary, octal, hexadecimal display, sexagesimal display, conditional displays (WRT, **FILE**, **EDIT**, **DEP**, LR, SD, **D**, **R**, **G**, **S**, **F**, **M**, **A**, hyp, d, H, b, o, Fix, Sci, Eng, \leftarrow , \rightarrow)

Character display function:

Function commands, program commands, alphabet characters (12 maximum)

Error check function:

Checks for values exceeding 10^{100} , illogical calculations and illogical jumps, error messages displayed.

Power supply:

1 lithium battery for normal operation (CR2032); 1 lithium battery for memory protection (CR2032)

Power consumption: 0.001W

Battery life: Approximately 5,000 hours on type CR2032 battery.

Auto power off:

Power is automatically switched off approximately 6 minutes after last operation.

Ambient temperature range: $0^{\circ}\text{C} \sim 40^{\circ}\text{C}$ ($32^{\circ}\text{F} \sim 104^{\circ}\text{F}$)

Dimensions: 9.9mmH \times 73mmW \times 141.5mmD ($3/8$ "H \times 2 7/8"W \times 5 9/16"D)

Weight: 85 g (3.2 oz) including batteries